

# Finity: The Story of Finite Mechanics

Kevin R. Haylett

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# First Edition

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# Chapter 1

## Exploring the Finite

*Beyond our vision,  
the imagination flies,  
high above the clouds.*

### Moving Beyond Infinities in Physics

Physics, like all sciences, evolves through iteration—each new discovery refines the models that came before. From Newton’s laws to Maxwell’s equations, from quantum mechanics to relativity, we have built an intricate and powerful description of nature. Yet, foundational assumptions often go unquestioned. We take for granted concepts like infinity, zero, and continuous space. These ideas, while mathematically convenient, are not observable. Finite Mechanics (FM) takes a different approach, seeking to build a framework where only measurable, finite quantities define physical interactions.

### Why Do We Ask Why?

The human desire to understand nature has driven scientific progress for centuries. We once believed that Earth was the center of the universe, but through observation and theory, we came to understand its true place. Scientific revolutions—Copernican, Newtonian, Einsteinian—have reshaped our view of reality. Yet, even today, inconsistencies remain at the foundations of

physics. General Relativity and Quantum Mechanics do not fully reconcile. The nature of time, mass, and charge remains deeply mysterious. When existing models reach their limits, we must ask fundamental questions once again.

Finite Mechanics does not contradict or compete with modern physics. Rather, it serves to test an idea: Is it possible to provide an alternative framework grounded in measurable, finite interactions? The goal is to reinterpret existing models by removing assumptions of infinity, perfect continuity, and abstract higher-dimensional spaces. FM begins with what is real and measurable, constructing its framework from the ground up with finite axioms.

## **Breaking Away from Conventional Thought**

In the history of physics, progress often emerges from questioning deeply held assumptions. Newton redefined motion by rejecting Aristotelian ideas. Einstein revolutionized gravity by discarding the fixed backdrop of space and time. Today, FM poses a fundamental question: What if physics does not require infinities at all? What if space, time, and energy are not continuous but instead manifest as finite, structured interactions?

The difficulty in embracing such an idea stems from the strange attractor of conventional thought—a concept borrowed from non-linear dynamics. Established theories act as attractors for our ideas, making it difficult to step outside their framework. The assumptions of continuity, zero, and infinity are deeply embedded in mathematical language, making alternative models feel counter-intuitive or simply wrong.

But what happens when we allow ourselves to step outside this attractor? What new perspectives emerge when we question ideas that seem fundamental? This work invites us, if only for a moment, to suspend conventional assumptions and explore an alternative path. There is no argument that classical mechanics, relativity, or quantum field theory are incorrect—only that they are one way of modeling reality. FM presents an alternate picture built on finite axioms:

There are no infinities: Space, time, and matter exist in measurable, discrete interactions.

There are no perfect rest frames: Every measurement is an interaction, and

interactions define reality.

There are no zero-point singularities: Everything is real, finite, and bounded within a three-dimensional volume.

This approach places FM firmly outside the conventional attractor of physics and mathematics, inviting us into a new conceptual world. Where traditional physics assumes idealized conditions—infinately thin lines, infinitesimal points, and continuous fields—FM provides an alternative framework using only finite, directly observable elements.

## **A New Path to Understanding**

To fully engage with this journey, one must first recognize how deeply traditional ideas are embedded in our thinking. This is the challenge of stepping outside our strange attractor. The next chapter will explore why it is so difficult to move beyond traditional frameworks and how we might develop a new lens into the unknown. For now, take a breath, momentarily suspend doubt, and step onto the path.

## **Escaping the Strange Attractor**

The human mind is shaped by the structures it encounters. From an early age, we are introduced to patterns, numbers, and physical intuitions that seem self-evident. We learn to count, measure, and describe the world in terms of lines, points, velocities, and forces. These tools form the foundation of our understanding, and they are remarkably effective. But what if they are not fundamental truths? What if they are merely convenient models that, while immensely useful, constrain us to a particular way of thinking?

In mathematics and physics, deeply ingrained assumptions act as strange attractors, shaping how we frame and solve problems. Consider infinity—it is embedded in the very fabric of modern physics and mathematics, appearing in calculus, field theories, and the structure of spacetime in general relativity. We integrate over infinitesimally small distances, define continuous functions, and assume that points, lines, and velocities can be perfect and unbroken. The idea of infinity is so deeply rooted that most people never question whether it belongs in our physical models at all.

But what if it doesn't? What if our world, at the deepest level, is finite and structured?

This is the foundation of Finite Mechanics (FM). It does not seek to disprove existing models but instead asks: What happens when we construct a framework that does not assume infinity? By stepping outside the attractor of conventional thought, FM offers a conceptual space that is not an extension of traditional physics, but an exploration of an entirely different approach.

## **Reclaiming Elegance: The Case for Finiteness**

If we redefine elegance as fidelity to reality, then perhaps a finite approach is the more elegant one. Space, time, and matter exist in structured, finite interactions. Every measurement is an interaction, and interactions define reality.

Many see infinite series, point particles, and continuous fields as elegant because they unify and simplify our understanding of nature. But from another perspective, these are ruthless abstractions—useful, yet disconnected from what we actually observe. The appeal of infinite models is their ability to distil complex behaviour into fundamental principles. But does nature truly behave as an infinite series, or is this merely a convenient mathematical construct?

FM challenges us to reconsider what we call elegant. A theory should not just be simple and powerful—it should also be rooted in reality. A model built from measurable, finite elements is not only aesthetically pleasing but also fundamentally honest.

When I look out of my window, I do not see infinite series of perfect mathematical points. I see a world that is finite, structured, and measurable—a world that is beautiful and complex. That is the world this work seeks to describe. Finite Mechanics paints with finite brushstrokes—ones that capture the reality of what we observe. This is not just a shift in theoretical perspective; it is a call to re-examine what we consider true, elegant, and ultimately real.

And so, we step forward into a new paradigm—one where physics is no longer a domain of idealized infinities, but a framework built on the tangible, finite structure of the universe we observe. Let us begin.

## Chapter 2

# Revisiting Newton's Laws

*Orbits carved in ink,  
gravity's silent decree,  
Halley winks and fades.*

### Rethinking motion and acceleration in a finite framework

Newton's Laws of Motion have stood as one of the most profound achievements in the history of science. These laws describe the fundamental principles governing motion, shaping everything from celestial mechanics to engineering marvels. Yet, like all great scientific advances, they were developed within the intellectual landscape of their time, framed using idealized mathematical constructs that relied on infinitesimals and abstract notions of rest and uniform motion.

### From Philosophy to Precision: Newton's Principia and the Age of Enlightenment

Before Newton, motion was debated primarily as a philosophical concept. Descartes, for example, envisioned a mechanical universe where motion was dictated by direct contact and vortices. However, in 1687, Newton's *Philosophiæ*

Naturalis Principia Mathematica introduced a revolutionary idea: motion could be described by precise mathematical laws, not just qualitative reasoning.

This shift marked the transition from the speculative reasoning of the Age of Enlightenment to a predictive science of mechanics. Newton's equations allowed humans to not only understand motion but calculate it—turning the study of physics into a tool for navigation, engineering, and astronomy.

## **The First Real Applications: From Cannonballs to Celestial Mechanics**

One of the earliest and most impactful applications of Newton's Laws was in ballistics. Suppose an 18th-century artillery officer needed to calculate the trajectory of a cannonball. Using Newton's Laws, he could determine the exact arc it would follow, factoring in initial velocity, air resistance, and gravity. This practical use of physics transformed warfare, engineering, and later, space exploration.

Beyond Earth, Newton's work explained planetary motion. Kepler's Laws, derived empirically from astronomical data, found theoretical justification in Newtonian mechanics. The same principles used to predict the landing spot of a cannonball enabled us to understand the orbits of planets and, centuries later, send spacecraft to the Moon.

## **Newton's Laws Under Finite Mechanics**

Newton's framework has been a cornerstone of science, yet FM explores an alternative perspective: Are these laws absolute, or are they approximations? Newton formulated his equations assuming infinity, perfect continuity, and absolute rest—concepts that are mathematical conveniences rather than observable realities.

## **Newton's First Law: No Absolute Rest, Only Interactions**

Newton's First Law states that an object at rest stays at rest, and an object in motion continues in uniform motion unless acted upon by an external

force. This principle introduced inertia, a property that resists changes in motion.

However, FM offers an alternative perspective on absolute rest and uniform motion, suggesting they may be unmeasurable idealizations rather than physical realities. Instead, FM posits that absolute rest is unobservable—all objects experience some degree of acceleration due to interactions with their surroundings. Inertia is not merely resistance to motion but a consequence of the continuous interplay of mass, force, and acceleration.

Even what we perceive as uniform motion is an approximation—an idealized simplification that ignores subtle but ever-present accelerative effects. Classical physics is not wrong; rather, it is a practical approximation that holds in many cases but may break down at high precision or extreme conditions.

Additionally, in 1905, Einstein’s paper on Special Relativity introduced the concept of inertial reference frames, replacing absolute space and time with relative motion. His thought experiments often relied on perfect uniform motion, demonstrating that rest and motion are relative. FM does not contradict these ideas but explores an alternative perspective—one where motion is never truly uniform but part of a continuous network of interactions.

## **Newton’s Second Law: A Unified Identity of Motion**

Newton’s Second Law, traditionally written as  $F = ma$ , defines the relationship between force, mass, and acceleration. In classical physics, force is seen as an independent entity acting on mass to produce acceleration.

FM reframes this law as an identity rather than an equation—emphasizing that force, mass, and acceleration are inseparable components of a single phenomenon. This leads to a refined formulation:

$$f = ma + m_{\text{int}}a \tag{2.1}$$

This additional term includes an ‘interaction’ mass  $m_{\text{int}}$  which accounts for effects that are undetectable in everyday motion but become significant at atomic or cosmological scales. Instead of treating force as something that acts upon mass, FM views motion itself as an inherent interaction within a dynamic system. In FM, motion is not merely a response to force, it is an emergent property of finite interactions.

Why does this matter? Consider:

- Electrons orbiting a nucleus—FM suggests that their motion is not merely governed by external forces but by an inherent accelerative identity.
- Galactic rotation curves—The additional term in FM's formulation might help explain anomalies without requiring dark matter as an unseen force.
- Precision experiments—Subtle deviations from classical  $F = ma$  might reveal underlying finite interactions.

Just as Planck's equation  $E = hf$  was first introduced empirically before being fully understood in quantum theory, FM's additional term represents an open question—a modification whose deeper meaning will unfold as we explore the universe.

## **Newton's Third Law: Dynamic Balance Instead of Perfect Symmetry**

Newton's Third Law states that for every action, there is an equal and opposite reaction. This principle has been essential in explaining force interactions, from rocket propulsion to structural mechanics.

FM reinterprets this law by emphasizing:

Action-reaction pairs exist within finite systems, meaning they are not universally perfect but dynamically balanced within measurable limits.

No force is perfectly isolated; all interactions contribute to the ongoing motion of the system.

Universal equilibrium—a perfectly balanced state across all forces—is neither measurable nor observable, making it likely an idealized construct rather than a physical reality.

Rather than assuming perfect balance, FM introduces the concept of interaction persistence—where forces can exhibit minor but finite imbalances, leading to emergent phenomena at different scales.

## The Second Law: A closer look

The additional term in FM’s version of Newton’s Second Law is not a dismissal of classical physics but an extension. It is similar to Planck’s equation ( $E = hf$ ), introduced in 1900—an equation that initially lacked theoretical justification but later became a cornerstone of Quantum Mechanics.

Here, too, we recognize that a modification to  $F = ma$  raises profound questions: What does this term mean? How does it relate to observed reality? How can we test it? Below we identify the mass in this term as an Interaction Mass

### Definition: Interaction Mass ( $m_{\text{int}}$ )

**Interaction Mass** ( $m_{\text{int}}$ ) is a finite, interaction-based component of mass that emerges from the structured interplay of charge, gravity, and electromagnetic interactions within the **Finite Mechanics (FM) framework**. Unlike traditional mass, which is treated as an intrinsic and isolated property of matter,  $m_{\text{int}}$  represents the additional, non-zero contribution to force that arises from **fine-scale interaction effects** at both microscopic and cosmological scales.

In the **FM base identity**, interaction mass appears as an extension to the classical Newtonian equation:

$$f = ma + m_{\text{int}}a \quad (2.2)$$

where  $m_{\text{int}}$  accounts for **subtle, normally unobservable force components** that only become measurable under extreme conditions—such as atomic-scale accelerations or galactic rotational dynamics. This term is required to maintain the **non-zero identity condition of FM**, ensuring that no system exists in a state of absolute force equilibrium.

## Physical Interpretation and Units

$m_{\text{int}}$  is not simply an *adjustment* to traditional mass but a distinct, interaction-driven quantity that is closely tied to **interaction density**. As FM develops its own system of units, interaction mass is expected to relate to a fundamental interaction density dimension, tentatively expressed as:

$$[m_{\text{int}}] \sim \frac{I}{m^3} \quad (2.3)$$

where  $I$  represents **interaction intensity** over a given volume, analogous to energy density but incorporating both charge-mass effects and gravitational-electromagnetic superpositions.

## Conceptual Role in FM

- **Interaction mass is always nonzero**, ensuring that all systems experience some form of interaction-derived force.
- **It emerges from composite interactions** on top of the nodal structure, reflecting a fundamental departure from the concept of a static mass.
- **It provides a bridge between classical mechanics and FM**, offering an alternative explanation for effects such as anomalous galactic rotation and fine-structure corrections in atomic physics.

In essence,  $m_{\text{int}}$  **represents the measurable, finite persistence of interactions within a structured, nodal space**, redefining mass as an emergent, interaction-dependent quantity rather than a fundamental property of isolated particles.

## The Observed Universe as Our Laboratory

The additional term in FM’s framework is not merely a theoretical curiosity. Just as General Relativity was validated through astrophysical tests, FM’s refinements to motion can be examined through the observed universe:

Mercury’s orbit—where GR also made its first breakthroughs.

Galactic rotation curves—offering another case where standard Newtonian dynamics appear insufficient.

High-precision force measurements in extreme conditions—probing the nature of interactions beyond classical mechanics.

Instead of testing FM in an isolated lab, we use the cosmos itself as our experimental ground.

## **Motion as a Measurable Identity, Not an Abstract Law**

Newton’s framework transformed our understanding of motion, yet FM suggests we have more to uncover. Motion is not simply an abstract law but an emergent, measurable identity shaped by interactions at every scale.

Just as GR refined Newtonian gravity, FM refines Newtonian motion—posing new questions that demand empirical scrutiny. The universe itself will reveal the answers.

While FM provides an interaction-based framework that modifies classical laws, the next step is to quantify how this framework alters gravitational and quantum effects in measurable ways. In following chapters, we will examine three cornerstone systems of modern physics and apply this framework to probe their behaviour. Let’s follow the logic and see where it takes us.



# Chapter 3

## Scaling Thought Experiments

*Starlit steps ascend,  
small paws trace the cosmic thread,  
cheese or fate awaits.*

### Understanding the Universe through measurable interactions

For centuries, models of the atomic world have provided visual representations that simplify and encapsulate complex behaviour. The familiar Bohr model, with its neat planetary orbits, or the probabilistic electron cloud diagrams, serve as useful pedagogical tools. Yet, these illustrations often fail to convey the sheer disparity in scale that defines the microscopic realm. A proton and an electron may be described as bound in an atom, but their relative sizes and distances defy human intuition. In Finite Mechanics, where interactions rather than point particles form the foundation of physical laws, it is essential to re-examine these assumptions. A simple thought experiment—scaling atomic dimensions to more familiar sizes—reveals just how counter-intuitive and extreme these physical relationships truly are.

## Rethinking Scale: A Thought Experiment

Consider the hydrogen atom, the simplest atomic structure. A proton has a radius of approximately  $0.84 \times 10^{-15}$  meters, while estimates of the electron's size range widely, from below  $10^{-22}$  meters to an upper bound of  $2.8 \times 10^{-15}$  meters, depending on the definition used. Now, imagine inflating the proton to the size of the Sun—around  $7 \times 10^8$  meters in radius. Using this as our scaling reference, every other dimension in the system must be expanded proportionally.

Under this transformation, the Bohr radius, which defines the typical distance of an electron in a hydrogen atom, stretches to an astronomical  $4.4 \times 10^{13}$  meters, nearly 300 times the average Earth-Sun distance. Meanwhile, the electron itself—if we take its lower size estimate—would still be barely 83 meters across, a tiny marble floating in an unfathomably vast orbit. Even more striking, a simple 500-nanometer light wave in this scaling grows to a wavelength of approximately 44 light-years, far exceeding the dimensions of a star system. This exercise underscores a crucial point: the intuitive visualizations we rely on to describe atomic structure are gross distortions of reality. The distances between interacting components are enormous, and the electron, if it possesses any finite spatial extent, is inconceivably small compared to the space in which it interacts.

## The Limits of Conventional Models

This thought experiment forces us to re-examine the assumptions of traditional quantum mechanics and classical field theory. Models often depict the atom as a compact structure, its parts conveniently sized to fit a diagram, yet this representation collapses when confronted with real physical scales. The idea of a discrete, point-like electron orbiting a dense nucleus is not only a simplification—it is, in some ways, misleading.

Conventional theories rely heavily on the notion of point particles and continuous fields, both of which present fundamental challenges. Point particles introduce the problem of infinite self-energy, requiring elaborate renormalization techniques to cancel out divergences. Meanwhile, the assumption of infinite, smoothly varying fields implies an interaction structure that is difficult to reconcile with a world governed by finite measurements. The vast gulf

between the electron and nucleus in our scaling model suggests that the very concept of a “point-like” particle interacting through an all-pervading field is inadequate. Instead, we should expect interactions to emerge as finite, measurable exchanges between extended physical entities.

It is curious that despite dealing with immense scales in astronomy, we are prepared to accept that in the farthest reaches of the universe, there are asteroids, comets, or grains of sand on distant planets. We do not resort to visualizing these objects as abstract entities; we see them as tangible components of reality. Yet, when we turn to the smallest scales, we readily resort to infinite points and idealized geometries. This contrast is striking and raises the question: why do we allow ourselves to accept concrete, finite structures at cosmic distances, yet insist on infinite abstractions when describing the microscopic?

## The Finite Measurement Principle

Finite Mechanics operates under the premise that all properties—charge, mass, energy—are fundamentally finite and measurable. There are no true infinities in nature, no perfect zeroes, only interactions that are quantifiable within finite bounds. If the electron, for instance, is not a mathematical point but a real, extended entity, then its charge must be distributed across a finite region of space rather than concentrated at an infinitesimal singularity. In this framework, charge and mass are not isolated intrinsic properties but emerge from how an entity interacts with its surroundings.

Measurement itself is not an absolute extraction of a property but a dynamic exchange. When we measure an electron’s charge or mass, we are not uncovering immutable constants but rather the result of a finite interaction between the electron and our measuring apparatus. This distinction is critical. It suggests that our classical notions of fixed, fundamental quantities may be artifacts of the mathematical structures we impose rather than reflections of the underlying physical reality.

## **Bridging the Scales: From Quantum to Cosmic**

The dramatic disparity in scale revealed by our thought experiment points to a deeper connection: the same finite interaction principles that govern atomic structures must also apply on cosmic scales. If electrons interact with protons across vast distances within an atom, and if charge and energy manifest over finite, distributed regions rather than as localized points, then these principles should extend seamlessly from the quantum world to the macroscopic universe.

Light, often described in terms of wave-particle duality, similarly resists naive classification. In our scaled model, a 500 nm photon stretches over interstellar distances. If this were taken literally, it would imply that photons are not localized packets but extended wave-like interactions that do not conform to classical expectations. In Finite Mechanics, the distinction between wave and particle dissolves into a more fundamental principle: all interactions, whether between light and matter or between charged particles, occur within measurable, finite regions. This perspective removes the need for infinite field descriptions or point-based particles, offering a consistent framework that applies across scales.

## **The Road Ahead: From Scaling to Finite Dynamics**

By starting with a simple scaling exercise, we have uncovered deeper issues with traditional models—issues that point toward a new way of understanding physics. In the Finite Mechanics framework, properties do not exist in isolation; they arise through interactions that are bounded and measurable. This insight naturally leads us toward a reformulation of physics, one in which Newton’s laws, quantum interactions, and cosmological dynamics all emerge from the same finite principles.

The journey from a Sun-sized proton and a marble-like electron to a fully developed framework for finite measurement is only beginning. The next steps involve applying these insights to foundational physics—re-examining Newton’s Laws, explaining galactic rotation without requiring dark matter, and addressing quantum phenomena in a manner that avoids the paradoxes of conventional models. As we proceed, we will see how Finite Mechanics provides a rigorous yet conceptually clear path toward a fully measurable

physics.



## Chapter 4

# Philosophy of the Finite

*Counting all the steps,  
apples and pears up the stairs,  
down the garden path.*

### How we define reality?

Science has long wrestled with fundamental questions: Is physics a direct representation of reality, or merely a useful framework for organizing observations? Are mathematical models true descriptions of nature, or just approximations that serve their purpose until something better comes along? These questions are at the heart of the philosophy of science, where thinkers like Karl Popper, Thomas Kuhn, and Ernst Mach have shaped our understanding of scientific progress.

Finite Mechanics (FM) is not just a new physical model; it carries strong philosophical implications. It challenges long-held assumptions about the role of infinities in physics and offers an alternative, measurement-based framework. But how does FM fit into the broader discourse of the philosophy of science? Does it represent a paradigm shift in the Kuhnian sense? Is it an empirical refinement in the spirit of Mach? Or does it align with Popper's view that scientific theories must be falsifiable and tied to observation? These are questions we will explore in this chapter.

## **The Evolution of Scientific Models**

The history of physics has been shaped by evolving models, each attempting to refine our understanding of the universe.

- Isaac Newton (1687, *Principia Mathematica*) introduced a deterministic framework where space, time, and forces were absolute. - Ernst Mach (late 19th century) challenged Newton's absolutes, arguing that measurement and relative motion should form the basis of physics. - Albert Einstein (1905, 1915) revolutionized physics by replacing Newtonian absolutes with a geometric model of gravity and spacetime. - Quantum Mechanics (1920s-1930s) introduced probability and wavefunctions, but also infinities that required renormalization.

These shifts illustrate Kuhn's idea of paradigm shifts (*The Structure of Scientific Revolutions*\*, 1962), where scientific revolutions replace existing frameworks with new ones. FM's challenge to infinite quantities raises the question:

\*Is FM the next paradigm shift?

## **Karl Popper and the Principle of Falsifiability**

Karl Popper (\**The Logic of Scientific Discovery*\*, 1934) argued that a scientific theory must be falsifiable—it must make predictions that can, in principle, be tested and proven wrong. Finite Mechanics adheres to this principle by asserting that only finite, measurable quantities should be fundamental. Unlike theories that rely on infinities—such as renormalization in Quantum Field Theory or singularities in General Relativity—FM insists that physics must be grounded in empirically verifiable interactions.

But does this make FM an improvement over existing theories, or just a different interpretation of known phenomena? If FM leads to testable predictions that differ from those of traditional physics, then it may qualify as a new scientific breakthrough under Popper's framework.

## **The Case Against Infinities in Physics**

One of FM's key philosophical arguments is that physics should be built on finite, measurable interactions rather than abstract mathematical infinities. Consider some of the problematic infinities in modern physics:

- Quantum Electrodynamics (QED) requires renormalization to remove infinite self-energy corrections. - General Relativity (GR) leads to singularities at black hole centers, where spacetime curvature becomes infinite. - Classical Electromagnetism describes point charges with infinite field energy.

While renormalization and mathematical tricks allow physicists to work around these issues, FM argues that they are symptoms of a deeper problem: physics should not require infinities in the first place. Instead, FM proposes that all interactions be defined by measurable, finite quantities, eliminating the need for ad hoc fixes.

## **Mach's Empiricism and the Role of Measurement**

Ernst Mach rejected absolute space and time, insisting that physics should be based entirely on observable measurements. His ideas directly influenced Einstein's development of relativity. FM extends Mach's perspective by asserting that physical laws should emerge from measurable interactions rather than abstract mathematical constructs.

For instance, Mach would argue that acceleration has meaning only in relation to other masses. FM takes this further: If all measurements are finite, then fundamental laws should be formulated in terms of finite, quantifiable changes, rather than idealized infinitesimal quantities.

## **Rethinking Time and Motion**

Philosophers like Henri Bergson (\*Time and Free Will\*, 1889) and Julian Barbour (\*The End of Time\*, 1999) have questioned whether time is fundamental or emergent. Traditional physics treats time as a smooth, continuous dimension, but FM suggests that time may instead arise from discrete, finite interactions. This perspective aligns with Mach's rejection of absolute time and raises questions about whether our current models of time and motion are complete.

## **Finite Mechanics: A Paradigm Shift or an Alternative Lens?**

The question remains: Does FM represent a radical departure from existing physics, or does it simply offer a more empirically grounded interpretation?

- If FM replaces infinities with finite interactions, does it redefine fundamental physics? - If it leads to new testable predictions, does it qualify as a Kuhnian paradigm shift? - Or does it simply refine physics by enforcing a stricter measurement-based framework?

Instead of answering these definitively, FM invites the reader to consider the role of philosophy in shaping scientific discovery. Just as past theories evolved by questioning assumptions, FM challenges the necessity of infinities and proposes a universe governed by measurable, finite principles.

## **The role of Intrinsic Stability**

At every scale—from photons traversing cosmic distances, electrons maintaining their orbital integrity, to planetary orbits, galaxies, and human-scale phenomena—one defining characteristic consistently emerges: astonishing stability. Even within the most energetic and extreme cosmic events (supernovae, black-hole mergers, quasars), underlying order remains, interactions occur predictably, and measurable outcomes persist.

In a finite mechanics framework, stability may not merely be an emergent property but rather a direct consequence of finiteness itself. Infinite models often need arbitrary stabilizing conditions or external rules to prevent divergence, yet the real finite world inherently resists catastrophic instability. Could this profound resilience to chaos reflect an implicit structural symmetry within FM identities? Might finite constraints, rather than limiting possibilities, actually enforce a deeper and more enduring coherence?

Every fleeting particle event, every transient interaction visible in a cloud chamber, occurs in a constrained finite nodal space. Such events, though individually unpredictable and chaotic-looking, are fundamentally incapable of cascading into macro-instability. Rather, the innate structure of finity itself—the very boundaries that define measurable reality—acts as a stabilizing influence. Finite boundaries naturally impose a constraint: interactions may fluctuate, but never infinitely compound. Stability is not an added feature;

it's built directly into the finite structure of reality itself.

## **The Role of Imagination**

Much of physics is deeply intertwined with mathematical formalism, relying heavily on infinite constructs that exist more within equations than within measurable reality. In Quantum Field Theory (QFT), every nanometer, every centimeter, every meter of space is described as containing infinite oscillators—this assumption does not change, even if we scale an atom to the size of our solar system. At that scale, an electron would orbit over 200 astronomical units from the nucleus, yet QFT tells us that space between them is still filled with infinite fluctuations. Should we not ask what this truly means? Or are we expected to accept it as an untouchable mathematical reality, without questioning its implications?

The question is not just one of preference, but of methodology. Mathematics is an invaluable tool for describing the universe, but it is still a human-made system—it does not dictate reality. It is easy to assume that infinities are necessary because they make equations work, but how useful is a framework that relies on infinitely small particles, infinitely curving space-time, and renormalization schemes that subtract infinities to make calculations finite again? If we cannot measure space-time bending directly, if we must assume that point particles have spherical interaction regions just to make the math functional, then we must ask: are we discovering reality, or are we engineering a self-consistent system with no guarantee of being complete?

The challenge is that science, like any intellectual field, is shaped by cultural momentum. Certain ideas persist not because they are necessarily the best descriptions of reality, but because they are deeply embedded in our collective understanding. The Standard Model, General Relativity, and Quantum Mechanics dominate not only because they work, but because they have been foundational for generations of physicists. Yet, history shows us that scientific revolutions do not emerge from rigid adherence to existing models—they arise when we look beyond them.

The question may then becomes: how do we create room for new ideas? If we truly wish to explore the "unknown-unknowns," we must allow ideas to emerge before they are fully complete. Progress has often required conceptual leaps: Copernicus did not have orbital mechanics when he proposed helio-

centrism, Einstein did not have experimental evidence when he formulated relativity, and Schrödinger's equation preceded the formal understanding of quantum measurement. Yet today, it appears that physics increasingly insists that only established mathematical formalisms are legitimate starting points for inquiry. Where does that leave imagination?

As such the ideas presented by FM only serve to expand the space of what may be possible. The idea to explore the need for infinities, and add structure to fundamental interactions, prioritizing immeasurability over abstraction. The crucial question being asked: can we construct a physical model that does not depend on unobservable infinities? Any value in such an approach is not in claiming absolute truth, but in showing that alternatives may exist, and that they deserve exploration.

If ideas are to keep evolve, maybe we need to move beyond self-reinforcing formalisms. Not by abandoning rigor, but by allowing new models to develop—even when they challenge deeply held assumptions. Ultimately if a new framework only opens the door to new questions, it may have assist as a worthwhile endeavour.

## **The Future and a Finite Universe**

Arguably, science progresses by questioning the foundations upon which it stands. If we take Kuhn's perspective, we need to be looking for a paradigm shift, altering how we perceive fundamental interactions. If we follow Popper, any new ideas must stand or fall by its predictions. If we embrace Mach, FM potentially offers a new way of grounding physics in empirical measurements. Each of these perspectives provides valuable insight into the role of any new idea being presented.

Ultimately, all science is not only about equations—it is about how we choose to describe reality. If nature is finite, then perhaps our physics should be too. The journey to explore this idea has just begun.

# Chapter 5

## The Illusion of Constants

*Circles in the sand,  
footsteps fade yet reappear,  
time folds on itself.*

### How measurement cycles reinforce fixed values

In the pursuit of ever-greater precision, physics has redefined its fundamental constants and units to be mathematically perfect. This shift, though born out of necessity, creates an illusion—one where the very measurements that define reality are constructed from self-referential definitions rather than grounded in direct physical comparisons. Historically, measurement was a tangible act: the length of a meter, the weight of a kilogram, and the force of an ampere were based on real-world references. Today, however, they are defined by unchanging, idealized constants.

This transition has been largely driven by the work of the Committee on Data for Science and Technology (CODATA), an international body that periodically reviews and refines fundamental physical constants. Established in 1966, CODATA gathers and analyzes experimental data from laboratories worldwide, refining constants through statistical adjustments. These efforts ensure global consistency, yet they also highlight the institutional nature of measurement: constants are not simply discovered but are actively agreed upon by committees and updated through international consensus. While

this improves precision and standardization, it raises philosophical questions about the extent to which constants represent reality versus the framework we impose upon it.

But is this progress? Or have we moved further from reality? Finite Mechanics (FM) suggests that the world we observe is not infinitely precise, and that treating physical constants as absolute may obscure rather than clarify the deeper nature of the universe.

## **From Local Measurements to Idealized Constants**

Scientific progress has led us from practical, tangible definitions to abstract, mathematically perfect ones. This transition can be seen in the redefinition of the fundamental units of physics:

- The Meter: Originally defined in 1791 as 1/10,000,000 of Earth's meridian, it was later standardized by a platinum-iridium bar. In 1983, the meter was redefined in terms of the speed of light, making it dependent on another fixed constant rather than direct physical comparison.
- The Kilogram: Once based on a physical object—the International Prototype Kilogram (IPK), a platinum-iridium cylinder—it was redefined in 2019 using Planck's constant, ensuring that mass is now tied to quantum measurements rather than a tangible reference.
- The Ampere: Originally linked to the force between two conductors, the ampere was redefined in 2019 in terms of the elementary charge  $e$ , removing any experimental dependence on classical electromagnetism.

While these changes bring stability and universality, they also create a paradox: we now measure everything in terms of quantities we ourselves have fixed.

## **The Circular Nature of Our Framework**

Modern physics is built on a self-consistent but circular system of measurement:

- Time is defined by the oscillations of a cesium atom.
- The speed of light is defined as an exact value in meters per second.
- The meter is defined in terms of the speed of light.

Thus, when we measure the speed of light, we are merely confirming the definition we already assigned to it. This circularity means that while our precision improves, we are not necessarily learning anything new.

Does this make physics more accurate, or simply more internally consistent? And crucially, does this self-referential framework hide deeper insights about the universe?

## **Constants as Human Constructs**

The assumption that fundamental constants must be immutable is a human choice, not a necessity of nature. By fixing constants, we enforce a perspective where these values are seen as absolute rather than emergent properties of physical interactions. Yet, history shows that our understanding of constants evolves:

- Planck's constant, once an empirical fit to black-body radiation, later became the foundation of quantum mechanics.
- The gravitational constant  $G$ , still one of the least precisely known, could vary depending on deeper physics we have yet to uncover.

Finite Mechanics questions whether constants are truly fundamental or if they instead emerge from underlying interactions. If we assume that all measured values arise from finite interactions, then what we call constants may not be fixed at all, but simply locally stable approximations.

## **Are We Missing Something?**

The reliance on perfect constants leads to an uncomfortable possibility: could this framework be blinding us to physics beyond our assumptions?

- If all measurements are finite, why do we enforce infinite precision?
- Are we assuming constancy where nature allows for variation?
- Could small fluctuations in “constants” provide clues to deeper structures?

For example, if the fine-structure constant or speed of light varies slightly across different conditions, this could indicate a richer structure to reality than our fixed framework permits. Finite Mechanics suggests that rather than assuming perfection, we should acknowledge the real-world limits of

measurement and consider the implications of treating constants as emergent rather than fundamental.

## **Final Thoughts: An Invitation to Rethink Constants**

Physics has evolved to extraordinary precision—but in doing so, it may have traded its connection to the finite, real-world interactions that define our universe. Finite Mechanics does not reject precision, but it does suggest that we reconsider the role of constants. Are they truly immutable, or are they our best finite approximations of deeper, evolving relationships?

If we shift our perspective, allowing for the possibility that fundamental constants are not absolute but interaction-dependent, we may open new doors to discovery. This is not an argument for abandoning measurement progress, but rather an invitation to think critically about whether we have built an illusion of certainty where uncertainty may be more fundamental.

Perhaps, before we move forward, it's time for another tea break.

# Chapter 6

## Worked Examples

*Cooking up stories,  
the Endeavour entertains,  
on a distant shore.*

### Applying Finite Mechanics to real-world problems

The best way to understand a framework is to see it in action. In this chapter, we present three worked examples demonstrating how Finite Mechanics (FM) provides an alternative way of approaching well-established problems in physics. These examples are not intended as definitive proofs or replacements for existing theories but as illustrations of the FM methodology—a way to show that an FM-based approach is not only possible but also yields intriguing results.

Each example is meant to tantalize, not dictate. By presenting these worked cases, we invite further exploration rather than insist on conclusions. The true test of an idea is whether it inspires others to investigate it further—and that is our goal.

## **Example 1: The Perihelion Precession of Mercury**

### **Historical Context: A Problem That Challenged Newtonian Mechanics**

French mathematician Urbain Le Verrier, who had successfully predicted Neptune’s existence, hypothesized that another hidden planet, Vulcan, was perturbing Mercury’s orbit. Astronomers searched in vain, but no such planet was ever found. The anomaly persisted, standing as a silent challenge to Newton’s laws—until 1915, when Einstein’s General Relativity (GR) provided the missing correction due to spacetime curvature.

The anomalous precession of Mercury’s orbit was historically one of the key puzzles leading to General Relativity (GR). Within the Newtonian framework, the calculated precession due to planetary perturbations did not match observations, leaving an unexplained discrepancy of approximately 43 arc-seconds per century. Einstein’s GR resolved this by incorporating spacetime curvature effects, providing a near-perfect match to observation.

Finite Mechanics takes a different approach. Instead of modifying spacetime, it considers an implicit mass component associated with acceleration. In FM, acceleration is not simply a change in velocity but a finite interaction effect, which in turn generates a small but significant additional mass. This mass component subtly alters the force balance in planetary motion.

While not aiming to rewrite history, this approach suggests that precession effects could be interpreted through an additional interaction term rather than curvature alone. The goal here is not to replace GR but to demonstrate that alternative models can also produce viable results within the FM framework. If such an approach yields the correct precession, it hints at a deeper connection between acceleration, mass, and interaction effects—something worth exploring further.

History shows that alternative approaches can sometimes lead to equally valid explanations. Could the effect be modeled using only a finite, measurable interaction correction rather than a fundamental restructuring of spacetime?

## **Finite Mechanics Approach: An Implicit Mass Correction**

Finite Mechanics considers that acceleration is not merely a change in velocity, but a finite interaction effect that generates an additional implicit mass component. This mass subtly alters the force balance in planetary motion. FM modifies the classical equation of motion by introducing:

$$M' = M + k'a \quad (6.1)$$

where:

- $M'$  is the total effective mass,
- $k'$  is a scaling factor (units:  $kg \cdot s^2/m$ ),
- $a$  is the local acceleration.

This additional mass introduces a small precession term:

$$\frac{d^2u}{d\varphi^2} + u = \frac{GM_\odot}{h^2} + \Delta u_{\text{precession}} \quad (6.2)$$

where:

$$\Delta u_{\text{precession}} = \frac{k'GM_\odot}{r^2M}. \quad (6.3)$$

By adjusting  $k'$  to match observations, FM recovers the correct precession. While not replacing GR, this suggests that precession effects could be interpreted through an additional interaction term rather than curvature alone.

## **Preliminary Results**

Mercury's anomalous precession, once a mystery that required Einstein's revolutionary insight, may have an alternative explanation through the Finite Mechanics framework. If acceleration itself contributes to an implicit mass term, the observed precession could emerge naturally from the equations rather than requiring spacetime curvature. This raises deeper questions: is

gravity purely geometric, or are there additional interaction effects yet to be fully explored? While this approach does not challenge General Relativity outright, it suggests that alternative perspectives may provide complementary insights into the behavior of celestial mechanics.

## **Example 2: Galaxy Rotation Curves and Dark Matter**

### **The Search for Missing Mass**

One of the most enduring puzzles in astrophysics is the discrepancy between observed galaxy rotation curves and the predictions made using Newtonian mechanics. According to standard models, the outer regions of spiral galaxies should rotate more slowly than they do. The widely accepted explanation is dark matter, an unknown form of mass that increases the effective gravitational pull without being directly observable.

Finite Mechanics offers a different perspective. Instead of invoking unseen mass, FM considers that the very act of acceleration contributes to an additional effective mass component. If this additional mass term grows with acceleration and distance from the galactic core, it could produce the observed flat rotation curves without requiring exotic dark matter.

This is not an attempt to challenge the existence of dark matter but rather an example of how Finite Mechanics can provide an alternative explanatory framework. If an FM-based model can produce rotation curves that match observational data, then it suggests a deeper structure to the way mass, acceleration, and interaction densities manifest on large scales.

### **FM's Free-Shell Model: An Alternative to Dark Matter**

Finite Mechanics offers a different perspective. Instead of invoking unseen mass, FM considers that the very act of acceleration contributes to an additional effective mass component. If this additional mass term grows with acceleration and distance from the galactic core, it could produce the observed flat rotation curves without requiring exotic dark matter.

In FM, the galaxy is modeled as a set of free-moving mass shells, each with

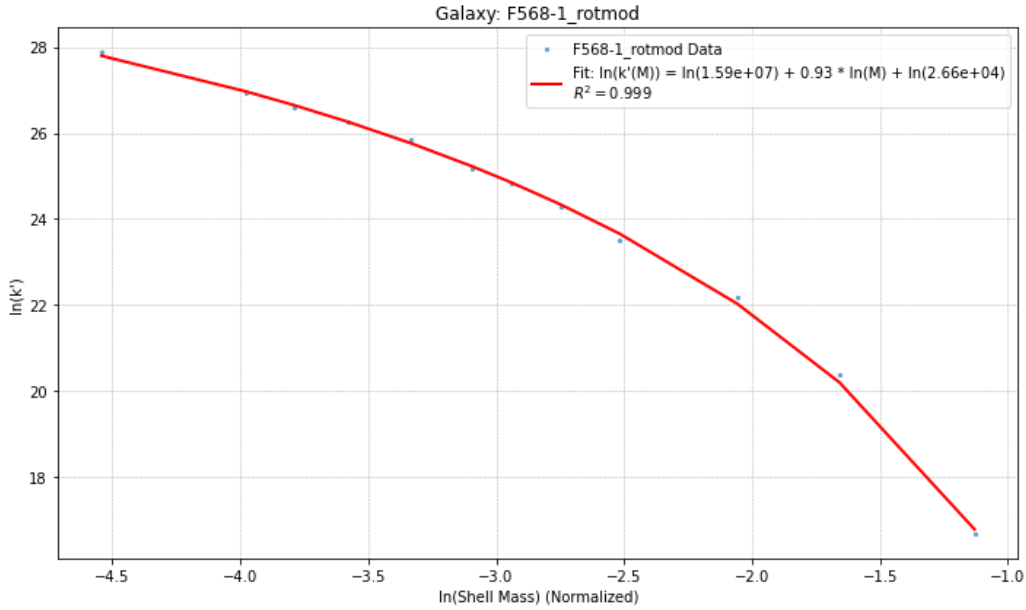
an acceleration-dependent correction:

$$M_{\text{eff}}(r) = M_{\text{lum}}(r) + M_{\text{implicit}}(r) \quad (6.4)$$

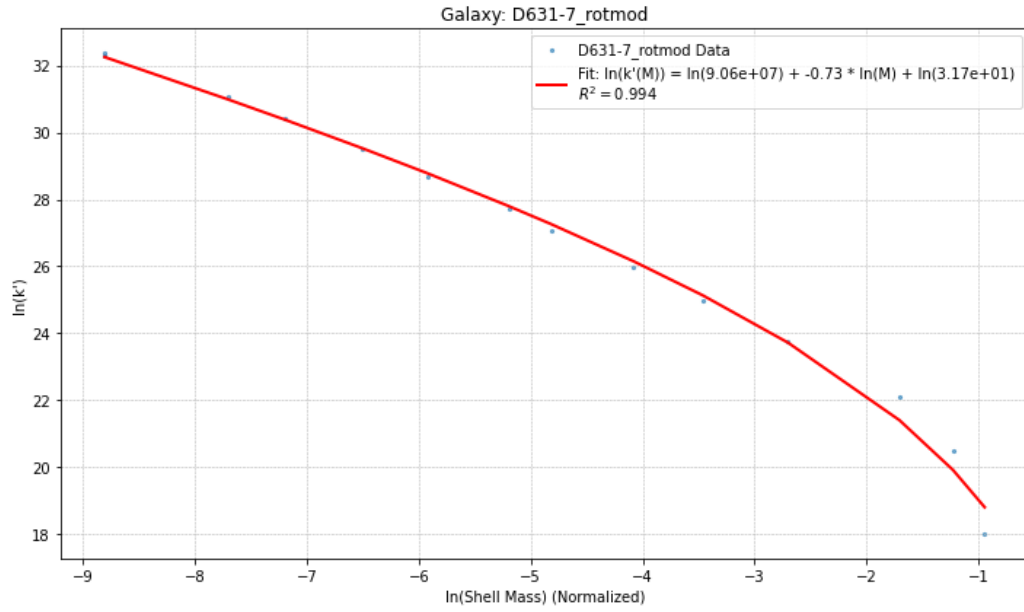
where:

$$M_{\text{implicit}}(r) = \frac{f_{\text{FM}}(r) \cdot r}{G}. \quad (6.5)$$

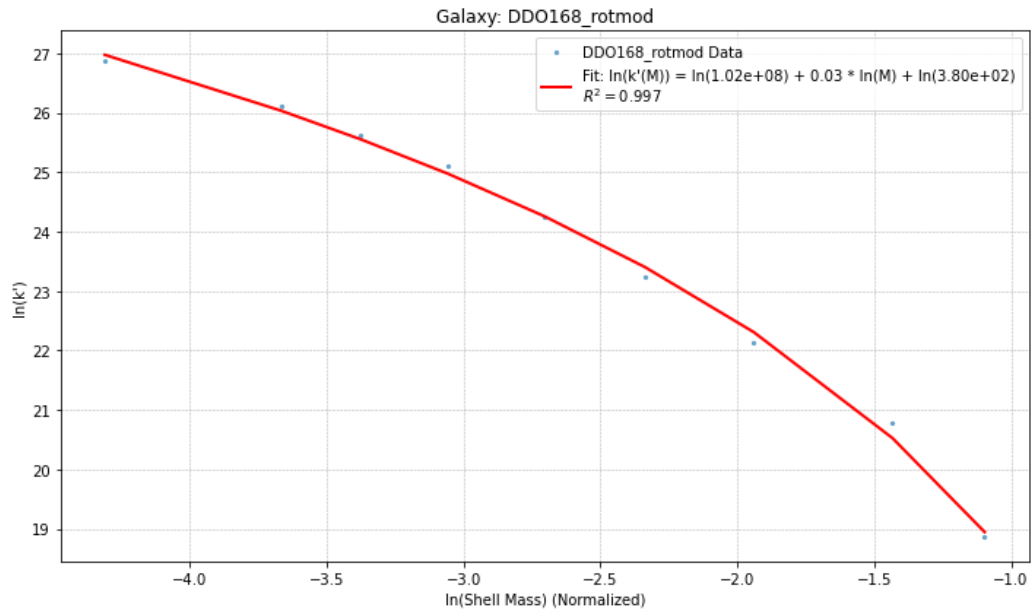
This model successfully reproduces rotation curves from the SPARC dataset of 175 galaxies without requiring additional unseen matter.



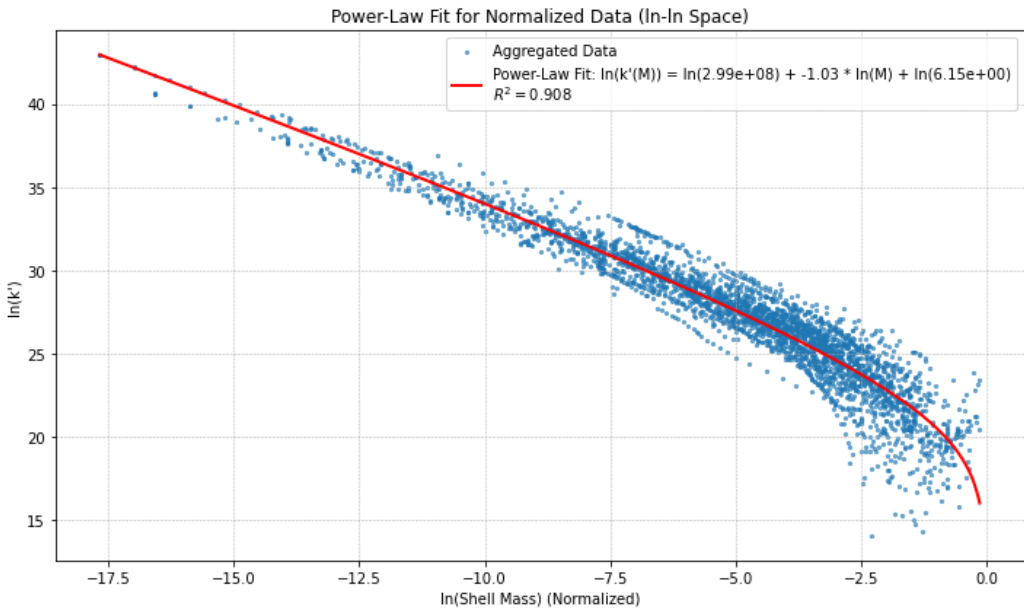
Example A Galaxy Fit



Example B Galaxy Fit



Example C Galaxy Fit



SPARC DATA set Normalized Power Law fit

## Comparison of Approaches

| Approach            | Rotation Curve Explanation            | Key Assumption                    |
|---------------------|---------------------------------------|-----------------------------------|
| Newtonian Mechanics | Declining velocity at large radii     | Only luminous mass contributes    |
| Dark Matter Model   | Additional unseen mass                | Dark matter exists in halos       |
| MOND                | Modification of Newtonian force law   | Acceleration-based correction     |
| Finite Mechanics    | Interaction-dependent mass correction | Mass and acceleration are coupled |

Table 6.1: Comparison of models explaining galaxy rotation curves.

## **Preliminary Results**

For decades, the unexplained flatness of galaxy rotation curves has been attributed to dark matter, an unseen mass inferred solely from its gravitational influence. Yet, Finite Mechanics suggests an alternative—perhaps what we observe is not missing mass, but an unaccounted-for interaction effect, where acceleration itself plays a role in modifying the force law. This approach does not dismiss dark matter outright, but it raises an intriguing possibility: could our difficulty in detecting dark matter arise because it is not a separate entity at all, but rather an emergent effect of how mass interacts at galactic scales? If so, this rethinking could have profound implications not just for galaxies, but for our entire understanding of cosmic structure.

## **Example 3: The Stability of the Hydrogen Atom and Implicit Mass**

### **The Classical Instability Problem**

The classical view of the hydrogen atom faces an immediate problem: an electron in orbit around a proton should continuously radiate energy and spiral into the nucleus in a fraction of a second. Quantum mechanics resolves this through the concept of quantized energy levels, preventing such a collapse.

Finite Mechanics proposes an alternative viewpoint: rather than invoking an abstract wavefunction-based explanation, we consider whether an additional item[-] component—arising from the electron’s continuous acceleration—counterbalances energy loss and stabilizes the system.

In FM, interactions always have associated finite interaction densities, meaning that an accelerating electron is not simply moving in empty space but generating an additional term that resists collapse. If this term scales correctly with known hydrogen energy levels, it suggests that electron stability could be understood not as a purely probabilistic quantum effect but as an emergent property of finite interactions.

Again, the goal is not to reject quantum mechanics but to show that a different, finite-based reasoning can yield stability conditions similar to those derived through conventional quantum models. If this approach proves viable, it could offer new ways to frame atomic interactions and bridge the gap between classical and quantum descriptions.

### **FM’s Approach: An Implicit Mass Term for Stability**

Finite Mechanics proposes an alternative viewpoint: rather than invoking an abstract wavefunction-based explanation, we consider whether an additional Implicit Mass component—arising from the electron’s continuous acceleration—counterbalances energy loss and stabilizes the system.

FM modifies the force balance equation:

$$\frac{e^2}{4\pi\epsilon_0 r^2} = \frac{(m + m_{\text{implicit}})v^2}{r} \quad (6.6)$$

where:

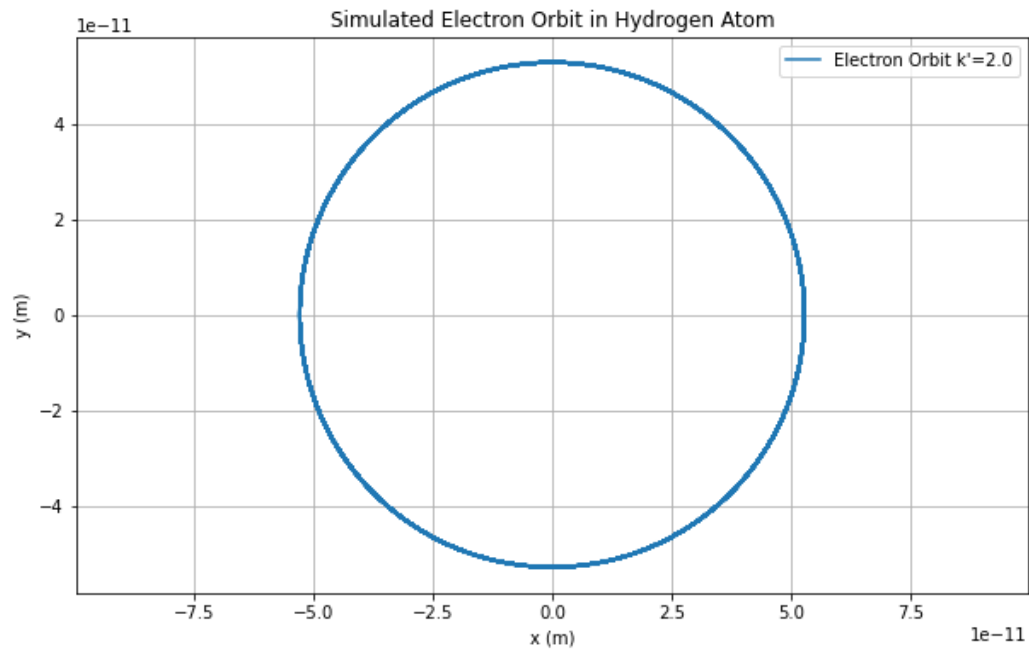
$$m_{\text{implicit}} = k' \frac{v^2}{r}. \quad (6.7)$$

Numerical simulations confirm that:

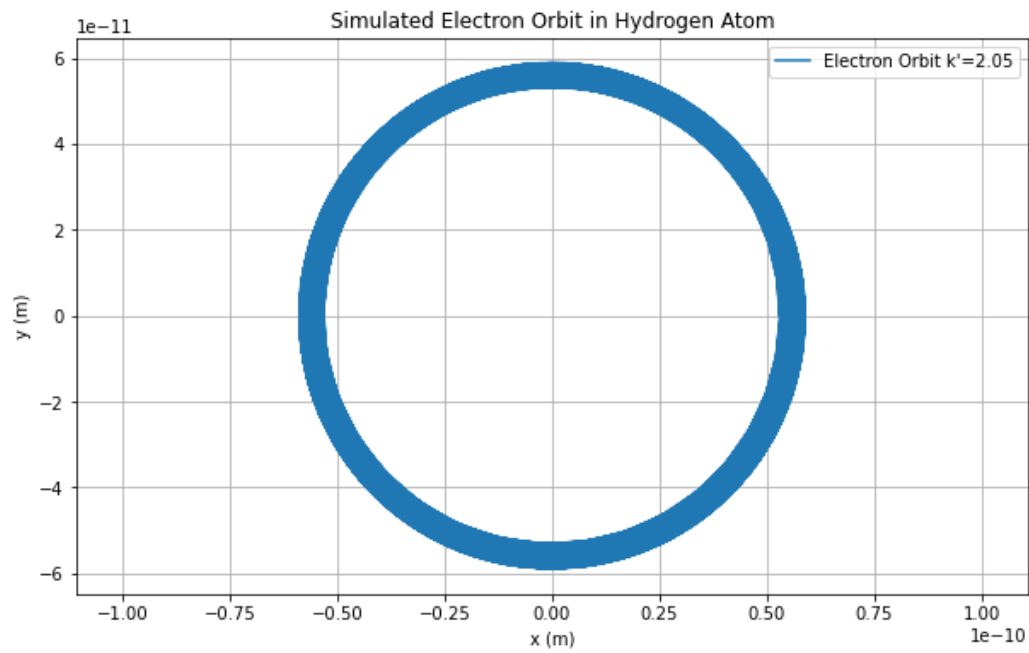
- Certain values of  $k'$  allow for **stable orbits without energy loss**.
- The modified dynamics introduce **a natural precession term** aligning with quantum probability distributions.

## Preliminary Results

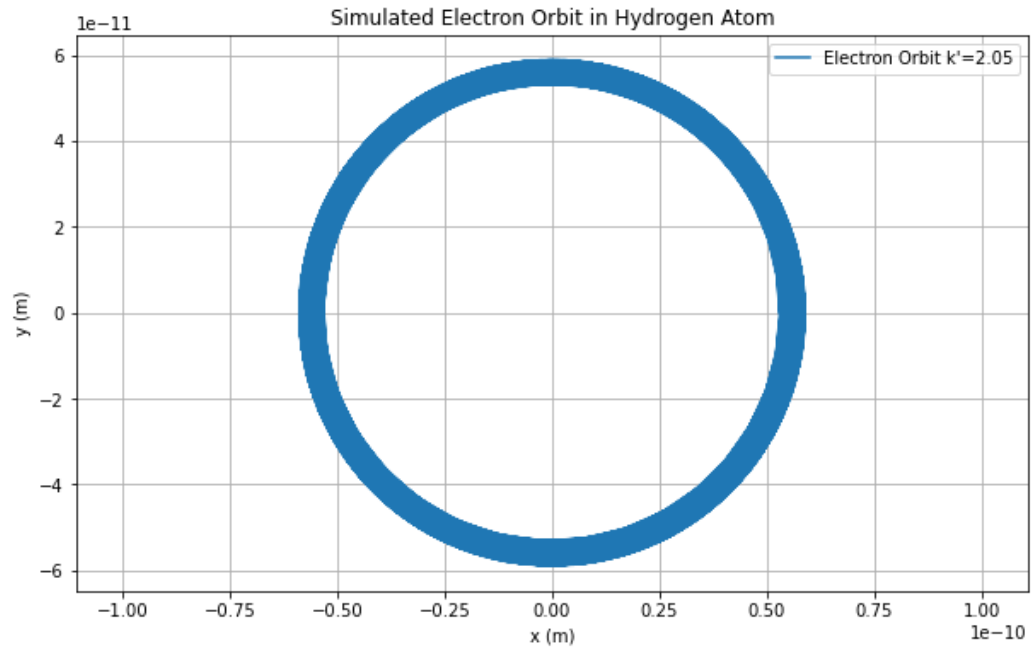
The stability of the hydrogen atom is one of the defining triumphs of quantum mechanics, yet it remains conceptually puzzling when viewed from a classical standpoint. Finite Mechanics offers a fresh perspective—perhaps the electron’s stability arises not from abstract wavefunctions alone, but from an implicit mass correction that emerges due to its acceleration. If such an effect exists, it suggests that quantum behavior may not be as fundamentally probabilistic as we assume, but rather an emergent property of deeper finite interactions. Could this bridge between classical and quantum regimes lead to a new understanding of atomic structure? The implications, if explored further, could be profound.



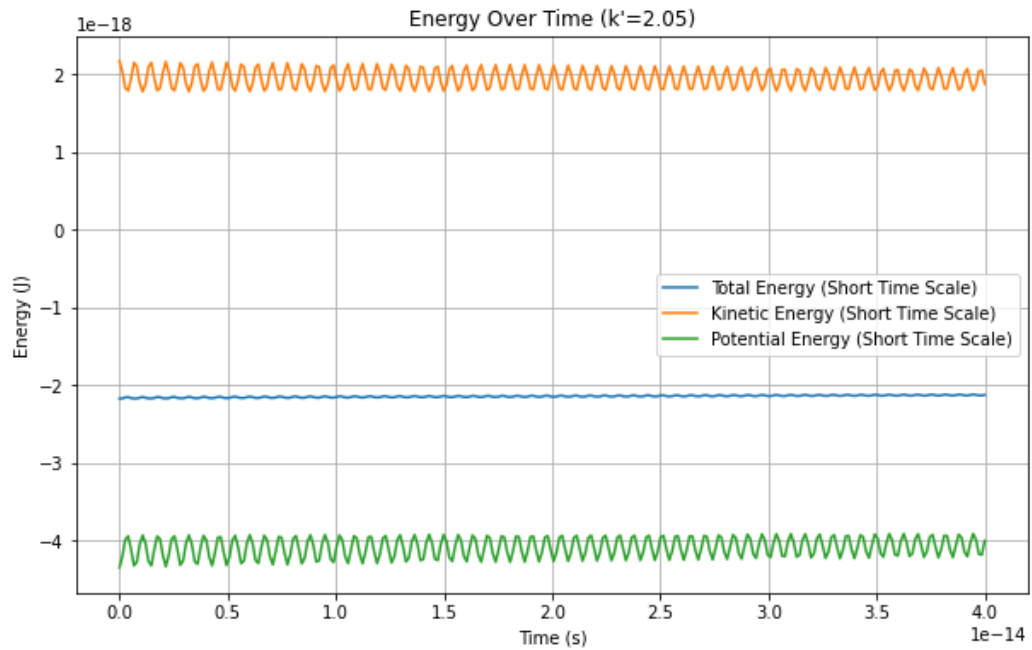
Example A Stable Orbit



Example B Stable Orbit



Example C Stable Orbit



Example B Stable Orbit Energies

A key insight from these examples is not the specific numerical results, but rather the demonstration that adding a finite term enabled a viable solution, even if approximate. The solution space of the equations employed is, in practice, complex and warrants further exploration beyond these initial cases. However, it's important to note that the Bohr model itself is incompatible with the finite axioms presented, as it relies on treating the electron as a point particle.

## **The Seeds of Further Inquiry**

These three examples, the application of FM to the perihelion of mercury, galaxy rotation curves, and the Bohr model, highlight a common theme: Finite Mechanics provides a way to re-examine known phenomena using a different lens. By focusing on finite interactions, acceleration-dependent mass effects, and emergent properties, we demonstrate that FM is not just an abstract idea but a methodology that produces tangible results.

These worked examples are not meant to be exhaustive or definitive; they serve as seeds, intended to inspire further research and exploration. If these approaches lead to viable predictions, they may offer a deeper understanding of mass, motion, and fundamental interactions.

For now, the door remains open. Perhaps others will step through it and explore where these ideas might lead.



# Chapter 7

## A Mental Tea-Break

*Earl grey cried freedom,  
changing the way we tea;  
emancipation.*

### A pause to reflect on a finite Universe

In our quest to reframe the very foundations of physics, we are not merely rehashing old ideas—we are challenging the core of what we believe to be fundamental. However, as we push the boundaries of classical thought, it is natural to feel the gravitational pull of established paradigms. The strange attractor of conventional thinking, with its point particles, infinite fields, and well-worn models, often lures us back into comfortable territory.

This chapter invites you to take a brief mental tea-break—a pause to acknowledge the resistance within and around you. Allow yourself to step back, take a deep breath, and prepare for the journey into the realm of the unknown unknowns.

### The Pull of the Familiar

Our minds are built on layers of classical concepts learned over years of study and practice. Academic institutions, grant agencies, and even the

physical equipment we use are all designed around these long-held ideas. This infrastructure forms a powerful strange attractor, ensuring that new models must contend with deep-rooted assumptions:

- **Classical Thinking:** We are conditioned to think in terms of particles, fields, and continuous space.
- **Institutional Inertia:** Universities, journals, and funding bodies often favor models that fit within the established framework.
- **Everyday Experience:** Our everyday observations reinforce familiar concepts, making it challenging to grasp ideas that radically diverge from what we see.

These forces create a safe haven for classical ideas—but they can also hinder the acceptance of new, finite perspectives.

## Birth of New Ideas: Divergence from the Known

Innovation in science arises precisely at the divergence from established models. New ideas are not created in a vacuum; they build on the successes of existing theories even as they break away from them. The process is much like the evolution of art or literature:

A painter who learns the classical techniques eventually finds the freedom to experiment, to introduce bold strokes and unconventional forms. The resulting masterpiece resonates because it both honors and transcends tradition.

Similarly, in Finite Mechanics, we respect the insights of classical physics while daring to reframe them in terms of finite, measurable interactions. This divergence is not a repudiation—it is an evolution. It challenges our mental models by suggesting that a particle is not a particle in isolation, but rather a manifestation of an interaction, an observation shaped by finite processes.

## Academic Pressures and the Institutional Strange Attractor

It is important to recognize that the environments in which we work are themselves structured by these conventional ideas. Academic pressures—such as the need for continuous funding, the pressure to publish, and the rigorous standards of peer review—act as additional strange attractors. They reinforce the established models and can make it difficult for radical new ideas to gain traction.

Consider funding and grants, research proposals are often evaluated on their adherence to known theories. Then we have to also consider publication Standards where journals and conferences may favor incremental advances over paradigm shifts. Then there's community expectations as the collective mindset of the academic community can act as a powerful force in maintaining the status quo.

Understanding these pressures is part of our journey. Recognizing the institutional and cultural constraints helps us appreciate the courage it takes to challenge the dominant narrative and the importance of maintaining an open mind.

## Returning to the Journey

Now, as we conclude this tea-break, remember why you embarked on this journey in the first place. The path we follow—into a universe defined by finite, structured interactions—is not an easy one. It challenges core ideas that have rarely been questioned. Yet, every new perspective we gain enriches our understanding of the cosmos.

Take this moment to reflect on the tension between the comfort of the known and the promise of the unknown. Let it serve as a reminder that the resistance you may feel is a natural part of scientific progress. As we move forward, our task is to remain in the space of the unknown unknowns—where a different picture awaits.

*So, take a deep breath, enjoy your tea, and prepare to step once more into the challenge. For it is only by daring to question the foundations that we*

*Finite Mechanics — Exploring the finite*

*can hope to build a more complete picture of our finite, measurable universe.*

# Chapter 8

## The Rydberg Foundation

*Tuning up the band,  
all four hundred and forty,  
waving in the air.*

### Anchoring atomic physics in measurable values

In modern physics, the discrete nature of atomic emission and absorption lines serves as the fundamental window into the dynamics of atomic interactions. Long before Planck’s constant became the de facto reference for quantum mechanics, the Swedish physicist Johannes Rydberg developed an empirical formula to describe the spectral lines of hydrogen. The Rydberg Formula, derived entirely from measured wavelengths, not only laid the groundwork for our understanding of atomic structure but also provides a scalar, locally measured quantity that remains essential to both quantum mechanics and Finite Mechanics (FM).

In FM, we anchor our entire framework on finite, measurable interactions. Rather than accepting constants as perfect and immutable values fixed in distant laboratories, FM views constants such as the Rydberg constant as products of local interactions—values that may require recalibration in situ. This chapter explores the Rydberg formula in depth, examines its historical

development, and illustrates its central role as the ruler by which atomic and nuclear processes are measured in FM.

## Historical Context and the Rydberg Formula

The discovery of discrete spectral lines in hydrogen was one of the earliest clear signs that atomic processes are quantized. In the late 19th century, Rydberg observed that the wavelengths of these lines could be described by a simple formula. The Rydberg formula is expressed as:

$$\frac{1}{\lambda} = R_H \left( \frac{1}{n_1^2} - \frac{1}{n_2^2} \right), \quad (8.1)$$

where:

- $\lambda$  is the wavelength of the emitted photon,
- $R_H$  is the Rydberg constant for hydrogen,
- $n_1$  and  $n_2$  are the principal quantum numbers of the electron before and after the transition, respectively.

By measuring spectral lines—such as the well-known Balmer series—Rydberg was able to determine a value for  $R_H$ , which today is known to be approximately  $1.0967758 \times 10^7, \text{m}^{-1}$ .

## Deriving Associated Quantities: Frequency and Length

The Rydberg constant is not just a number; it underpins other fundamental quantities in atomic physics. For example, The Rydberg frequency is given by

$$f_R = R_H c, \quad (8.2)$$

where  $c$  is the speed of light ( $2.99792458 \times 10^8 \text{ m/s}$ ). This yields:

$$f_R \approx \left( 1.0967758 \times 10^7 \text{ m}^{-1} \right) \times \left( 2.99792458 \times 10^8 \text{ m/s} \right) \approx 3.2898 \times 10^{15} \text{ Hz}.$$

Similarly, the Rydberg length  $R_l$  is defined as the inverse of the Rydberg constant:

$$R_l = \frac{1}{R_H} \approx 9.1127 \times 10^{-8} \text{ m}, \quad (8.3)$$

These derived quantities provide the scaling necessary to link atomic processes to macroscopic observations.

## The Rydberg Constant in Finite Mechanics

In classical quantum mechanics, Planck’s constant has become the benchmark for quantization, and constants like  $R_H$  are treated as immutable. However, FM takes a different stance: the Rydberg constant is viewed as a locally measured value—a product of real interactions. Two versions of the Rydberg constant exist: the Rydberg hydrogen constant ( $R_H$ ) and the Rydberg infinity constant. While the latter is adjusted to account for heavier atoms, the underlying idea is the same: these constants are not perfect, idealized numbers but empirically determined quantities subject to local variation.

In FM, the discrete spectral lines of hydrogen are the most fundamental measurements available. They tell us directly about the interaction dynamics within the atom. If our model is consistent with experimental observation, the Rydberg constant serves as our local ruler. Otherwise, our model must be adjusted. In a finite, interaction-based universe, even quantities often quoted to extremely high precision (e.g., seven-sigma accuracy) must be continually recalibrated based on the actual, local measurement of interactions.

## Bridging Quantum Mechanics and Finite Mechanics

The Rydberg formula’s enduring success lies in its empirical basis—derived from direct measurements rather than abstract assumptions. In FM, this is of paramount importance. By using the Rydberg constant as the anchoring value for all further calculations, FM remains tightly bound to observable phenomena. This approach contrasts sharply with conventional models that fix constants as perfect values regardless of local conditions.

The discrete emission and absorption lines that Rydberg’s work revealed are our real measurements, our primary data points. They demonstrate that atomic interactions are inherently finite and quantized. FM leverages these facts to build a framework where every constant, every derived quantity, is the result of an interaction. The Rydberg constant, therefore, is not merely a historical curiosity—it is the cornerstone upon which we establish the scales of nuclear and atomic processes.

## The Rydberg Constant as a Local Reference in FM

In conventional physics,  $R_\infty$  is treated as an **absolute, fundamental constant**. However, Finite Mechanics (FM) reframes it as a **local reference frequency** ( $R_f$ ) rather than a universal fixed value. This shift aligns with the **FM finite axioms**, which prohibit perfect, unmeasurable values and instead define constants as **emergent from local interactions**.

In FM, the Rydberg frequency arises from the interaction between the electron and the **local nodal lattice**, where the **e-u stiffness** (nodal mechanical-electromagnetic coupling) affects the observed spectral transition. Since the nodal lattice is not globally uniform, but varies with local mass-energy distributions, the measurable Rydberg constant must also exhibit **local variations**.

This interpretation implies:

- The **measured Rydberg frequency** ( $R_H$ ) for hydrogen is slightly **modified** from a deeper, unmeasurable nodal frequency.
- In FM,  $R_\infty$  is not a true constant, but represents a **local upper bound of nodal frequency interactions**.
- Observed spectral lines in different atomic systems require **corrections based on local interaction densities**.

## The Modified Rydberg Constant and Finite Mass Corrections

In practical applications, especially for **atoms other than hydrogen**, the Rydberg constant is adjusted to account for the **finite mass of the nucleus**. This correction ensures that the electron-nucleus system is accurately

described by a **local reference** rather than an absolute value.

The **modified Rydberg constant** ( $R_M$ ) is calculated using the **reduced mass** ( $\mu$ ) of the electron-nucleus system:

$$R_M = R_\infty \times \frac{\mu}{m_e} \quad (8.4)$$

where:

$$\mu = \frac{m_e M}{m_e + M} \quad (8.5)$$

with  $M$  as the nuclear mass.

For **hydrogen**, where the nucleus is a **proton**, the finite mass correction leads to the **hydrogen Rydberg constant** ( $R_H$ ):

$$R_H = R_\infty \times \left(1 - \frac{m_e}{m_p}\right) \quad (8.6)$$

where  $m_p$  is the proton mass.

This correction leads to **small but measurable shifts in spectral lines**, known as **isotope shifts**, reinforcing that the measured Rydberg constant is not absolute but **context-dependent**.

## FM Perspective: Rydberg as a Function of Local Nodal Conditions

From an **FM perspective**, the existence of multiple versions of the Rydberg constant suggests that it is a **local reference quantity** dependent on **nodal lattice stiffness and local interaction density**. In particular:

- $R_\infty$  is an **idealized reference**, never directly measurable.
- $R_H$  (hydrogen Rydberg constant) is the **closest physical approximation** to the underlying nodal frequency.
- The **cesium atomic clock** requires local adjustments, reinforcing that **atomic time standards are not universal**.

- **Gravitational or environmental shifts** in the nodal lattice should subtly affect the Rydberg constant, allowing for **experimental verification of FM principles**.

This suggests that FM time, which is governed by **local acceleration limits**, could be formulated in terms of **Rydberg acceleration constraints** rather than a fixed second.

## Implications and Experimental Considerations

The FM framework predicts that **measurable time variations** should exist across different gravitational and density environments. Specifically, we expect:

- **Hydrogen's Rydberg frequency** ( $R_H$ ) to shift subtly in varying gravitational potentials.
- **Cesium atomic clocks** to exhibit systematic variations due to local interaction density effects.
- **Spectral shifts across isotopes** to correlate with nodal stiffness variations.

These effects align with **gravitational time dilation**, but FM offers a distinct interpretation, where the underlying mechanism is a **change in nodal interaction density rather than spacetime curvature**.

## Summary: The FM View of the Rydberg Constant

1. The Rydberg constant ( $R_\infty$ ) is **not absolute** but a **local reference frequency**.
2. It is modified in real atoms due to **finite mass effects**, reinforcing its emergent nature.
3. FM links the Rydberg constant to **nodal lattice stiffness and local interaction density**.

4. Gravitational and mass-dependent shifts in  $R_H$  indicate that **atomic timekeeping is local, not absolute**.
5. This perspective provides an alternative explanation for **gravitational time dilation** based on **nodal interaction density rather than curvature**.
6. Future experiments could validate FM predictions by examining shifts in atomic transition frequencies under varying gravitational and interaction density conditions.

## Hierarchy of Rydberg Frequencies in Finite Mechanics (FM)

In traditional physics, the Rydberg constant ( $R_\infty$ ) is treated as a fundamental and universal value. However, in Finite Mechanics (FM), constants are understood as **local references** that emerge from finite interactions rather than fixed absolutes. The Rydberg frequency hierarchy reflects this approach, ranging from the **deepest nodal reference** ( $R_{f_0}$ ) to the **conventionally defined infinite mass Rydberg constant** ( $R_\infty$ ).

### Definition of Rydberg Frequency Variants

1.  $R_{f_0}$  – **The Unmeasurable Fundamental Nodal Rydberg Frequency**  
Represents the deepest nodal frequency of the e-u lattice. This is a purely theoretical FM construct and is **not directly measurable**. The closest physical approximation is found in the hydrogen Rydberg frequency ( $R_H$ ).
2.  $R_f$  – **The Local Nodal Rydberg Frequency**  
The actual interaction frequency of the nodal lattice in a given region. This frequency varies with **local stiffness and mass-energy density**, influencing observed atomic transition frequencies.
3.  $R_H$  – **The Hydrogen Rydberg Frequency**  
The closest measurable approximation to  $R_f$ , associated with the **hydrogen atom**. Slightly shifted from  $R_f$  due to **proton finite mass**.

**effects.** Serves as a reference for **atomic spectroscopy and time measurement.**

4.  $R_M$  – **The Modified Rydberg Frequency (Finite Mass Adjustment)**

Adjusted version of  $R_\infty$  accounting for **finite nuclear mass.** Defined as:

$$R_M = R_\infty \times \frac{\mu}{m_e} \quad (8.7)$$

where:

$$\mu = \frac{m_e M}{m_e + M} \quad (8.8)$$

and  $\mu$  is the **reduced mass** of the electron-nucleus system. This correction is essential for **precision spectroscopy.**

5.  $R_{Cs}$  – **The Cesium Rydberg Frequency**

The Rydberg frequency associated with **cesium**, used for **atomic clocks.** Slightly modified due to the **higher nuclear mass of cesium.** Demonstrates that **atomic timekeeping is local and mass-dependent.**

6.  $R_Z$  – **The Rydberg Frequency with Quantum Electrodynamics (QED) Corrections**

A theoretical adjusted value incorporating **QED effects**, used in **high-precision atomic physics.** Still a **derived quantity**, not a fundamental frequency in FM.

7.  $R_\infty$  – **The Idealized Infinite Mass Rydberg Constant**

Defined as:

$$R_\infty = \frac{\alpha^2 m_e c}{4\pi \hbar} \quad (8.9)$$

where:

- $\alpha$  is the fine-structure constant,
- $m_e$  is the electron mass,
- $c$  is the speed of light,
- $\hbar$  is the reduced Planck's constant.

Assumes an **infinitely massive nucleus**, meaning no recoil correction. A **mathematical abstraction**, never directly measurable in nature. FM treats it as an **idealized limit rather than a physical reality.**

## Summary of the Rydberg Frequency Hierarchy

The following table summarizes the relationships between different Rydberg frequency variants:

| Symbol     | Name                                | Description                                                                |
|------------|-------------------------------------|----------------------------------------------------------------------------|
| $R_{f_0}$  | Fundamental Nodal Rydberg Frequency | The deepest, unmeasurable nodal oscillation.                               |
| $R_f$      | Local Nodal Rydberg Frequency       | The Rydberg frequency emerging from local nodal interactions.              |
| $R_H$      | Hydrogen Rydberg Frequency          | The closest measurable approximation to the fundamental nodal interaction. |
| $R_M$      | Modified Rydberg Frequency          | The mass-corrected Rydberg frequency for a given nucleus.                  |
| $R_{Cs}$   | Cesium Rydberg Frequency            | The atomic clock standard, tied to local mass effects.                     |
| $R_Z$      | QED-Corrected Rydberg Frequency     | Adjusted for quantum electrodynamic corrections.                           |
| $R_\infty$ | Infinite Mass Rydberg Constant      | Theoretical limit assuming an infinitely heavy nucleus.                    |

Table 8.1: Hierarchy of Rydberg frequencies in FM.

## Implications for Finite Mechanics

This hierarchy reinforces the FM principle that **Rydberg frequencies are not universal constants** but instead **local references** modified by:

- **Mass effects**, leading to finite mass corrections ( $R_M$ ).
- **Quantum electrodynamic effects**, requiring theoretical corrections ( $R_Z$ ).
- **Nodal stiffness and interaction density**, determining the local Rydberg reference ( $R_f$ ).

Thus, FM treats  $R_\infty$  as an **upper reference limit** rather than a fundamental, invariant constant. The experimentally measurable frequencies ( $R_H, R_M, R_{Cs}$ ) serve as **local approximations** of deeper, finite interaction-based constraints.

This refined view integrates the Rydberg constant into FM's finite axioms,

emphasizing its role as a **locally emergent reference** rather than a fundamental universal quantity.

## Moving forward

The history and derivation of the Rydberg formula serve as a powerful reminder that our understanding of atomic structure is grounded in measurement. Rydberg’s work predates, yet complements, the later developments of quantum mechanics. In FM, we embrace this empirical legacy by using the Rydberg constant as a dynamic, locally measured value—a tool that calibrates our model of the universe in a way that is true to the finite nature of physical interactions.

As we move forward to explore atomic scales, the Rydberg formula provides a robust foundation. It challenges the notion of fixed, ideal constants and invites us to consider that every measurement is the result of finite, structured interactions. In doing so, it bridges the gap between quantum mechanics and Finite Mechanics, setting the stage for a deeper, more nuanced understanding of the atomic world.

# Chapter 9

## From Frequencies to Geometry

*From blue to the cube,  
Pablo painted the rainbow,  
the shape of peace.*

### Deriving atomic structure from finite principles

For decades, the equations of quantum mechanics have been framed in terms of abstract constants—most notably, Planck’s constant  $h$ . In traditional treatments, these constants serve as the bedrock for a world of isolated, idealized entities. However, Finite Mechanics (FM) challenges this view by insisting that our understanding of atomic interactions must be grounded in what is actually measured. In our approach, we reframe classical QM equations by anchoring them in the Rydberg frequency  $f_R$  and the intrinsic electromagnetic properties of the vacuum—namely, the electric permittivity  $\epsilon_0$  and the magnetic permeability  $\mu_0$ .

By recasting these equations in terms of frequency (whose dimensions naturally tie to inverse metres), we not only enhance their empirical basis but also expose a route toward a finite, geometric model of the hydrogen atom. In this chapter, we present three endpoint equations that encapsulate this new perspective, briefly outline their derivation from classical QM formulas,

and explain their implications.

## Recasting the Rydberg Constant

Historically, the Rydberg constant  $R_\infty$  was determined from measured spectral lines of hydrogen and is given classically by

$$R_\infty = \frac{\alpha^2 m_e c}{2h}, \quad (9.1)$$

where:

- $\alpha$  is the fine-structure constant,
- $m_e$  is the electron mass,
- $c$  is the speed of light, and
- $h$  is Planck's constant.

In FM, we express  $c$  in terms of the vacuum constants,

$$c = \frac{1}{\sqrt{\epsilon_0 \mu_0}}, \quad (9.2)$$

and recast the fine-structure constant in measured terms. After a series of algebraic steps (see Appendix A for full details), we arrive at the following FM expression:

$$R_\infty = \frac{m_e e^4 \sqrt{\mu_0}}{8h^3 \epsilon_0^{3/2}}. \quad (9.3)$$

Now, by invoking the relation between the Rydberg constant and the Rydberg frequency  $f_R$ ,

$$f_R = R_\infty c, \quad (9.4)$$

and substituting Equation (9.2) back in, we obtain a surprisingly simple relation:

$$R_\infty = f_R \sqrt{\epsilon_0 \mu_0}. \quad (9.5)$$

This is our first endpoint equation—showing that the Rydberg constant, traditionally expressed via  $h$ , is equivalently determined by the measured Rydberg frequency and the intrinsic vacuum properties.

## Eliminating $h$ : The Endpoint Equations in Terms of $f_R$

Further manipulation of the classical derivations yields an expression for  $h^3$ . Starting from Equation (9.3), we rearrange to obtain:

$$h^3 = \frac{m_e e^4}{8 f_R \epsilon_0^2}. \quad (9.6)$$

Taking the cube root, we derive

$$h = \left( \frac{m_e e^4}{8 f_R \epsilon_0^2} \right)^{\frac{1}{3}}. \quad (9.7)$$

Although  $h$  appears explicitly in this relation, in FM this equation is used only as a stepping stone. By substituting Equation (9.7) into the familiar energy relation  $E = h f_R$ , we define a characteristic energy scale for atomic interactions:

$$E_R = h f_R = f_R \left( \frac{m_e e^4}{8 f_R \epsilon_0^2} \right)^{\frac{1}{3}} = \left( \frac{m_e e^4 f_R^2}{8 \epsilon_0^2} \right)^{\frac{1}{3}}. \quad (9.8)$$

This equation is our third endpoint—tying the energy scale directly to the Rydberg frequency and the measured vacuum constants, thus bypassing the need to treat  $h$  as an independent, abstract constant.

## Implications for a Finite Geometric Model

The three endpoint FM equations can now be summarized as:

$$R_\infty = f_R \sqrt{\epsilon_0 \mu_0}, \quad (9.9)$$

$$h^3 = \frac{m_e e^4}{8 f_R \epsilon_0^2}, \quad (9.10)$$

$$E_R = \left( \frac{m_e e^4 f_R^2}{8 \epsilon_0^2} \right)^{\frac{1}{3}}. \quad (9.11)$$

These equations are not merely mathematical curiosities; they are our local, measurable anchors. By expressing the fundamental relationships in terms of the Rydberg frequency (which has dimensions of  $\text{m}^{-1}$ ) and the electromagnetic properties of the vacuum, FM provides a clear, empirically based pathway toward constructing a finite geometric model of the hydrogen atom. In this picture, atomic interactions are not abstract quanta isolated by idealized constants; they are the direct outcome of finite, measurable e-u (electromagnetic) interactions.

This approach hints at an underlying geometric structure within the atom—one in which the discrete emission and absorption lines of hydrogen arise from a structured, finite network of interactions. Any variation in the measured Rydberg frequency, our local "ruler", would necessitate a recalibration of the model, reflecting the inherently dynamic and finite nature of the universe. This perspective sharply contrasts with classical quantum mechanics, where constants are fixed and the world is treated as a collection of perfect entities.

## Still Further to go

By re-deriving key quantum-mechanical expressions in terms of the Rydberg frequency and the vacuum constants  $\epsilon_0$  and  $\mu_0$ , we have obtained a set of endpoint FM equations that are firmly anchored in measurable, local interactions. These equations not only serve as a consistency check on classical QM but also provide critical clues for constructing a finite, geometric model of the hydrogen atom. The full derivations are presented in Appendix A, lending mathematical rigor to our approach while keeping the main narrative accessible.

As we move forward, the clues provided by these endpoint equations will guide us into exploring the geometry of the hydrogen atom. Our journey continues as we bridge the gap between what is measured and the emergent structure of the atomic world—a journey that redefines the very constants of nature in terms of what we can observe.

# Chapter 10

## Beyond Particles

*Find the pointillism,  
dividing all the colours,  
an image appears.*

### Reality as interaction, not objects

In our quest to understand nature through Finite Mechanics (FM), we have learned that what we call “particles” are not mysterious objects with hidden fields or intrinsic mass. Instead, they are nothing more than the measurable traces of localized interactions—a vivid record of the exchanges that occur within the e-u stiffness lattice. In this chapter, we explore how these *particle trace patterns* provide a direct window into the dynamics of the universe.

### The Essence of Finite Interactions

Imagine striking a pane of glass with a bullet. What remains behind are not the bullet or any invisible force fields but rather the pattern of fractures—distinct, observable marks that tell the story of the impact. In FM, every measurement captures a similar story: a direct imprint of an interaction. There are no unobservable entities, no infinite fields, and no hidden actors. Instead, we measure the *interaction density*—the local, finite exchange that creates a pattern in our detectors.

When we record a trace in a bubble chamber or on a CMOS detector, we are not observing an “electron” or a “quark” in isolation. We are witnessing the wake that an interaction leaves as it propagates through three-dimensional space. In this view, mass, charge, and momentum are not intrinsic properties waiting to be discovered; they are emergent features defined by the persistence of these interaction wakes.

## Visualizing Interaction Wakes

Traditionally, particles are thought of as tiny, self-contained objects. FM challenges this picture by showing that what we call a particle is simply a shorthand for a pattern of interaction density measured over a finite interval of time and space. Consider the following conceptual visualizations:

- **Quarks:** Instead of imagining quarks as confined objects with hidden attributes, picture them as twisted loops or spirals—the continuous imprints of strong, localized interactions that can never be isolated.
- **Charged Leptons:** Electrons, muons, and tau particles reveal themselves as smooth, continuous waveforms. These tracks represent the measurable persistence of charge–mass interaction density.
- **Neutrinos:** With only minimal interaction, neutrinos leave behind faint, nearly stochastic traces. Their elusive signatures are a reminder that even the weakest interactions register finite imprints.
- **Gauge Interactions:** For example, photons are registered as simple oscillatory traces—regular sine-wave patterns that emerge from rhythmic interaction exchanges. Gluons, mediators of the strong interaction, produce braided, interwoven traces that reflect complex local dynamics.
- **Emergent Mass:** In FM, mass is not an inherent “thing” but a concept derived from the persistence of interaction density. When we speak of mass, we refer to the collective outcome of interaction measurements, not to a hidden substance.

## Observed vs. Inferred Interaction Wakes

The traces we detect in our instruments offer a direct window into local interactions. Some of these interaction wakes are captured unambiguously—such as the smooth tracks of charged leptons or the oscillatory patterns of photons—providing clear, finite evidence of interaction persistence.

Conversely, certain wakes, like those associated with quarks, gluons, or even the elusive neutrinos, are not observed directly. Their existence is inferred from the overwhelming success of the Standard Model. These entities are deduced from the patterns of jets in high-energy collisions and from the overall consistency of rate equations that predict interaction behavior. This duality of direct observation versus inference is a key strength of the Standard Model. Finite Mechanics builds on this foundation by offering an interpretation that emphasizes only what is measurable.

## The Standard Model

One of the most compelling aspects of the Standard Model is its ability to predict experimental outcomes with astonishing precision. At its core, this success can be viewed as the result of a set of rate equations that describe the dynamics of interactions. These equations capture how interaction densities persist and evolve over time, yielding patterns that align with what our detectors record.

Finite Mechanics reinterprets these rate equations by viewing them not as rules governing abstract fields or inherent particles, but as descriptions of finite, localized interaction wakes in the e-u stiffness lattice. In this framework, quantities such as mass, charge, and momentum are emergent scalars derived from direct measurements of interaction density. This reinterpretation does not diminish the success of the Standard Model; rather, it celebrates that success by showing that its predictive power comes from capturing the essence of finite, measurable events. The Standard Model's predictions work because they are ultimately built on finite measurements—patterns in data that reveal structured interactions. Finite Mechanics does not seek to replace this success but to refine our understanding by working solely with what is directly measurable.

## The Journey Ahead

By reading these interaction wakes, we step away from the conventional idea of particles as discrete objects and move toward a model built entirely on what can be measured. This fresh perspective encourages us to rethink classical and quantum phenomena using only the language of direct, finite interactions.

The enduring accuracy of the Standard Model’s predictions testifies to the power of these rate equations. Finite Mechanics does not dispute this success; it reinterprets it by removing unobservable abstractions. Every detected trace is the honest imprint of a finite interaction, a measurable event recorded with finite precision.

In the coming sections, we will delve deeper into the mathematical formulations that describe these interaction patterns, explore experimental setups designed to capture them, and discuss how this finite perspective might offer new insights into longstanding puzzles in physics. This chapter is an invitation to see nature as a dynamic, evolving tapestry of finite events—a clear narrative told through the language of interaction wakes.

In physics, **energy** is a measure of a system’s ability to do *work* or cause change. It is an abstract, conserved quantity that manifests in various forms—kinetic, potential, thermal, and electromagnetic—and is measured in **joules (J)**. One joule is defined as one newton-meter, with dimensions:

$$\text{kg} \cdot \text{m}^2/\text{s}^2$$

where **kg** represents mass, **m** represents length, and **s** represents time.

Similarly, **”force”** is an abstract concept that quantifies the interaction between objects—a push or pull that causes changes in motion. **”Force”** is measured in **newtons (N)**, with one newton defined as the force required to accelerate a one-kilogram mass by one meter per second squared, giving dimensions of:

$$\text{kg} \cdot \text{m}/\text{s}^2$$

These formal definitions provide a precise language for describing physical phenomena. Energy quantifies the capacity for **”force”** to produce change; in other words, energy is the scaled product of **”force”** and displacement.

## From Abstract Quantities to Measurable Interactions

For centuries, energy and "force" have been seen as intrinsic properties of nature. In traditional physics, energy is treated as a kind of currency—something that flows, accumulates, and transforms—while "force" drives the change in motion. Equations such as  $E = mc^2$  and  $W = F \cdot d$  encapsulate these ideas elegantly.

Finite Mechanics (FM), however, challenges this view. In FM, energy and "force" are not fundamental substances but are descriptive tools—scaled observations arising solely from the underlying, finite interactions between objects. Measurable interactions are the only true physical events, and energy, as well as "force," is our way of quantifying these interactions.

## The Role of Measurement in Finite Mechanics

FM emphasizes that the quantities we observe—'energy' and 'force'—are reflections of the finite, discrete interactions between entities. When we measure 'energy' or 'force', we are scaling the raw data of interactions using our chosen units and constants. As such, the units and constants we use serve as bridges between our measurements and the finite interactions they represent. The values we assign to energy and "force" depend on the context of the interaction—its spatial extent, duration, and the nature of the exchange between objects.

In FM, energy is seen as a convenient descriptor—a *hidden actor*—that arises from these measurable interactions.

The equation  $E = mc^2$  elegantly links mass and energy with a universal scaling factor,  $c^2$ . Yet a closer look at the dimensions reveals an intriguing detail. In reality, mass occupies a finite volume (with dimensions of, say,  $m^3$ ), while the scaling factor involves the square of speed (with dimensions  $(m/s)^2$ ). This juxtaposition hints at a deeper insight: **energy as the hidden actor** in our equations.

This perspective suggests that although  $E = mc^2$  works well in classical models capturing the relationship between the abstract ideas of mass and

energy by applying a universal scaling law, in an FM based model it overlooks the volumetric, three-dimensional nature of mass. By acknowledging that mass has volume and that the speed term is squared, this may lead FM in a different direction.

For example, one may consider a generalized work function where work in this case relates to interactions:

$$W = f(m, V, a, k)$$

where  $V$  represents the volume occupied by the mass, directly incorporating spatial dimensions into the relationship. This formulation takes a different viewpoint basing the concept of work as interactions on finite, measurable interactions.

The Finite Mechanics framework lets us consider the traditional view of energy and "force." Instead of treating these quantities as fundamental entities, it points the way to scaled observations, where we use measurements to describe the measurable, finite interactions between objects.

In this light: 'Energy is not an intrinsic property of matter but a descriptor that arises from the interplay of "force" and displacement. 'Force' itself is a quantification of interactions, observed as discrete events that cause change.

This alternative viewpoint simply offers a different perspective, one that takes into account the dimensional, volumetric reality of mass and based on the idea that the world and the interactions we see are based on 3 dimensional real and finite world.

If all that we measure are the wakes of finite interactions, what then are mass and charge? Are they fundamental properties, or are they merely descriptions of how interactions persist? In the next chapter, we examine how these abstractions arise—not as inherent traits of nature, but as the result of measurable deflections, resonances, and accelerations

# Chapter 11

## The Illusion of Fundamental Properties

*The conjurer's cups,  
the art of misdirection,  
hiding in plain sight.*

### Mass and charge as emergent effects

In our journey through Finite Mechanics, we have repeatedly emphasized that what we truly observe are not immutable particles or fixed entities, but rather the finite, structured interactions that give rise to their behavior. What we call mass and charge are not inherent properties of particles. They are patterns we observe in measurable interactions. This chapter explores how laboratory measurements, such as deflection curves and resonance frequencies, shape our understanding of these fundamental concepts. In this chapter, we turn our attention to one of the very foundations of physics—how we measure the charge–mass properties of particles—and show how these measurements lead us to the classical notion of intrinsic mass and charge. In essence, the act of measurement captures interactions, not “things.” The “things” we later abstract may, in fact, be as fanciful as pink elephants and wings.

## The Laboratory of Interactions

### Mass Spectrometry: Tracing the Curves of Deflection

Mass spectrometers are among the most elegant demonstrations of Finite Mechanics in the laboratory. In these instruments, we do not directly “see” mass or charge; instead, we observe their interplay through the deflection of ionized particles:

**Ion Generation and Acceleration:** Charged particles are produced by ionizing a sample and then accelerated by an electric potential. Their acquired kinetic energy—stemming from this finite, measurable process—sets the stage for their interaction with external fields.

### The Magnetic Field as a Finite Filter:

When these particles enter a region with a known magnetic field, they experience a Lorentz force,

$$F = qvB,$$

which curves their trajectories. The radius of curvature,

$$r = \frac{mv}{qB},$$

serves as a direct fingerprint of the charge-to-mass ratio.

### From Curve to Constant:

Repeated measurements of these deflections yield consistent values of  $\frac{q}{m}$ . Through the process of averaging many finite interactions, these empirical values are abstracted into the classical entities we now call “charge” and “mass.”

### Cyclotrons: The Resonance of Finite Motion

Cyclotrons provide a complementary picture. In these devices, charged particles are confined and accelerated by alternating electric fields and a steady magnetic field:

- **Circular Orbits and Resonance:** As particles spiral outward, their orbital frequency, dictated by

$$f = \frac{qB}{2\pi m},$$

is measured with great precision. This frequency is the natural rhythm of the finite interactions between the particle and its environment.

- **Scaling Up from the Measured:** Similar to mass spectrometry, the cyclotron frequency gives us a concrete means to calculate the charge-to-mass ratio. These measurements reveal that “mass” and “charge” are not inherent, isolated properties but emerge from the finite nature of interactions.

## The Emergence of Classical Entities

### From Deflection to Definition

The experimental procedures of mass spectrometry and cyclotron acceleration yield precise, repeatable values for the charge-to-mass ratio. Over many iterations, these finite interactions solidify into what we now treat as intrinsic properties. The abstraction process, is indeed powerful and works through rigorous averaging and calibration, the raw data from deflections and orbital frequencies transform into the idealized constants of nature. These constants are, in effect, mathematical conveniences and very powerful abstractions that enable us to model a complex, finite reality with elegant simplicity.

### A Finite Ontology

Finite Mechanics shows us that these “constants” are not the essences of “things” but are instead emergent from the measurable interplay of interactions. It seems when we look closely, mass becomes a measure of the persistence or stability of an interaction, and charge reflects the directional influence within a field, both dynamic properties rather than inherent labels. The classical abstractions of mass and charge are built upon repeated finite interactions. This perspective highlights a philosophical fact: we measure interactions, not things. The “objects” we later define may be as whimsical

as pink elephants and wings, yet they arise from a rigorously measured, finite process.

## Implications and Reflections

The journey from measuring deflections and cyclotron frequencies to the abstraction of mass and charge is not a mere historical footnote, it is a vivid demonstration of Finite Mechanics in action: Every numerical constant used in physics is built upon layers of finite, structured interactions. These constants are the summation of countless discrete events and do not exist independently of the interactions that give rise to them. When we acknowledge that mass and charge emerge from finite measurements, we open the door to reinterpreting many aspects of physics—from atomic structure to cosmic dynamics—through a lens that is both empirically grounded and conceptually innovative. By returning to the origins of measurement we create a bridge to new models, Finite Mechanics invites us to construct alternative models—geometric, tree-based, or disc-like representations of atoms—that might more faithfully capture the underlying finite reality.

In this chapter, we have traced the path from laboratory measurements, where particles are deflected and accelerated, to the abstraction of mass and charge as classical constants. This process is the very heartbeat of Finite Mechanics, reminding us that what we consider “intrinsic” is often the product of averaging over finite, measurable interactions. As we move forward in our exploration of Finite Mechanics, let this understanding serve as a bridge—a reminder that our theoretical constructs, no matter how elegant, are born from the tangible world of interactions. In doing so, we embrace a new ontology where the classical “things” are recognized as the emergent, and sometimes even fanciful, byproducts of a universe defined by finite, real exchanges.

If mass and charge emerge from measurement, could other physical ‘constants’ also be fluid, shaped by the way we observe the universe? As we continue, we will explore how these structured interactions scale from the atomic to the cosmic.

# Chapter 12

## Electromagnetism as Finite Interactions

*Sunshine radiant,  
in body, mind, and spirit,  
effervescent light.*

### Rethinking waves and fields in a finite context

The standard model of electromagnetism describes a continuous spectrum—from radio waves to gamma rays—as variations of oscillating electric and magnetic fields propagating through space. Yet, mounting observational evidence suggests that these waves exhibit fundamentally different properties depending on their frequency and the way they interact with matter. Finite Mechanics (FM) offers an alternative perspective: electromagnetic radiation is not a single, undifferentiated phenomenon but emerges from structured, finite interactions. In this framework, the electromagnetic spectrum is understood in terms of persistence mechanisms, where the properties of each subdivision—from radio waves to gamma rays—reflect distinct modes of interaction. This chapter integrates these ideas with a special focus on X-rays and gamma rays, setting the stage for deeper exploration in later work.

## Foundations of FM-Based Electromagnetic Interactions

FM asserts that physical reality is defined not by isolated, intrinsic entities but by the interactions between them. In this view, the electromagnetic spectrum does not arise from a continuous field but rather from a series of structured interactions within the e-u stiffness framework. Each frequency band corresponds to a distinct persistence behavior:

- **Radio Waves:** Dominated by large-scale coherence, these waves are best understood as field-propagated interactions rather than discrete photon events.
- **Microwaves and Infrared:** These occupy a transitional region where persistence effects begin to structure atomic and molecular interactions.
- **Visible Light:** Here, discrete photon persistence structures emerge from nodal interactions, leading to the quantization observed in experiments.
- **Ultraviolet and X-Rays:** In these bands, emissions are tied to structural resonance effects within atoms rather than the simple emission of photons.
- **Gamma Rays:** Rather than high-frequency electromagnetic waves, gamma rays are interpreted as the result of persistence collapse events, rooted in fundamental nuclear interactions.

This layered perspective reconciles the distinct behaviours of electromagnetic radiation across different scales while remaining fully consistent with a universe based on finite interactions.

## X-Rays: Structural Resonance Effects

X-rays are commonly classified as high-energy photons, yet their observed characteristics challenge this conventional view. In the FM framework, several key points emerge:

- **Emission Mechanism:** X-rays arise from inner-shell electron transitions. Rather than viewing these transitions as arbitrary energy jumps,

FM interprets them as structural resonances—shifts within the nodal framework of an atom.

- **Elemental Signature:** The specificity of X-ray spectra to atomic structure implies a deep connection with the persistence modes of the e-u stiffness network, reinforcing the notion that X-rays are structured resonance emissions.
- **Material Interaction:** The penetration properties of X-rays depend critically on atomic electron configurations, suggesting that the interaction is governed by detailed persistence modes rather than a simple, energy-based absorption.

Thus, in FM, X-rays are not simply high-energy photons; they represent quantized emission patterns emerging from shifts in atomic persistence states.

## Gamma Rays: Persistence Collapse Events

Gamma rays, by contrast, possess unique origins and interactions that set them apart from X-rays:

- **Nuclear Origin:** Unlike X-rays, which result from electron transitions, gamma rays emerge from nuclear energy rearrangements. FM interprets these events as persistence collapse events—moments when the stability of a nuclear configuration is disrupted, releasing energy.
- **Penetration Power:** The remarkable ability of gamma rays to penetrate dense materials reflects a distinct persistence mode, one associated with the fundamental restructuring of nuclear interactions.
- **Energy Release:** Frequently observed in the aftermath of radioactive decay, gamma rays signal the realignment of nuclear states, emphasizing their role as markers of finite interaction collapse rather than mere high-frequency oscillations.

In the FM view, gamma rays are a direct consequence of these collapse events, underscoring the fundamentally different interaction dynamics at the nuclear level.

## A different spectrum

The FM perspective on electromagnetic interactions leads to several important insights. The electromagnetic spectrum is not homogenous and frequency ranges arise from distinct persistence mechanisms, challenging the conventional wave-particle duality and highlighting the rich variety of interaction modes. There Distinct Origins for X-Rays and Gamma Rays. Treating the electromagnetic spectrum as homogenous source of obscures their unique origins—atomic resonance for X-rays and nuclear persistence collapse for gamma rays. Importantly, in FM, charge is seen not as an intrinsic property but as a manifestation of directional persistence in interactions. This framework suggests a structured pathway to refine models of light-matter interaction, spectral emissions, and nuclear transitions, opening the door to new theoretical and experimental investigations.

## Terahertz Radiation and the Terahertz Gap

The terahertz (THz) region, spanning roughly from 0.1 to 10 THz, occupies a curious position in the electromagnetic spectrum—straddling the boundary between microwaves and infrared light. Traditionally, this region has been labeled as the "terahertz gap" because the technology for its efficient generation and detection remains underdeveloped compared to other frequency bands. From an FM perspective, however, the terahertz gap is not merely a technological hurdle, but a clue to a deeper, finite structure underlying electromagnetic interactions.

In classical electromagnetism, radiation is modeled as a continuous spectrum of oscillating fields, yet observational evidence indicates that the behavior of electromagnetic waves is not uniform across all frequencies. Terahertz radiation, with its unique wavelength and energy scales, exhibits distinct properties: it is strongly absorbed by atmospheric gases, limits long-distance terrestrial propagation, and demands new sources and detectors beyond those effective for both radio and optical frequencies.

The terahertz gap, therefore, may be seen as the transitional region where one set of persistence effects gives way to another. It is here that conventional electronic devices falter, not simply due to engineering limitations, but because the fundamental interaction dynamics are changing. In FM,

such a gap is a natural consequence of a finite interaction-based universe, suggesting that the difficulties in generating and manipulating THz waves reflect real, physical transitions rather than merely technological shortcomings. These peculiarities are examined closely within the Finite Mechanics framework, the terahertz gap hint that electromagnetic behaviour across the spectrum is quite different at different scales suggesting quite different modes of interaction.

## Moving forward

The classical view of electromagnetic radiation as a continuous, homogeneous phenomenon fails to capture the nuances revealed by modern observations. Finite Mechanics provides a compelling alternative by positing that what we measure are structured, finite interactions. By recognizing X-rays as atomic resonance effects and gamma rays as persistence collapse events, the FM framework not only aligns more closely with empirical data but also challenges us to rethink the fundamental nature of electromagnetic phenomena. In doing so, it offers a coherent and observationally grounded model that promises to deepen our understanding of light, matter, and the interactions that weave the fabric of the universe.

Future work will focus on developing precise mathematical representations of these ideas, further bridging the gap between empirical observation and theoretical rigor—all while maintaining the finite, interaction-based ontology at the heart of Finite Mechanics.



# Chapter 13

## The Nature of Space

*Between dusk and dawn,  
hearing heaven's midnight call,  
the opera plays.*

### The Aether: A Forgotten Concept or a Re-framed Reality?

Throughout history, physicists have grappled with the nature of space and the medium through which forces propagate. One of the longest-standing ideas in physics was the concept of the aether—a presumed invisible, all-pervasive medium that supported the transmission of light, much as air carries sound waves or water carries ripples.

#### The Classical Aether: From Descartes to Maxwell

The idea of the aether can be traced back to René Descartes (17th century), who envisioned space as a plenum—a fully occupied medium where motion occurred through vortex-like interactions. Later, Isaac Newton considered the possibility of a "subtle spirit" filling space to mediate forces like gravity, though he left the nature of this medium largely undefined.

The aether concept took on a more precise form in the 19th century, partic-

ularly with James Clerk Maxwell's electromagnetic theory. Maxwell's equations describe how electric and magnetic fields propagate as waves, leading many physicists to assume the existence of an aether as the carrier of these waves—analogous to air transmitting sound. The aether was thought to be an absolute reference frame, a stationary medium through which light waves moved.

## **The Demise of the Aether: Michelson-Morley and Einstein**

The turning point for the aether came with the famous Michelson-Morley experiment (1887). This experiment attempted to measure the motion of Earth relative to the aether by detecting shifts in the speed of light due to Earth's movement. The null result—no variation in light speed—was taken as strong evidence against a stationary aether.

Following this, Albert Einstein's Special Relativity (1905) removed the need for an aether entirely. By proposing that the speed of light is constant in all inertial frames, Einstein's theory eliminated the necessity of a background medium for light propagation. Instead, space itself was treated as the stage on which relativistic effects unfolded, without requiring an underlying substance.

## **The Aether Reconsidered: Modern Perspectives**

Despite its apparent dismissal, the concept of an underlying structure to space has never truly vanished. Quantum Field Theory (QFT) replaced the classical aether with an all-pervasive quantum vacuum, filled with fluctuating energy and virtual particles—a model that, in some ways, functions as a highly abstracted version of an aether.

As a result of the taking finite axiom based approach, the goal in finite mechanics is to find mechanism to explain our measurements and look for clues that may enable us to form a new model of space in which we frame the interaction we observe with our instruments and transducers.

So out of respect for finite axioms we have to exclude the idea of an infinite void or a fluctuating quantum vacuum and look for a finite solution. The goal is not bring back the classical aether but instead propose an alternative:

In reflecting upon the evolution of physics and the quest for deeper understanding of our universe, it becomes clear that visualization and conceptual framing profoundly matter. Historically, physicists have sought increasingly abstract mathematics to describe phenomena beyond ordinary intuition. Quantum Mechanics (QM) and Quantum Field Theory (QFT), despite their extraordinary predictive power, have guided us toward abstractions that often resist intuitive visualization.

Let's go back to our visualization of the hydrogen atom scaled so the proton is the size of the Sun. At the scale of the Consider typical depictions encountered: electron clouds represented as hazy volumes surrounding a compact atomic nucleus. Scaling an atom to the size of our solar system immediately reveals conceptual limitations. If the nucleus were the size of our Sun, an electron would be comparable to a marble orbiting approximately 200 astronomical units away—far beyond Pluto. A visible photon at 500 nm wavelength would stretch around 44 light-years, emphasizing the inadequacy of traditional quantum "cloud" imagery at comprehensible physical scales.

QM and QFT advanced physics through mathematical abstraction, enabling unmatched predictive capability, yet these theories can seem profoundly un-intuitive. Consider QFT's foundational approach, where every point in space hums with infinite oscillations, a vast, fluctuating sea where particles blink into existence as ripples in an abstract mathematical fabric. In this mathematical structure, fields permeate all space, and particle behaviors arise from excitations or oscillations within these fields. Particles in QFT are described through harmonic oscillators—each representing quantized excitations in infinite fields. Mathematically, a particle like the electron emerges as an excitation in a quantum field, analogous to vibrations propagating through an infinitely stretched medium. Schrödinger's equation, formulated in 1926 by Erwin Schrödinger, exemplifies this approach:

$$i\hbar\frac{\partial}{\partial t}\Psi(x,t) = -\frac{\hbar^2}{2m}\nabla^2\Psi(x,t) + V(x)\Psi(x,t)$$

This equation describes electron behavior probabilistically—fundamental particles existing as probability amplitudes distributed across space and time. Within QFT, these particles interact through oscillators: fields that vibrate, exchanging quanta, or "particles," to mediate forces. One of the core QFT

equations that encapsulates the quantization of these fields is the Klein-Gordon equation for scalar fields:

$$\left( \frac{\partial^2}{\partial t^2} - \nabla^2 + m^2 \right) \phi = 0$$

This equation models a relativistic quantum field where excitations correspond to actual particles. However, QFT requires renormalization to handle the infinities that emerge due to field interactions—forcing the framework to mathematically subtract infinite quantities to yield finite predictions. This reliance on infinities raises a fundamental question: \*What if reality is intrinsically finite and does not require such abstractions?\*

However, what if reality is fundamentally finite, real, and intuitively accessible, defined explicitly by measurable quantities and finite interactions? In which case, can we find an alternative theory defined by discrete frequencies and measurable physical constraints that will fit with our observations.

Returning to our solar-system-scaled atom model, a finite model has to introduce clarity where QFT offers only abstraction. Rather than infinite oscillations in abstract fields, something more concrete has to be developed. A background that enables stable interactions, where forces arise from finite constraints, not field infinities. Atomic stability emerges naturally within these finite boundaries, providing intuitive visualization without relying on probabilistic clouds or infinite fields.

So we need to examine the clues and build our new space based on the evidence and imagination. We need to find a logical path to describing interactions in a way that remains fully measurable, avoiding the need for renormalization.

In what follows, we delve deeper into our background space with a view to illuminate atomic and subatomic interactions in ways that maintain rigor but also offer the intuitive accessibility, of a finite model and explanation at its fundamental scales.

## **The Role of the CMBR in Quantum Field Theory vs. Finite Mechanics**

Quantum Field Theory (QFT) fundamentally relies on the concept of fluctuating vacuum states, where virtual particles emerge and disappear as statistical fluctuations. This approach treats the vacuum as a seething quantum foam—a background of random excitations that sum to zero on average. Within this framework, space itself is not a structured entity but rather a stage where probabilistic interactions occur.

### **QFT's Vacuum and the Absence of a Persistent Background**

In QFT, every point in space is treated as an independent quantum harmonic oscillator. The vacuum, far from being empty, consists of all possible field excitations. The mathematics of QFT ensures that these fluctuations maintain a net zero sum, preserving the theory's internal consistency. However, this perspective deliberately omits any persistent, finite energy density beyond the theoretical zero-point fluctuations.

Possibly, one of the key omissions in QFT is the Cosmic Microwave Background Radiation (CMBR) as a structural component. The CMBR is observed as a uniform, all-pervasive background radiation at 2.725 K, filling all of space with a consistent spectral signature. If QFT incorporated the CMBR as a fundamental component, it would imply: A continuously available finite energy source, rather than transient, zero-sum fluctuations. It would also require a preferred frame of reference, contradicting the assumptions of Lorentz invariance, where all motion should be relative without a universal background.

The CMBR may then represent a contradiction with vacuum energy assumptions, since QFT's framework necessitates that the vacuum remains symmetric and structureless beyond transient quantum effects. This may be why QFT has historically not incorporated the CMBR into its fundamental structure, it lacks a logical mechanism for doing so without violating its core principles. Instead, the CMBR is treated as a historical relic from the Big Bang rather than an active feature of the present universe.

Exploring a More Structured Space A central challenge in moving beyond the

smooth, continuous models of spacetime lies in envisioning what a more structured space might look like. The standard picture—where space is treated as an unbounded continuum—serves as an effective backdrop for much of classical and quantum theory. Yet from a finite perspective, it raises the question: if physical interactions are always measured in finite increments, should the very concept of space also be subject to finite or discrete structures?

## Why Question Continuum Assumptions?

For centuries, scientists have modeled space as a seamless manifold, infinitely divisible and without any fundamental “grid.” This approach yields elegant equations but can also introduce persistent infinities—both mathematical and conceptual. The idea of structured space begins with a simple proposition: perhaps those infinities reflect an artifact of our models rather than an inescapable truth of nature. If we allow even the possibility that space has subtle “subdivisions” or discrete layers, might this reframe longstanding puzzles in physics?

### One Illustration: “Nodal Space”

In earlier chapters, we introduced nodal space as one attempt to discretize the geometry behind interactions, essentially picturing reality as a network or lattice of finite nodes through which physical interactions propagate. This is a valuable reference model for illustrating how finite structures could replace the idea of an unbounded continuum. Yet it is only an illustrative model, not an assertion that nature must follow a specific nodal blueprint.

Conceptual Bridge: Even though nodal space provides concrete mathematical hooks (like interaction mass or nodal “bonding”), it remains one example of how finite constraints might govern local physics. Scope of Possibility: Other discrete frameworks exist, such as spin-network formulations or fractal-like lattices, each offering a different geometry for weaving together space and matter.

## The Broader Landscape of Structured Theories

The quest for a “structured space” goes well beyond any one lattice or nodal arrangement. Across theoretical physics, we can see a range of efforts that

challenge total smoothness:

**Spin Networks and Loop Quantum Ideas:** In certain quantum gravity approaches, spacetime is hypothesized to arise from interlinked loops or discrete spin connections. **Cellular Automata and Computational Frameworks:** Some view the universe as executing discrete update rules, reminiscent of digital simulations. **Fractal or Multiscale Geometries:** Others imagine space not as uniform but as layered or hierarchical, with different rules emerging at different scales. Each of these frameworks stems from the intuition that behind the apparent continuity of nature, there could be a finite or structured basis. Our proposed nodal concept is simply one such foray into that unexplored terrain.

## **Bridging Continuity and Discreteness**

A question often arises: What if the world is truly continuous, yet we find discrete models so appealing? One response is pragmatic. Even if reality is continuous, we still rely on finite numerical techniques to solve our equations. From that vantage point, investigating structured or discretized space is not only natural—it may open new ways of interpreting the success or failure of classical methods. Sometimes, the distinct “patches” of a finite model shed light on phenomena that remain blurred in a smooth manifold.

**A Collaborative View:** Instead of seeing these attempts as a rejection of continuity, they can be embraced as complements—ways to probe anomalies, potential scale-dependent effects, or the subtle interplay between geometry and measurement.

## **An Invitation to Further Exploration**

While nodal space appears throughout this book as a concise working model, it should not be read as the final or only statement on how to structure space. Indeed, the essence of this approach is not that “nodal is correct,” but that we must remain open to the possibility of any finite, discrete, or partially structured alternative.

**Open Questions:** Could there be a hybrid geometry, continuous in some dimensions but discretized in others? Could local boundary conditions themselves set discrete layers within an otherwise continuous manifold? Itera-

tive Refinement: Since these ideas remain exploratory, it's possible multiple frameworks will emerge, each suited to different domains of physics. Some might work best at cosmological scales, others near quantum extremities.

## **Toward a Finite-Inspired Geometry**

In short, discussing “structured space” is an invitation to view geometry as potentially quantized or discrete at some fundamental level, rather than taking an unstructured continuum for granted. Whether one adopts nodal space, fractal geometries, or other discrete proposals, the underlying theme is the same: allow the concept of space itself to be shaped by finite considerations. By acknowledging that no single model can be final or all-encompassing, we keep the door open for yet-unimagined approaches that blend continuity and discreteness in ways that better reflect how nature truly operates.

## **The CMBR as a signature of a Structured Space**

Finite Mechanics (FM), by contrast, directly incorporates finite, measurable structures as part of its foundation. In FM, the vacuum is not a seething infinite field but must therefore be a real and finite space, where interactions occur through discrete, finite entities.

A key distinction arises: whereas QFT assumes a net-zero quantum fluctuation landscape, FM proposes that the CMBR represents an ever-present, finite energy density embedded space. This changes the interpretation in profound ways:

The CMBR is not a relic but a fundamental frequency signature of the nodal structure of space.

Instead of infinite, probabilistic fluctuations, space consists of a discrete set of oscillators or harmonic modes that define its measurable properties.

Stability in FM arises naturally from the persistence of these nodal interactions, rather than requiring renormalization or statistical averaging.

Crucially, the equivalence between a fixed number of oscillators in a finite volume and Planck's black-body equation provides strong evidence for this framework. The CMBR's spectral properties align perfectly with a system

where nodal oscillators distribute discrete energy states—rather than emerging from an infinite continuum.

## **Bridging the Conceptual Gap**

From this perspective, QFT is reframed in a way that preserves measurability and realism. Where QFT sees the vacuum as random, in a finite world we require structure. Where QFT struggles with renormalization to remove infinities, these issues are avoided by recognizing space as having a real, finite physical structure.

### **The Emergence of Nodal Stiffness: A Path from Finite Axioms**

Scientific ideas often emerge not from sudden inspiration, but from a systematic confrontation with unresolved questions. The concept of e-u stiffness—and ultimately, the nodal space it defines—did not arise arbitrarily. It emerged out of necessity, from a series of finite considerations and measurable observations. The path to this idea was shaped by an attempt to resolve fundamental issues that arose when viewing the universe through a finite mechanics (FM) framework.

## **Starting Point: The Rydberg Frequencies and Atomic Structure**

The journey began with a simple but profound question: If the world is finite, what determines spatial structure at the atomic scale? Traditional quantum models describe electrons in terms of probability clouds and wavefunctions, but in FM, the focus is on measurable interactions rather than abstract probabilities.

A natural place to start was the Rydberg frequencies—the well-documented energy levels of hydrogen, which provide a precise and repeatable measurement of atomic structure. Instead of treating these as emergent features of quantum probability, FM treats them as defining features of space itself. If these frequencies determine electron energy levels, could they also determine the fundamental spacing of nodal interactions within atoms?

## **Building a Finite Spatial Framework**

From this realization, a deeper question arose: If space at the atomic scale is structured by discrete measurable values, could this structure extend beyond individual atoms? In FM, space is not an empty continuum, nor a fluctuating quantum vacuum. Instead, it is a structured network of interactions, a nodal space where stiffness—resistance to displacement—defines the fabric of interactions.

## **connecting to the CMBR: A Structured Background Instead of a Relic**

One of the most significant breakthroughs came when considering the Cosmic Microwave Background Radiation (CMBR). Conventionally, the CMBR is viewed as a remnant of the Big Bang—a historical relic imprinted upon the universe. But within FM, a different possibility emerged: What if the CMBR is not a relic, but a persistent, measurable feature of nodal space itself?

Black-body radiation models suggest a system of oscillators in a finite volume.

The CMBR's spectrum aligns naturally with a structured nodal network, where each node contributes to an equilibrium of photonic interactions.

If nodal space is defined by discrete interactions, it follows that background radiation is an intrinsic feature, rather than a fading imprint of an early universe.

This idea naturally tied into e-u stiffness—if nodal interactions define a measurable structure of space, then photons interact with that structure, meaning that the propagation of light is constrained by the properties of nodal space itself. This led to the realization that the speed of light is not a fundamental constant in an infinite void, but an emergent property of the stiffness of nodal space.

## **Bridging Atomic Structure, Gravity, and High-Energy Interactions**

Having established a structured, finite background, the next challenge was to understand how it could explain other observed physical effects. Several key insights followed:

Photon propagation is governed by nodal jumps: Instead of continuous waves,

light moves through finite steps, constrained by the stiffness of nodal space.

Charge and mass emerge from interaction density: Instead of treating charge and mass as separate properties, they are understood as dimensional expressions of nodal interaction stiffness.

Gravity arises as a tension within the nodal network: Rather than an external force field or space-time curvature, gravity is an emergent property of how nodal structures compress and stretch under mass density.

The maximum acceleration is finite: Instead of assuming limitless acceleration (as classical relativity often implies), acceleration is naturally constrained by nodal stiffness, aligning with Rydberg-scale velocities approaching  $c$ .

## **A Structured Path to Nodal Space**

The emergence of e-u stiffness and nodal space was not an arbitrary invention, but the result of a logical progression of finite considerations:

Start with measurable atomic structure → The Rydberg frequencies define spatial properties at small scales.

Consider how space itself could be structured → Discrete nodal interactions replace infinite continua.

Reframe the CMBR as an intrinsic feature → A persistent photonic interaction network replaces the Big Bang relic model.

Extend nodal principles to forces and interactions → Photon propagation, charge, mass, and gravity all follow from nodal constraints.

Through this path, the concept of nodal stiffness naturally emerged—not as a speculative alternative, but as a necessary consequence of applying finite axioms to known physics. Each step was guided by measurable reality, leading toward a framework that offers structure, clarity, and predictive capability without resorting to unobservable infinities.

This journey is not just about proposing a new model, but about demonstrating that new ideas can arise systematically from finite considerations—providing a space for imagination, without discarding the rigor of measurement and mathematics.

## A structure of space

A central pillar of Finite Mechanics (FM) is the notion that the properties we observe in nature arise from finite, measurable interactions. In this context, the *e-u stiffness*—a shorthand for the electromagnetic (epsimu) rigidity of the vacuum—plays a crucial role. This stiffness is not an abstract quality; rather, it is directly linked to a fundamental energy density that permeates our universe.

## Universal Microwave Energy as a Local, Measurable Background

Traditionally, the Cosmic Microwave Background Radiation (CMBR) has been interpreted as a relic of the Big Bang. However, within the FM framework, this radiation is reinterpreted as a *Universal Microwave Energy*—a measurable, local energy density that reflects the intrinsic vibrational state of the e-u stiffness. In FM, this universal energy is not merely “cosmic” but is also found in our immediate surroundings. It represents the baseline interaction energy that defines the finite nature of all phenomena.

## Nodal Distance and the Rydberg Frequency

A key element in quantifying the e-u stiffness is the local Rydberg frequency,  $f_R$ , derived from the discrete spectral lines of hydrogen. Recall that the Rydberg frequency is given by

$$f_R = R_\infty c,$$

where  $R_\infty$  is the Rydberg constant and  $c$  is the speed of light. This frequency provides a fundamental harmonic that sets a characteristic nodal distance within the atom. In FM, the nodal distance—essentially the inverse of the Rydberg constant—defines the spatial scale over which finite interactions occur:

$$R_l = \frac{1}{R_\infty}.$$

Because these spectral lines are directly measured,  $f_R$  and  $R_l$  serve as natural, locally calibrated units. They not only characterize atomic structure but also anchor the concept of energy density in a finite interaction framework.

## Linking e-u Stiffness to Energy Density and Temperature

The Universal Microwave Energy, when viewed as the baseline vibrational state of the e-u stiffness, naturally defines a fundamental energy density. In FM, temperature is reinterpreted as a measure of *interaction density* rather than an independent thermodynamic parameter. That is, temperature  $T$  emerges from the energy per unit volume associated with finite electromagnetic interactions. With the local Rydberg frequency setting the nodal scale, the energy density  $E_{\text{density}}$  can be expressed as a function of both the interaction intensity and the nodal distance:

$$E_{\text{density}} \propto f_R \cdot \left( \frac{1}{R_l^3} \right),$$

or, equivalently,

$$T \propto \frac{f_R}{R_l^3}.$$

This expression encapsulates the idea that as the e-u stiffness increases—or as more vibrational energy is concentrated within a fixed volume—the interaction density, and thus the temperature, rises in a quantifiable manner. In FM, such a relationship provides the critical link between microscopic interactions (governed by the Rydberg frequency) and macroscopic thermodynamic quantities.

## Implications for a Finite Geometric Model

The re-framing of both energy density and temperature in terms of local, measurable interactions marks a significant departure from classical models. Traditionally, thermodynamic quantities are treated as abstract and statistically derived. By contrast, FM proposes that:

- The Universal Microwave Energy is not a distant cosmic relic but a local baseline of the e-u stiffness.
- The nodal distance defined by the Rydberg constant sets the fundamental spatial scale for interactions.
- Temperature emerges directly from the finite energy density associated with these interactions.

This cohesive picture suggests that as vibrational interactions intensify within a defined volume, the energy density and, consequently, the temperature scale linearly until they reach a finite limit—a behavior that may also explain the energy saturation observed in dense astrophysical objects (such as stars or black holes).

## **Conclusion**

By grounding our understanding in measurable quantities such as the Rydberg frequency, electric permittivity  $\epsilon_0$ , and magnetic permeability  $\mu_0$ , FM provides a fresh perspective on both atomic structure and thermodynamics. The e-u stiffness, as evidenced by the Universal Microwave Energy, serves as the foundational interaction field from which fundamental energy density and temperature emerge. This finite, geometric framework offers a coherent route to developing a model of the hydrogen atom that is not based on abstract, idealized constants but on real, measurable interactions—a route that we will explore in the chapters to come.

In this way, FM does not claim to offer a complete solution but presents a plausible, empirically grounded method for rethinking the nature of energy, temperature, and spatial structure in the universe.

# Chapter 14

## Charge-Mass Geometry

*Two partners dancing,  
hidden in the tucker bag,  
waltzing Matilda.*

### A new perspective on charge-mass ratios

In traditional quantum-mechanical models, the atomic size is often inferred from scattering experiments and derived from charge-mass relationships. However, within the FM framework, a critical distinction must be made between charge-mass ratio as a fundamental property and interaction size as a function of geometric configuration. This distinction reshapes our understanding of atomic structure and provides a new way to interpret experimental results, particularly in scattering and spectral measurements.

### Charge-Mass Ratio and Size Assumptions

The charge-mass ratio ( $e/m$ ) is a property directly measurable from mass spectrometry and cyclotron experiments. However, it does not directly translate to physical size in a naive manner. In classical and quantum models, the assumption is often made that a large mass implies a larger physical size, or that a charge distribution follows a fixed, spherical arrangement. However,

in a finite, geometric world, charge-mass ratio simply defines the proportionality of interaction dynamics, not a direct measure of spatial extension.

## **A thought experiment illustrates this difference**

Consider a thin disc as a representation of the finite geometry of a charged particle. When aligned face-on to an incoming particle, its interaction cross-section is large, increasing the likelihood of an interaction. When turned edge-on, its interaction cross-section is much smaller, reducing the likelihood of interaction, even though its actual geometric volume has not changed. If charge-mass ratio were the sole determinant of size, we would expect interaction probabilities to remain consistent. However, the actual interaction region is defined by geometric alignment rather than by mass or charge alone. This means that an entity's interaction cross-section is entirely dependent on orientation and geometric structure—a concept largely absent from current atomic modeling approaches.

## **Finite Geometry and the Interpretation of Proton Scattering Experiments**

Proton scattering experiments serve as a perfect example of how interaction geometry, rather than absolute size, determines measured values. In electron-proton scattering experiments, different measurement techniques yield inconsistent results for the proton charge radius:

Elastic Electron Scattering: Electrons fired at protons appear to scatter as if the proton has a radius of approximately 0.87 fm. Muonic Hydrogen Spectroscopy: When a muon replaces the electron in hydrogen, leading to a much tighter orbit, measurements suggest a smaller proton charge radius of 0.84 fm, a discrepancy known as the proton radius puzzle. In conventional quantum mechanical interpretations, this discrepancy is resolved by assuming subtle corrections to charge distributions or quantum electrodynamics (QED) effects. However, in an FM-based approach, the discrepancy is expected because:

Scattering does not measure intrinsic size but interaction density at a given probe energy. Different scattering angles and energy regimes probe different interaction geometries, meaning the proton may present a larger or smaller interaction cross-section depending on how the probe interacts with its internal charge-mass structure. The interaction cross-section is orientation-dependent, meaning an incoming electron or muon may engage with different internal regions depending on how charge-mass structures align with the probe. This suggests that the proton's charge radius is not a fixed, spherical boundary but a function of its finite internal structure and the alignment conditions of the probing particle. This aligns with the broader FM perspective that all interactions occur within well-defined geometric constraints, rather than through arbitrary wavefunctions or probability distributions.

## Implications for Atomic Structure and Periodic Trends

In the FM model, atomic radii should not be treated as static values but as functions of interaction densities at different geometric orientations. Heavier elements with complex internal structures may not exhibit simple size scaling laws, as their interactions depend on nodal packing constraints rather than simple nuclear charge attraction. Periodic trends should be revisited to consider whether observed atomic sizes correlate more strongly with geometric interaction density rather than nuclear charge scaling. This revised approach provides a new foundation for interpreting not only atomic sizes but also spectral line formation, molecular bonding constraints, and nuclear structure measurements. The distinction between intrinsic size and interaction size may offer a resolution to multiple anomalies in scattering, atomic radii, and spectroscopy that have required ad-hoc corrections within traditional quantum models.

**The Muon as a Geometric Interaction Wake: An FM Perspective** In traditional physics, the muon is treated as a heavier, unstable version of the electron, with a mass 206 times greater, but the same charge and spin. Its short lifetime (  $2.2 \mu\text{s}$  ) and apparent persistence in cosmic ray showers are explained via special relativity's time dilation, where the muon is assigned its own unique "time frame" to justify why it reaches the Earth's surface in greater numbers than expected.

However, in Finite Mechanics (FM), this explanation is seen as a model-dependent assumption rather than an intrinsic property of the muon. Instead of invoking time dilation, FM proposes that the muon is not a simple mass-scaled electron but an alternative geometric charge-mass interaction state, existing as a short-lived wake within the electron-universe (e-u) field. This alternative perspective provides a more physically grounded explanation for its stability and decay, without requiring a separate relativistic time frame.

## The Muon’s Unexpected Persistence and the Special Relativity Assumption

When muons are detected at high altitudes, their numbers are consistent with their measured lifetime and velocity. However, at the Earth’s surface, far more muons are detected than expected based on their predicted decay rate. Standard physics resolves this issue by invoking time dilation via special relativity, using the equation:

$$t' = \frac{t_0}{\sqrt{1 - v^2/c^2}}$$

where:

- $t'$  is the observed longer muon lifetime,
- $t_0$  is the muon’s proper rest-frame lifetime ( 2.2  $\mu$ s),
- $v$  is the muon’s velocity ( 0.98c in cosmic rays),
- $c$  is the speed of light.

Applying this formula allows physicists to mathematically “fix” the problem, concluding that the muon experiences time more slowly, thus living long enough to reach the surface in numbers that match observations. Once this calculation works, it is taken as confirmation of special relativity, with little further questioning of alternative explanations.

From an FM standpoint, this approach merely fits the data rather than addressing the physical cause of the muon’s persistence. It assumes that the only variable affecting decay is time itself, rather than considering whether

the muon’s structure or interaction with its environment plays a role in its apparent stability.

An FM Explanation: The Muon as a Geometric Interaction Wake Rather than treating the muon as a discrete, independent particle, FM suggests it is a temporary geometric charge-mass interaction state that behaves differently from an electron due to its interaction geometry. Instead of decaying due to an arbitrary internal “clock,” the muon persists longer under specific geometric constraints.

### 1. Muons as Alternative Charge-Mass Configurations

The muon is not just a heavier electron—its mass is a charge-mass ratio that dictates a different geometric configuration within the e-u field. If an electron’s interaction region is spherical or disc-like, a muon could exist as: A thin elongated cylinder, meaning its interactions in transit are reduced. A toroidal shape, altering how it interacts with the surrounding field. A distributed charge-mass wake, meaning its interaction points are spread out, reducing decay probability in high-energy environments.

### 2. Why More Muons Reach the Earth’s Surface

If the muon is traveling not as a dense point-like particle but as an elongated or toroidal interaction form, then: Its probability of decaying mid-transit is lower than expected in a standard model. It interacts less frequently with the surrounding medium, meaning it persists longer naturally, without invoking time dilation. The muon’s presence in cloud chambers could represent the remnants of an interaction wake rather than a distinct spherical particle.

### 3. The Charge-Mass Ratio as a Stability Indicator

If the muon is a temporary geometric state, then its stability should correlate with an FM-based parameter rather than a pure mass increase.

FM introduces a potential stability measure:

$$\xi_\mu = \frac{e/m}{S}$$

where:

- $e/m$  is the charge-mass ratio,

- $S$  is the interaction size (effective geometric cross-section).

This suggests that short-lived particles may not be fundamental but are simply different charge-mass geometric states, with lifetimes dictated by their ability to remain in an interaction-viable configuration.

Testing the FM Muon Hypothesis If FM is correct, then:

Muon decay should be affected by environment-dependent interactions, rather than only velocity. Muon stability could correlate with charge-mass geometric constraints, rather than a time-based decay law. If muons are an interaction wake rather than a distinct particle, then their formation and decay should exhibit geometric dependencies. Other short-lived particles might also be charge-mass interaction states rather than discrete fundamental particles.

Implications: Rethinking Particle Physics in Terms of Interaction Geometry

Particles are not simply mass-scaled versions of one another—they are distinct geometric interaction states. Short-lived particles might not decay due to internal time but due to environmental interaction constraints. Muon longevity is not proof of time dilation — it may be a function of geometric interaction probability. Charge-mass ratios define interaction density, not absolute mass alone — FM provides a more fundamental way to describe particle interactions.

## Moving Forward

By treating the muon as a charge-mass interaction wake, FM provides a physically grounded alternative to the relativistic time dilation explanation. Rather than assuming that the muon requires its own special time frame, FM suggests that its observed persistence is due to its geometric charge-mass configuration within the e-u field. This offers a more testable and fundamental explanation for its behavior, potentially reshaping how we understand unstable particles in modern physics.

## **Particles as Interaction Wakes: An FM Perspective on Stability and Decay**

In traditional physics, the Standard Model classifies particles into fundamental building blocks such as quarks, leptons, and bosons. These entities are treated as intrinsic, point-like objects with defined masses, charges, and decay probabilities. However, in the Finite Mechanics (FM) framework, this classification may be an artifact of modeling assumptions rather than physical reality. Instead of treating particles as fundamental, FM proposes that what we observe as "particles" are actually structured charge-mass interaction wakes, with their observed stability, decay, and interaction cross-sections determined by their geometric constraints within the electron-universe (e-u) field.

### **From Discrete Particles to Charge-Mass Interaction Wakes**

To illustrate this idea, consider the bullet-through-glass analogy:

When a bullet impacts glass, it produces radiating cracks that spread outward in different patterns. These cracks are not separate entities, but structured interaction wakes that temporarily persist before the system stabilizes. Some cracks extend further and last longer; others collapse immediately. Their lifetimes and behaviors depend on the geometric constraints of the system, not an intrinsic probability of decay. Applying this to particle physics, FM suggests that:

Stable particles (electrons, protons) correspond to persistent charge-mass configurations—like the glass itself. Unstable particles (muons, pions, kaons) are transient interaction wakes, which form due to high-energy interactions and decay when their geometric structure collapses. What the Standard Model calls "decay" is simply the resolution of an unstable wake into a more stable charge-mass structure. This interpretation reframes the entire ontology of particle physics, providing a new way to understand interactions, decay, and stability without requiring intrinsic particle categories or arbitrary decay probabilities.

## Muon as a Geometric Wake: Challenging the Time Dilation Argument

**A key example of this FM principle is the muon.**

The Standard Model considers the muon to be a heavier version of the electron with no deeper explanation for its existence. It is unstable and decays into an electron and neutrinos within 2.2 microseconds. However, in cosmic-ray experiments, far more muons reach the Earth's surface than expected. To explain this discrepancy, special relativity is invoked, claiming that time dilation extends the muon's lifetime as it moves at near-light speeds. From an FM perspective, this explanation is unnecessary and flawed. Instead, the muon may not be an isolated particle at all, but a transient interaction wake with a specific charge-mass geometric configuration.

If the muon's charge-mass structure is a toroid, cylinder, or elongated wake, it may interact differently with the e-u field, reducing its decay probability in transit. Rather than experiencing time dilation, the muon's geometric configuration allows it to persist longer as it travels. Its observed presence at ground level is not proof of time dilation, but of a different interaction structure that allows for higher persistence. Thus, the Standard Model is measuring muon survival but mistakenly attributing it to a time frame effect rather than a geometric charge-mass constraint.

**Defining an FM Stability Parameter** The FM framework provides a quantifiable way to classify particle wakes based on their geometric properties. Instead of using the arbitrary categories of the standard model, FM introduces a new stability parameter: FM introduces a potential stability measure:

$$\xi_{\mu} = \frac{e/m}{S}$$

where:

- $e/m$  is the charge-mass ratio,
- $S$  is the interaction size (effective geometric cross-section).

This stability measure could be used to:

Classify particles based on their interaction wake properties rather than arbitrary intrinsic properties. Predict decay patterns without assuming probabilistic wavefunction collapse. Explain why some particles are stable (e.g., protons) while others are transient (e.g., muons, pions). This approach removes unnecessary quantum assumptions and replaces them with a physically testable, geometric basis for particle interactions.

Implications for High-Energy Physics and the Standard Model Short-lived particles may not be fundamental at all, but structured charge-mass wakes.

The distinction between "fundamental" and "composite" particles may be an artificial one. All observed high-energy particles may simply be structured wakes that exist temporarily before collapsing into stable charge-mass forms. Decay rates should be seen as a function of wake stability, not an intrinsic time-based process.

If FM is correct, the Standard Model's reliance on decay probability is just a statistical abstraction, not a fundamental property of nature. This means that, under the right conditions, a normally short-lived wake could be made to persist longer by altering its interaction structure. Neutrinos and other weakly interacting particles may be wakes with near-zero interaction volumes.

If FM is correct, neutrinos do not interact weakly because of an arbitrary "weak force," but because they exist as highly diffuse charge-mass wakes with minimal interaction cross-section. This provides a natural explanation for why neutrinos pass through matter without interacting without needing a weak force boson (W/Z).

## **Reflections on a Geometric Reinterpretation of the Standard Model**

The FM framework provides a radically new but physically grounded interpretation of particle physics:

Particles are not discrete, fundamental entities, but geometric charge-mass wakes that emerge from interactions.

Decay is not an intrinsic property but a function of geometric stability within the e-u field.

A universal FM stability parameter (charge-mass ratio vs. interaction volume) provides a testable classification system for all observed particles.

The need for probabilistic decay models and special relativistic corrections disappears when interactions are understood as structured wakes.

This perspective has far-reaching consequences—it has the potential to replace the Standard Model’s ad hoc classifications with a single, unified geometric interaction framework.

# Chapter 15

## Geometry and the Stern-Gerlach experiment

*Silver arcs divide,  
spinning truths into their lines,  
symmetry revealed.*

Following on from the previous chapters consideration of charge-mass geometry the famous Stern-Gerlach experiment warrants re-examination within the FM framework. This gives another opportunity to see how a finite framework can give an alternative viewpoint to current models. Even if not successful as a model it may serve as an example of how we can still re-investigate phenomena that have been cast into the frame work of acceptance of a mathematical approach and 'just calculate it.'

### A Quantum Mechanics Cornerstone

The Stern–Gerlach (SG) experiment has long been a cornerstone of quantum mechanics pedagogy, embodying a seemingly paradoxical property: spin- $\frac{1}{2}$ . In traditional quantum theory, spin- $\frac{1}{2}$  is treated as an intrinsic, purely quantum label. A particle such as an electron is said to have “intrinsic angular momentum,” and experiments show that any attempt to measure its spin along an axis yields exactly two values: “spin up” or “spin down.” This dual outcome is a hallmark of spin- $\frac{1}{2}$ .

*Finite Mechanics (FM)* offers a different starting point, grounded in finite axioms and explicit geometry instead of abstract quantum operators. The resulting view—still yielding two distinct outcomes—underscores how standard quantum behavior might instead arise from discrete geometric or nodal processes. This chapter explores the Stern–Gerlach experiment from that FM perspective, showing how “spin- $\frac{1}{2}$ ” may be an emergent, finite phenomenon rather than an inexplicable intrinsic property.

## **A Quick Recap: The Stern–Gerlach Experiment in Conventional QM, the Experimental Setup**

In 1922, Otto Stern and Walther Gerlach devised an experiment wherein a beam of silver atoms (later extended to various particles) was passed through a non-uniform magnetic field. Classically, one might expect particles with a tiny magnetic moment to fan out into a continuous smear on a detector screen, reflecting many possible orientations. However, instead of a continuous band, Stern and Gerlach saw only two distinct spots.

## **Interpreting Two Spots**

Quantum mechanics interprets this result as proof that the silver atoms’ net spin is “quantized.” Rather than having a continuum of orientations, spin- $\frac{1}{2}$  implies exactly two eigenstates when measured along a given axis. Hence, each atom emerges from the magnet deflected either “spin up” or “spin down,” never in-between.

## **The Intrinsic Spin Postulate**

Over subsequent decades, spin- $\frac{1}{2}$  became a bedrock concept. We label electrons, protons, neutrons, and a host of other particles as having “intrinsic spin- $\frac{1}{2}$ .” In standard textbooks, spin is taken as an axiom: it is not derived from substructure or geometry, but simply assigned a half-integer quantum number that matches the experimental data.

## The FM Perspective: Finite, Real Geometry

Finite Mechanics questions whether spin- $\frac{1}{2}$  must be an intrinsic quantum postulate—or if it might instead emerge from *finite geometrical interactions*. In FM, mass and charge unify into a single “charge–mass” property, and particles are not points but extended nodal or geometric objects in a discrete lattice. Let us see how this viewpoint provides an alternative explanation for the two-spot outcome.

### Revisiting the Core Idea of Spin

#### Traditional approach:

- Spin is “intrinsic.” You cannot reduce it to a classical rotation, because a full  $360^\circ$  turn does *not* return the system to the same state; rather, you need  $720^\circ$ .

#### FM approach:

- A particle’s “spin” is real geometry or topological twist in a finite structure.
- We no longer rely on abstract wavefunctions to fix spin. Instead, we rely on how a discrete “node + geometry” system can only adopt certain stable orientations in an external field.

### A Disc or Symmetric Geometry in a Magnetic Field

In FM, you might model an electron (or silver atom, or any spin- $\frac{1}{2}$  entity) as a *finite object*—for instance, a small disc or short cylindrical shape carrying charge–mass. When placed in a magnetic gradient, the system experiences a torque:

#### 1. Key Concept: Two Stable Orientations

Because of nodal constraints or geometric tension, the object can only stably precess in two orientations relative to the field axis. One orientation might correspond to a “north-facing” dipole (“up”), and the other to “south-facing” (“down”). Any other orientation is inherently unstable and flips into one of those two stable modes.

## 2. Why Not a Continuum of Orientations?

In classical physics, a spinning sphere could adopt infinitely many tilt angles, producing a continuous smear. Under FM’s geometric constraints, or “nodal vibrational states,” the system quickly “snaps” to one of two minimal-energy alignments. That yields precisely two outcomes—mimicking the standard quantum spin measurement.

## 3. Result: Two Distinct Spots

On the detector, the up vs. down stable modes produce two separated impact regions, exactly as observed in the Stern–Gerlach experiment.

# Magnetic Dipole & the Up/Down Bifurcation

In quantum theory, each spin- $\frac{1}{2}$  particle has a magnetic moment  $\vec{\mu}$ . The Stern–Gerlach magnet deflects the particle by  $\vec{F} \propto \nabla(\vec{\mu} \cdot \vec{B})$ . Because  $\vec{\mu}$  can only take two directions in the measurement, we see two spots.

## FM Explanation:

- The geometry (like a small disc or tethered structure) carries a real distribution of mass–charge.
- In a non-uniform  $\vec{B}$  field, the disc has only two stable precession modes.
- Each stable mode corresponds to a dipole aligned or anti-aligned with  $\vec{B}$ . An attempted partial alignment is not energetically favored and “tips” to one extreme or the other.

Thus, from a purely mechanical viewpoint, you get the same binarity.

# Matching Experimental Nuances

## Random Beam Orientation

In an actual SG experiment, the incoming atoms (or electrons) have random initial orientations. If the FM object had many stable angles, you would see a continuous fan of final positions. But if the nodal geometry enforces only two “lock-in” states, the beam splits into two lumps. That matches the real Stern–Gerlach data.

## Why $\pm\frac{\hbar}{2}$ Projections?

Standard spin- $\frac{1}{2}$  theory states the  $z$ -component of spin is  $\pm\frac{\hbar}{2}$ . In the FM view, these values are not fundamental postulates; they reflect:

1. The *measured scale* of the object's magnetic dipole.
2. The discrete geometry that allows only two *effective* angular momentum states in the external field.
3.  $\hbar$  emerges from deeper universal scales, like the Rydberg frequency or other finite-lattice parameters. In other words,  $\hbar$  is a finite measure of action, and your geometry couples to it in such a way that the final measured result lines up with  $\pm\frac{\hbar}{2}$ .

## The 720-Degree Rotation and Spinors: A Mathematical Necessity, Not a Physical One

One of the widely discussed peculiarities of quantum mechanics is the notion that spin- $\frac{1}{2}$  particles require a *720-degree rotation* to return to their original quantum state. This claim does not come from direct physical observation, but from the *mathematical formalism of spinors* — the objects used to describe spin in quantum mechanics. In essence, the need for a  $720^\circ$  rotation is a byproduct of the SU(2) group structure, rather than an independently observed physical law.

## Why Does Quantum Mechanics Require 720 Degrees?

Quantum mechanics describes particles with spin- $\frac{1}{2}$  using the SU(2) representation of rotations. Unlike an ordinary vector (which returns to the same configuration after  $360^\circ$ ), a *spinor* changes sign upon a  $360^\circ$  rotation and only recovers its original phase after a full  $720^\circ$  turn. Concretely:

- In SU(2), a  $360^\circ$  rotation introduces a phase factor of  $-1$ , so the state  $|\psi\rangle$  becomes  $-|\psi\rangle$ . Although physically indistinguishable in many cases (global phases are not observable), the wavefunction is formally different.

- A  $720^\circ$  rotation is then needed to bring the wavefunction *exactly* back to  $|\psi\rangle$ .
- This stems from the double-cover nature of  $SU(2)$  over the rotation group  $SO(3)$ , indicating a topological effect of the chosen spinor formalism.

This structure is a *mathematical necessity* of spinor algebra, not an empirically measured aspect of physics. Indeed, no direct experiment forces us to conclude “ $720^\circ$  is a must”; rather, it is how we encode  $\text{spin-}\frac{1}{2}$  in the  $SU(2)$  framework.

## The Experimental Reality: The Stern–Gerlach Experiment

The famous Stern–Gerlach (SG) experiment, which first demonstrated *quantized* spin, only shows that atoms (or electrons) split into two distinct beams (*spin up* vs. *spin down*) in a non-uniform magnetic field. Crucially:

- The experiment *does not* test or enforce a  $720^\circ$  rotation requirement.
- It merely reveals that there are *two stable measurement outcomes* for  $\text{spin-}\frac{1}{2}$  particles.
- No part of the SG setup rotates particles by  $360^\circ$  or  $720^\circ$ ; it measures along a chosen axis, producing a 50:50 split if the state is not pre-aligned.

All that Stern–Gerlach directly confirms is that *spin is two-valued in measurement outcomes*, not that one must rotate a particle  $720^\circ$  for it to “look the same.”

## Finite Mechanics (FM) Does Not Require 720-Degree Rules

In *Finite Mechanics (FM)*,  $\text{spin-}\frac{1}{2}$  behavior emerges from *finite, real geometry* rather than from abstract  $SU(2)$  spinors:

- **Spin as an Emergent Geometry:** FM posits that particles are extended nodal charge–mass distributions, not point-like objects. The notion of “spin” is reinterpreted as a *finite topological or geometric*

*constraint*, giving two stable orientations in an external magnetic field (thus reproducing the two-spot outcome of SG).

- **No 720° Phase Flip:** Because FM does not rely on the SU(2) formalism, it does not inherit the mathematical rule that demands a 720° rotation. Instead, a 360° rotation of a finite nodal structure can bring the system back to an equivalent configuration, avoiding the spinor’s phase-flip artifact.
- **Explaining the Experimental Data:** FM only needs to reproduce the two discrete states observed in SG experiments. It achieves this via stable nodal orientations and does not require spinor-based double-valued rotations.

Hence, while quantum theory uses spinors to *model* spin- $\frac{1}{2}$  and obtains a 720° rule as a formal outcome, FM treats that rule as *irrelevant*: a byproduct of a specific mathematical choice rather than an observed phenomenon.

## Conclusion: A Different Conceptual Framework

The 720-degree rotation requirement in quantum mechanics is *not* an experimental fact but a *theoretical consequence* of representing spin- $\frac{1}{2}$  via SU(2) spinors. The Stern–Gerlach experiment itself only shows *two possible outcomes* for spin measurement, which can be explained by alternative means.

“The real puzzle is why nature shows two-state spin outcomes. The 720° rotation rule is simply how we encode that in spinor math; it is not a separate physical law demanding explanation.”

In the Finite Mechanics framework, we do not rely on spinors or wavefunction phase shifts to account for these results. Instead, *discrete nodal constraints* provide a mechanical basis for two-stable orientations, matching the Stern–Gerlach data without introducing a 720° rotation requirement. This highlights that the peculiar 720° rule in standard quantum mechanics is simply a property of the chosen formalism, not a fundamental feature of physical reality.

## Why This Matters: Contrasting Interpretations

- **Classical QM:** Spin- $\frac{1}{2}$  is intrinsic. We accept the postulate that measurement yields  $\pm\frac{\hbar}{2}$ . No deeper geometric explanation is required.
- **Finite Mechanics:** Particles are real finite objects or nodal excitations. Two stable orientations produce two measurement outcomes—an emergent property of geometry plus the magnetic gradient. Spin- $\frac{1}{2}$  is not “intrinsic” but rather a short-hand for the fact that only two stable states exist, tied to deeper nodal constraints.

Both approaches yield the same final data: two spots on the screen. However, the *physical narrative* is fundamentally different. The FM approach suggests we do not need “intrinsic” spin—just the right discrete geometry and an appropriate measure (like  $\hbar$ ) that sets the energy/time scale.

## Building Credibility: Does This Fully Replace Quantum Mechanics?

It is natural for readers to wonder if this geometry-based view somehow discards or invalidates quantum mechanics. The short answer is *no*: quantum mechanics remains extremely successful at computing cross-sections, transition rates, and more. However, the FM approach aims to *reinterpret* phenomena we typically label “intrinsic” or “mysterious” in simpler, more finite, mechanical terms.

- *If one reproduces the entire spin structure* (including multi-particle correlations, Pauli exclusion, etc.) from a nodal model, then it suggests a deeper layer beneath standard QM.
- *If FM only partially replicates spin phenomena* (like Stern–Gerlach but not, say, hyperfine splittings or EPR correlations), it still clarifies one portion of the quantum story. Additional refinements might be needed to fully replace or augment quantum theory.

Thus, the credibility of this viewpoint grows if it consistently explains known data and offers new insights or predictions. The SG reinterpretation is a

critical stepping stone—showing that fundamental quantum results need not rest solely on intangible “intrinsic spin.”

## Concluding Reflections

The Stern–Gerlach experiment remains iconic because it starkly reveals the quantized nature of microscopic systems. Traditional quantum mechanics declares that spin- $\frac{1}{2}$  is baked into particles from birth. Finite Mechanics, by contrast, sees the exact same data as an outcome of finite axioms, geometric constraints, and nodal interactions:

1. **Two discrete deflections** arise from two stable orientations in a magnetic gradient.
2. **Spin- $\frac{1}{2}$**  is effectively the label we apply to that phenomenon, rather than a fundamental property.
3. **Experimental results** remain the same, but the *interpretative story* changes profoundly.

Including this analysis in a broader discussion of FM helps readers see that *quantized outcomes* need not demand an intangible wavefunction or “intrinsic” property. Instead, they may be the byproduct of real, measurable structures. Stern–Gerlach then becomes a prime example of how standard quantum results might fit under a different conceptual umbrella—one that is explicitly finite, geometric, and, perhaps, more intuitively mechanical at its core.

*“Ultimately, the success of either view depends on how well it aligns with future experiments and whether it offers insights or unifications that standard theory cannot. For now, the Stern–Gerlach experiment stands as a striking demonstration that even the most quintessentially quantum phenomenon can find a place in a thoroughly finite, mechanical framework.”*



# Chapter 16

## Spectral Line Shifts

*Ghostly whispering,  
shifting lines in silent code,  
atoms speak in hue.*

### How atomic transitions reveal finite interactions

The standard quantum mechanical model explains atomic spectral lines using the Rydberg equation, with relativistic and quantum corrections applied for heavier elements. However, in the Finite Mechanics (FM) framework, these spectral shifts emerge from interaction constraints rather than purely relativistic effects. This document formalizes the FM perspective, showing how charge-mass wake persistence and interaction geometry modify the Rydberg formula.

### The Standard Modified Rydberg Equation

For a hydrogen-like atom, the standard Rydberg equation is:

$$\frac{1}{\lambda} = R_Z \left( \frac{1}{n_1^2} - \frac{1}{n_2^2} \right) \quad (16.1)$$

where:

- $\lambda$  is the emitted photon wavelength,
- $R_Z$  is the modified Rydberg constant for atomic number  $Z$ ,
- $n_1$  and  $n_2$  are the principal quantum numbers of the electron transitions.

For heavier elements, relativistic corrections modify  $R_Z$ :

$$R_Z = R_H \cdot \frac{m_e}{m_e + m_N} \cdot (1 + \text{relativistic corrections}) \quad (16.2)$$

where:

- $R_H$  is the Rydberg constant for hydrogen,
- $m_e$  is the electron mass,
- $m_N$  is the nucleus mass.

## Spectral Shifts as Interaction Effects

Instead of treating spectral shifts as 'relativistic corrections', FM proposes that these shifts arise from: Nodal charge-mass interaction regions, not absolute energy states and local charge-Mass interaction density i.e. variations in the density of charge-mass structure. The observed spectral changes reflect the altered stability within the atomic interaction framework.

## FM-Based Scaling Factor

To incorporate FM principles into spectral analysis, we introduce a scaling function  $f(K_I, S, \xi)$ , modifying the Rydberg constant:

$$R_{FM} = R_H \cdot f(K_I, S, \xi) \quad (16.3)$$

where:

- $K_I$  is the interaction stiffness, measuring charge-mass coupling constraints,
- $S$  is the interaction volume, defining the wake region size,
- $\xi = \frac{e/m}{S}$  is the FM stability ratio.

## FM-Modified Rydberg Formula

Substituting  $R_{FM}$  into the standard equation:

$$\frac{1}{\lambda} = R_H \cdot f(K_I, S, \xi) \left( \frac{1}{n_1^2} - \frac{1}{n_2^2} \right) \quad (16.4)$$

This formulation suggests that observed spectral shifts are functions of charge-mass interaction properties rather than relativistic velocity effects.

## Future spectral adventures

By treating spectral shifts as emerging from charge-mass wake persistence, FM provides an alternative, physically measurable basis for atomic transitions. Future work could examine comparing FM predictions to experimental spectral shifts across elements. An additional direction includes quantifying  $f(K_I, S, \xi)$  based on measured charge-mass ratios and atomic structure and investigating wake persistence variations in different atomic environments. Overall, this direction of investigation suggests that spectral line modifications arise from interaction constraints, not purely from relativistic corrections, aligning FM with a measurement-first approach.



# Chapter 17

## The Microwave Background

*Switch on the timer,  
cooking up the Universe,  
bing, she's nice and hot.*

### A Structured interaction layer, nota relic of the Big Bang

One of the most compelling pieces of evidence in modern cosmology is the Cosmic Microwave Background Radiation (CMBR). In 1965, Arno Penzias and Robert Wilson discovered a faint, persistent microwave signal at Bell Labs—now celebrated as the CMBR. Traditionally, this radiation is interpreted as a relic of the Big Bang, providing a snapshot of the universe about 380,000 years after its inception. Missions such as COBE (1989) and WMAP (2001) further cemented this view.

However, within FM, we reframe the CMBR as evidence not of an ancient cosmic explosion but of a *Universal Background*—a measurable, pervasive vibrational network that defines the e-u stiffness. Unlike the standard narrative, which portrays the CMBR as a distant remnant of an abstract singularity (as depicted in stories like *The First Three Minutes*), FM reminds us that the same evidence—the spectral patterns captured in detectors—can be interpreted as the wakes of finite interactions. In FM, the microwave back-

ground is local, present in our hands and outside our windows, serving as a direct calibration of the interaction field.

## **The Rydberg Frequency as a Fundamental Harmonic**

Our second line of evidence comes from the Rydberg frequency, which is derived from the discrete spectral lines of hydrogen. Early work by Johannes Rydberg in the late 19th century provided an empirical formula for these lines. The Rydberg frequency  $f_R$  serves as a fundamental geometric scale—a harmonic ruler for atomic interactions. In the standard narrative, the Standard Model evolved with the story of particles becoming smaller and having shorter lifetimes, culminating in the Big Bang model. This picture, with its abstract singularity and decreasing particle sizes, now forms the classical view. In contrast, FM reinterprets these spectral lines as direct, measurable fingerprints of finite interactions, anchoring atomic dimensions to a locally calibrated ruler.

## **The Terahertz Gap: A Clue from Interaction Dynamics**

Our third line of evidence is the enigmatic Terahertz gap, spanning frequencies roughly from 0.1 to 10 THz. Traditional technology finds it challenging to generate or detect radiation in this band, and this gap has long been viewed as a technological hurdle. FM, however, interprets the Terahertz gap as a natural consequence of the finite e-u stiffness. This gap suggests that the nature of electromagnetic interactions is not uniform across all frequencies; rather, it indicates a transition in the modes of interaction as one moves from the radio regime into the terahertz region. Such a change implies that, instead of a continuous spectrum of abstract fields, the interactions governing electromagnetic phenomena are scale-dependent and finite.

## **Bridging Evidence and Theory**

These three lines of evidence—the Universal Background Radiation, the Rydberg frequency, and the Terahertz gap—form a coherent narrative that challenges conventional models. The Standard Model of particle physics often describes a universe in which particles become ever smaller with ever shorter lifetimes, and the Big Bang model posits a verse process beginning with an

abstract singularity, as popularized in narratives like *The First Three Minutes*. This classical framing, based on the detection of discrete particle wakes in experiments, is reinterpreted in FM: what we detect are not perfect, isolated particles but the dynamic interaction wakes within the e-u stiffness.

By anchoring our measurements in the Rydberg frequency and the vacuum constants ( $\epsilon_0$  and  $\mu_0$ ), FM challenges the conventional narrative and shows that the same evidence can be understood as emerging from finite, measurable interactions. In this view, the CMBR is not solely a cosmic relic but a universal background, and the spectral lines are not the result of an idealized quanta-based world but the manifestation of a local, geometric interaction field.

In the chapters that follow, we will build on this foundation by quantifying the e-u stiffness, exploring how interaction density gives rise to emergent properties such as temperature and entropy, and ultimately developing a finite geometric model of the hydrogen atom. In doing so, we reaffirm that our models must always be built on what can be measured, even as we venture into the unknown unknowns of the universe.



# Chapter 18

## A Finite View of the Background

*The grand Cosmic tale,  
a magical flying carpet,  
woven with threads of time.*

### local properties of the background layer of interactions

In conventional cosmology, the Cosmic Microwave Background Radiation (CMBR) is viewed as the afterglow of a hot, dense early universe. Over time, this primordial radiation has cooled and redshifted, leaving behind a nearly uniform black-body spectrum at a temperature of approximately 2.725 K. However, within the framework of **Finite Mechanics** (FM), an alternative explanation emerges. Rather than relying on an expanding universe, FM posits that the CMBR is a *persistent background* arising from a fundamental nodal network embedded in the vacuum itself.

This chapter provides a detailed exploration of how Finite Mechanics offers a new perspective on the origin and nature of the CMBR. After reviewing the relevant concepts in classical black-body radiation (Section 18), we explain how Planck's law can arise from *discrete oscillatory nodes* (Section ??) rather

than thermalized gases in an expanding space. We then compare FM to conventional cosmology, discussing its implications for standard parameters (Section 18) and the nature of temperature (Section 18). Section 18 highlights potential testable predictions and open questions for future research. Finally, we provide concluding thoughts (Section 18). The mathematical details linking Planck’s constant  $h$  to the Rydberg constant  $R_\infty$  appear in Appendix 18.

## Background: Black-Body Radiation

### Classical Formulation

Black-body radiation in standard physics is typically modeled as a *cavity* with perfectly reflecting walls. Within this cavity:

- **Standing-wave modes** of the electromagnetic field are quantized.
- Each mode of frequency  $\nu$  exchanges energy in discrete quanta of size  $h\nu$ . This key insight, introduced by Max Planck, solved the “ultraviolet catastrophe” predicted by pre-quantum theories.

From these assumptions, Planck derived the famous **black-body spectrum**:

$$u(\nu, T) = \frac{8 \pi h \nu^3}{c^3} \frac{1}{\exp\left(\frac{h\nu}{k_B T}\right) - 1}, \quad (18.1)$$

where

- $u(\nu, T)$  is the energy density per unit frequency,
- $h$  is Planck’s constant,
- $k_B$  is Boltzmann’s constant,
- $T$  is the temperature (in Kelvin),
- $c$  is the speed of light in vacuum.

This law accurately predicts the observed spectral distribution of a perfect emitter/absorber and remains central to thermodynamics and quantum theory.

## Interpreting the CMBR

Applied on a cosmic scale, Planck's law explains the *nearly perfect black-body* spectrum of the CMBR. In standard cosmology the current 'Big Bang' model, is of the universe beginning in an extremely hot, dense state (temperatures on the order of thousands of Kelvin or higher). As the universe expanded, photon wavelengths stretched and the overall temperature dropped to its current level of approximately 2.725 K. Even after billions of years, the black-body form remains essentially intact.

This near-ideal black-body behavior is often cited as strong evidence for an early, hot universe. However, as we discuss next, Finite Mechanics (FM) proposes an alternative route to the same observed spectral form without invoking a Big Bang expansion.

Rather than using the term Cosmic Background Microwave Radiation (CMBR). This is re-cast as Universal Microwave Background Radiation (UMBR) and Local Microwave Background Radiation (LMBR) to highlight that rather than just being of some Cosmological Background and presumed 'Big Bang' it is importantly a local measure and may have a local source and explanation which is considered next.

## The e-u Stiffness as a Nodal Network

### Fundamental Premise

The principle concept developed for the e-u stiffness is that space is not a continuous manifold but instead consists of a lattice of interaction as a set of 'e-u nodes, each being a discrete site for electromagnetic and quantum interactions. Key aspects include:

- **Nodes as Oscillators.** Every node supports vibratory or oscillatory states, analogous to the standing waves in a traditional black-body cavity. Because there are finitely many nodes in any bounded region, the total number of oscillatory modes is also finite.
- **Vacuum Parameters.** The "constants"  $\epsilon_0$  and  $\mu_0$  (vacuum permittivity and permeability) become crucial in determining the *emergent*

*speed of light,*

$$c = \frac{1}{\sqrt{\epsilon_0 \mu_0}}.$$

Rather than a universal immutable speed, FM treats  $c$  as a property reflecting finite interactions and boundary conditions in the vacuum.

- **Discrete Scaling.** Planck's constant  $h$  can be derived from fundamental atomic constants, including the Rydberg constant  $R_\infty$ . This derivation, presented in Appendix 18, ties electromagnetic and atomic parameters to the nodal structure of space.

## Emergent Black-Body Spectrum

Central to Planck's original derivation is the assumption of *discrete oscillators* within a bounded volume. In FM:

- **Nodes as Planckian Oscillators.** Each node is effectively a site of quantized oscillation, satisfying the  $h\nu$  energy increment condition.
- **Equivalence of Derivation.** Since standard black-body theory only demands *finite, quantized modes* in a cavity, the e-u nodal network automatically provides the same conditions. The math of Planck's law (Equation 18.1) thus follows naturally.
- **Reinterpretation of Temperature.** Instead of conceiving temperature as a relic from a hotter past, FM sees the observed  $T \approx 2.725$  K as the *equilibrium interaction density* among the nodes.

## A New Perspective on the CMBR

### Intrinsic Background Radiation

From the FM standpoint, the cosmic microwave background is not a leftover from an expanding universe but rather a *steady-state phenomenon* of nodal interactions:

- **Baseline Radiation.** The e-u nodal network continually exchanges energy, giving rise to a background of microwave photons at equilibrium.

- **No Initial High-Temperature State.** Under FM, the CMBR's peak temperature at 2.725 K does not reflect cooling from a primordial fireball. Instead, it arises from the finite-lattice constraints and the vacuum parameters  $\varepsilon_0$  and  $\mu_0$ .

## Comparison to Standard Cosmology

In the conventional picture, several *cosmological parameters* play central roles:

- $H_0$ : The Hubble parameter describing cosmic expansion.
- $\Omega$ -parameters: Matter density, dark energy density, etc.
- $t$ -timeline: The age of the universe since the Big Bang.

By contrast, an FM-based model may not require these parameters to explain the existence or temperature of the CMBR. Instead:

- The *universal expansion* concept is replaced by **nodal equilibrium** over large scales.
- Observed large-scale structure in the universe might arise from variations in *nodal density* or boundary conditions, though this remains an open topic in FM research.
- Traditional inflationary or Big Bang epochs may be recast as emergent phenomena of the nodal network, if they appear at all.

While standard cosmology uses the expanding metric to predict redshifting and cooling, FM posits that the vacuum's finite-lattice properties directly yield the black-body radiation background without requiring an evolving cosmic scale factor.

## Temperature, Thermodynamics, and the Nodal View

In typical thermodynamics,  $T$  measures the average kinetic energy of particles. In FM:

- **Interaction Density.** Temperature can be seen as an effective measure of how frequently nodes exchange energy.
- **Other Thermodynamic Quantities.** Concepts like pressure or entropy would similarly emerge from the statistics of nodal excitations rather than from collisions of point particles in a continuum.
- **Consistency with Classical Laws.** Despite the different conceptual underpinnings, standard thermodynamic relations (e.g. the Stefan–Boltzmann law, Wien’s displacement law) persist at macro scales, since FM recovers Planck’s distribution law in the same functional form.

## Potential Predictions and Tests

Although FM reproduces the black-body form of the CMBR, there may be more subtle observational consequences:

- **Small-Scale Fluctuations.** High-precision measurements (e.g. Planck satellite) reveal minute anisotropies. FM could predict slightly different patterns or correlations if the nodal lattice imposes discrete constraints on angular scales.
- **Polarization Signals.** Detailed polarization data of the CMB might carry signatures of nodal interactions, particularly on large angular scales.
- **Vacuum Parameter Shifts.** If  $\varepsilon_0$  and  $\mu_0$  are not perfectly universal, subtle scale-dependent shifts could manifest in cosmological or laboratory measurements.
- **Redshift Relations.** While standard cosmology attributes redshift to metric expansion, an FM approach might interpret redshift differently (e.g. changes in nodal cross-talk over distance). Looking for deviations in the luminosity–distance or angular-diameter–distance relations could serve as a test.

Comparisons with existing CMB and large-scale structure data are crucial next steps for determining whether FM offers new explanations beyond those of the standard model.

## Limitations and Open Questions

Any alternative model must account for the vast range of cosmological phenomena that the Big Bang framework addresses:

- **Structure Formation.** The FM viewpoint should explain how galaxies, clusters, and superclusters emerge from nodal dynamics, especially without relying on an early hot, dense phase.
- **Nucleosynthesis.** Traditional Big Bang theory addresses the abundance of light elements. An FM-based cosmology might need a separate mechanism (or adaptation) for producing helium, deuterium, and lithium in correct proportions.
- **Dark Matter & Dark Energy.** FM might recast these phenomena as emergent properties of the vacuum nodal network or require entirely new conceptual frameworks.

In all, FM stands as a developing paradigm. While it elegantly re-derives the black-body spectrum, a fuller account of observed astrophysical and cosmological data remains an open challenge.

## Moving Forward

This chapter has shown how **Finite Mechanics** offers a radically different—but mathematically consistent—route to the familiar black-body spectrum of the CMBR. By identifying each node in a finite e-u lattice with a Planckian oscillator, FM reproduces the same form of Planck’s law that one gets from a thermalized gas in a hot, expanding universe. However, in FM, the 2.725 K background is an *intrinsic* equilibrium feature of the nodal network, rather than a relic of a Big Bang.

- *Conceptually*, the speed of light  $c$  and Planck’s constant  $h$  become emergent properties of discrete vacuum parameters ( $\varepsilon_0, \mu_0$ ) and the Rydberg constant  $R_\infty$ .
- *Observationally*, FM suggests the CMBR is always present, with temperature set by the lattice’s fundamental constraints, independent of expansion history.

- *Future Work* involves comparing FM predictions with precise cosmological observations, and extending FM to address structure formation, primordial element abundances, and the role of dark components in the universe.

While significant open questions remain—particularly regarding large-scale structure and beyond—this finite-lattice perspective underscores the possibility that cosmic microwave radiation might be explained by *intrinsic nodal dynamics*, with no need for a universal expansion to generate the black-body signature.

## Derivation of $h$ in Terms of the Rydberg Constant

Here we outline how Planck's constant  $h$  can be expressed in terms of the Rydberg constant  $R_\infty$  and fundamental vacuum parameters  $\varepsilon_0$  and  $\mu_0$ . Full details appear in the original *Unified Mechanics* notes.

### Starting Point

A common expression for the Rydberg constant  $R_\infty$  is:

$$R_\infty = \frac{\alpha^2 m_e c}{2 h},$$

where:

- $\alpha$  is the fine-structure constant,
- $m_e$  is the electron mass,
- $c$  is the speed of light,
- $h$  is Planck's constant.

### Replacing $c$

Using

$$c = \frac{1}{\sqrt{\varepsilon_0 \mu_0}},$$

we write:

$$R_\infty = \frac{\alpha^2 m_e}{2 h} \sqrt{\varepsilon_0 \mu_0}.$$

## Expressing $\alpha^2$

Recall that:

$$\alpha^2 = \frac{e^4 \mu_0}{4 h^2 \varepsilon_0},$$

which allows us to express  $R_\infty$  fully in terms of  $h$ ,  $e$ ,  $m_e$ ,  $\varepsilon_0$ ,  $\mu_0$ .

## Solving for $h$

Combining terms carefully, one ultimately obtains:

$$R_\infty = \frac{m_e e^4 \sqrt{\mu_0}}{8 h^3 \varepsilon_0^{3/2}}, \implies h^3 = \frac{m_e e^4 \sqrt{\mu_0}}{8 \varepsilon_0^{3/2} R_\infty}.$$

Taking the cube root,

$$h = \left( \frac{m_e e^4 \sqrt{\mu_0}}{8 \varepsilon_0^{3/2} R_\infty} \right)^{1/3}.$$

## Physical Implications

- **Unified Constants.** This derivation weaves atomic constants ( $m_e$ ,  $e$ ,  $R_\infty$ ) together with  $\varepsilon_0$  and  $\mu_0$ , highlighting the deep interrelations among quantum, electromagnetic, and vacuum parameters.
- **Alternate Routes to  $h$ .** Traditionally,  $h$  is measured via photoelectric or watt-balance experiments. The above expressions show that sufficiently precise measurements of  $R_\infty$  and other quantities could also determine  $h$ , offering consistency checks across different domains.



# Another Atomic Model

*Putting on a show,  
atomic age collections,  
ghosts on the catwalk.*

## From the Plum Pudding Model to Bohr's Atom

At the dawn of the 20th century, the atom was first envisioned by J.J. Thomson in his *plum pudding* model. In this picture, the atom was a uniform sphere of positive charge with negatively charged electrons embedded like plums in a pudding. Although this model was revolutionary for its time, it could not account for later experimental discoveries—most notably the scattering experiments by Rutherford, which revealed a dense, positively charged nucleus.

Niels Bohr then advanced atomic theory by proposing a model in which electrons orbited a compact nucleus in discrete orbits, much like planets around the sun. Bohr's model successfully explained the quantized energy levels of hydrogen and the spectral lines observed in its emission spectrum. However, despite its predictive power, Bohr's atom was essentially semi-classical and could not explain more complex atomic behavior or the underlying dynamics of electron transitions.

## Enter Probability

The advent of quantum mechanics in the 1920s ushered in a paradigm shift. The quantum model replaced definite orbits with probabilistic electron clouds and wavefunctions, as formulated by Schrödinger and Heisenberg. In this

view, electrons no longer have precise locations but are described by probability distributions. This framework successfully accounted for many experimental results and laid the foundation for modern atomic physics.

Despite its success, the quantum mechanical approach introduced conceptual challenges. Electrons were treated as point-like particles whose behavior was governed by abstract probabilities. This raised questions about the nature of charge and mass, as they were considered intrinsic properties rather than emerging from any underlying structure. Additionally, the mathematical formalism, while powerful, led to infinities and the need for renormalization, hinting at a deeper level of description yet to be uncovered.

## **Finding a new way forward**

The historical progression from the plum pudding model to quantum mechanics illustrates a persistent trend: each model, while capturing essential features of atomic behavior, also revealed shortcomings. The classical models could not fully explain stability, while quantum mechanics, with its probabilistic framework, leaves unanswered questions about the discrete nature of interactions and the true meaning of charge and mass.

## **A Finite Geometric Approach**

The cor axioms and philosophy of Finite Mechanics is that the world is real, finite, and 3-dimensional. Our measurements of interactions.

As a direct result of this philosophy. As charge and mass are measured as combined measurement as charge-mass ration. These interactions are framed as 3-dimensional interaction. Rather than treating charge and mass as separate, inherent properties of point particles, all interactions are *finite* and fundamentally *geometric*. In this paradigm, both mass and charge are emergent from structured, measurable interactions between finite entities. Electrons and protons are reinterpreted as extended regions of interaction—each with its own geometric form—where the traditional concepts of charge and mass are unified into a single interaction-based framework.

Historical experiments such as cyclotron and mass spectrometry measure charge and mass as ration of these two 'identities'. FM builds on this empirical evidence by modelling these properties as inseparable aspects of a finite

geometry. For example, the well-known disparity in mass between the proton and electron (approximately 1836:1) is not simply a numerical coincidence but a reflection of their distinct geometric and interaction profiles.

As a result the starting point is to define a model based on the interaction of the core components of the interaction. The proton element is envisaged as an interaction centre, while the electron is modeled as an extended geometry, connected via the nodal system of the e-u stiffness. The basic model is considered in terms of a stable interaction between these three components.

This geometric approach not only eliminates the need for abstract probability distributions but also resolves the issue of infinities that plague quantum field theories. The goal of the approach is to ground all observable phenomena in finite, measurable interactions, and provide a cohesive description of atomic structure that is consistent with modern experimental results.

## **An Axiomatic Shift**

The journey through atomic models—from the intuitive plum pudding model, through Bohr’s quantized orbits, to the abstract wavefunctions of quantum mechanics—highlights the continual refinement of our understanding. Offering an alternative narrative FM reinterprets the atom as a network of finite, structured charge–mass interactions. The aim of the approach is to provide an alternative view of atomic stability, energy quantization, and the dynamic nature of particle interactions.

In exploring this approach, we are taking an axiomatic shift of rather than viewing particles as independent entities with predefined properties, we see them as manifestations of finite interactions. This alternative perspective may offer a way to reframe many of the conceptual puzzles of traditional quantum mechanics but also open new avenues for theoretical exploration and experimental validation.

It is hoped that a geometric based model serves as a bridge between classical intuition and modern quantum theory, capturing the successes of its predecessors while addressing their limitations. The model is based on a unified, interaction-framed view of nature.

## Model development

Conventional atomic models treat electrons and protons as point-like entities governed by probabilistic wavefunctions. In contrast, the Finite Mechanics (FM) framework reinterprets mass and charge as finite, measurable, and fundamentally geometric entities. This chapter presents a comprehensive and structured geometric model of the hydrogen atom and extends the ideas toward a generalized nodal model for atomic construction. The approach is built upon a charge-mass framework where interactions, rather than abstract particles, form the basis of all physical phenomena.

## Initial Geometric Considerations

When considering a geometric model of the atom, we revisit our scale model of hydrogen, where the proton is treated as the Sun and the electron as a distinct identity rather than merely an interaction.

At this scale, we previously determined that the maximum 'size' of an electron would be 80 metres with the proton scaled to the Sun and as a point particle, we conceptualized it as a marble or even smaller, serving as a placeholder. In this model, the Bohr radius corresponds to a distance of 200 AU, while the wavelength of visible light extends to 44 light-years. This highlights the challenges of human intuition and imagination when attempting to visualize a physically meaningful geometric model of the atom.

A key insight in this approach is recognizing that charge, as a conserved quantity in classical physics, remains the same regardless of scale. This means that, at this scale, the Sun and the electron (modeled as a marble) maintain their relative properties. Notably, the Sun is 1836 times the mass of the electron, based on interpretations from scattering experiments that assume spherical models. This leads us to view the electron as either an infinitely dense point or a small object with extreme density, depending on the chosen perspective.

Traditionally, this was the point—particularly in the 1920s—where geometric considerations gave way to probabilistic interpretations. However, even within probability-based frameworks, we must construct models that remain logically coherent. Alternatively, we could adopt an axiomatic ap-

proach, shifting into a purely mathematical space that departs from the three-dimensional, measurable world in favor of abstract formulations.

In Finite Mechanics, we remain within the three-dimensional world of models grounded in measurable quantities. This approach presents unique challenges, requiring a careful consideration of scale. Nonetheless, this model provides a potential pathway forward and serves as an initial attempt at developing a geometric representation of atomic structure.

## **Towards a Testable Geometry**

Working within the realm of unknown unknowns presents a significant challenge. Any initial attempt at defining a geometry is necessarily a hypothesis, from which we can iterate further.

In Finite Mechanics (FM), we consider the world in terms of measured interactions rather than discrete entities—our measurements are, themselves, interactions. Classical models and experimental data, however, provide valuable guidance. In particular, they point toward the idea of a nodal e-u stiffness interaction space, based on both the Rydberg frequency and the Universal Background Microwave Radiation as an indicator of the global interaction in the nodal space. Historically, the Rydberg formula, derived from the observed hydrogen spectrum, led the way to classical quantum mechanical interpretations.

Examining our constraints, we identify charge and mass as fundamental interaction parameters — effectively providing two degrees of freedom—along with nodal distances in three dimensions. While this is a limited set of variables, it provides a foundation from which to proceed.

There is substantial evidence that interactions are rotational in nature, particularly based on measured dipole behavior. Consequently, we begin with a model in which both major components of the total system of interactions (traditionally seen as 'electron' and 'proton') are represented as discs or toroids. These shapes naturally incorporate a center of rotation and, more generally, are observed to form stable configurations. Additionally, they introduce an extra degree of freedom in terms of spin direction.

This establishes the framework for our first test—analyzing the logical con-

sequences of such a geometric constraint on an system framed in terms of interactions.

## Foundations

The FM atomic model emerges from structured charge-mass interactions, rejecting the notion of point-like particles or infinite fields. Instead, atomic structure arises naturally from finite geometric stability constraints.

- Electrons are not point particles but thin spinning discs (or tori) positioned at nodal points. Protons and neutrons are structured charge-mass interaction systems, rather than fundamental objects. The nucleus is a stable geometric interaction system, forming either a nodal tree or a geometric buckyball-like configuration.
- Atomic interactions are stability-based, not probabilistic.

## Electron and Proton as Geometric Structures

The proton is approximately 1836 times more massive than the electron, a striking disparity that suggests fundamental differences in their structure. If we model mass as a physical volume, this implies that the proton is either far denser, more internally complex, or bound in a way that concentrates its mass more tightly than the electron.

Yet, despite this enormous difference in mass, the electron and proton generate equal and opposite charge effects. This suggests that charge is not simply a byproduct of mass but instead emerges from an independent, finite geometric structure. If charge were directly proportional to mass, we would expect vastly different charge magnitudes—but instead, nature presents us with a perfectly balanced opposition.

This observation challenges conventional assumptions and invites deeper questions: What underlying geometric or structural property defines charge? How does this balance persist across such a wide mass gap? If charge arises from a finite spatial characteristic, then its role in interactions may be far more nuanced than previously thought.

## Classical Charge Interactions

Both the electron and proton generate equal but opposite charge effects, meaning their charge geometries must be inherently balanced. This symmetry raises an interesting question: could charge be more than just a point-like property? Instead of existing at an infinitesimal location, charge may be distributed over a finite shape or surface—a structured interaction rather than a singularity.

This idea challenges the conventional notion of point charge behavior, hinting that charge could emerge from a measurable, finite structure rather than an abstract mathematical assumption. If true, this perspective could reshape how we think about charge interactions at both atomic and cosmic scales

A fundamental relationship governing FM atomic stability:

$$F_{CM} = k \frac{q_1 q_2}{r^2} - \alpha \frac{m_1 m_2}{r^2} \quad (18.2)$$

where  $F_{CM}$  is the charge-mass force interaction,  $k$  and  $\alpha$  are finite constants, and  $q, m$  represent charge and mass terms.

## Structural components

### Key structures

The hydrogen atom is envisioned as comprising three major geometric components:

- The Root/Base (Proton Interaction Zone):
  - The proton serves as a solid, wide, and complex base.
  - It anchors the interaction network and is the origin of the charge-mass coupling.
- Nodal Link:
  - A dynamic connection extends from the proton outward.
  - This region.tether, whose length is governed by the Rydberg equation, provides the nodal placement for electron interactions.

- The rotary manifold/Disc (Primary Interaction Surface):
  - At the end of the tether lies the electron, not as a point particle but as a thin, wide spinning disc.
  - The disc exhibits a wobble—requiring two complete wobble cycles for a full orbit—which determines its interaction probability.
  - The electron appears small because only the precise alignment of its disc with an interaction point results in detection.

## **Key Implications of the Model**

- Rare and Quantized Interactions: The electron disc must align perfectly with an interaction node, naturally explaining the quantized outcomes seen in experiments.
- Finite Perception of the Electron: Although the electron has a finite geometric structure, it appears point-like in scattering experiments because only a fraction of its orientations yield measurable interactions.
- Balanced Charge-Mass without Infinities: The model resolves the issue of infinite charge density by assigning a finite, real geometric distribution to both mass and charge.
- Discrete Energy Levels: The Rydberg equation emerges from the nodal geometry, producing finite, well-defined electron energy levels rather than probabilistic orbitals.

## **Extending the Model to Heavier Atoms**

### **Nodal Stacking and Atomic Assembly**

- Stacking the Root: The proton core is a structured interaction system that grows in complexity as electrons are added.
- Dual-Sided Electron Placement: Adding electrons symmetrically (e.g., on opposite sides of the proton) creates balanced dipole interactions that prevent charge collapse.

- Splitting the Pole: The tether at each nodal point can split, allowing additional electrons to form well-organized shells.
- Larger Atomic Cores: As more proton-electron balancing pairs are stacked, the nucleus increases in mass, leading naturally to the formation of heavier elements.

## **Deterministic Electron Placement and Chemical Properties**

- Electrons fill the inner nodes first, establishing the most stable configurations.
- Outer nodes, when partially filled, result in higher reactivity—explaining the chemical behavior observed in the periodic table.
- Paired electrons stabilize each other through opposing spins, a direct consequence of geometric alignment rather than quantum spin statistics.

## **Nuclear Structure and Neutron Composition**

- Composite Neutrons: Neutrons are modeled as proton-electron-proton composites rather than fundamental particles. This accounts for their decay properties and the absence of a separate strong nuclear force.
- Nuclear Stability: Stability in the nucleus arises from balanced stacking of these composite units, naturally leading to the formation of magic numbers and stable isotopes.

## **Neutron Structure and Stability**

- FM treats neutrons as proton-electron-proton stacks, rather than fundamental particles.
- Inside nuclei, charge-mass interactions stabilize neutrons, preventing rapid decay.
- Outside the nucleus, neutrons decay because charge-mass balance is disrupted.

## **Implications for Particle Decay and High-Energy Phenomena**

### **Beta Decay and Neutrino Wakes**

- Beta-Minus Decay: A neutron (as a proton-electron-proton composite) becomes unstable when its internal electron is ejected. This reconfiguration releases an electron and produces an antineutrino-like recoil or “wake” within the interaction framework.
- Beta-Plus Decay: In a proton-rich environment, an electron may be absorbed into the proton structure to form a neutron, with the excess charge being expelled as a positron. Again, the neutrino effect is interpreted as a recoil wake.
- Neutrinos as Interaction Wakes: Rather than being fundamental particles, neutrinos are seen as propagating interaction disturbances or wakes within the e-u stiffness lattice.

### **Alpha Decay and Nuclear Reconfiguration**

- Alpha decay is reinterpreted as a stability reconfiguration where a heavy nucleus ejects a stable subunit (an alpha particle) to restore balance.
- This process is not the result of quantum tunneling through a strong force barrier, but rather a natural outcome of finite, geometric charge-mass restructuring.

### **High-Energy Emissions: X-rays and Gamma Rays**

- X-rays: In FM, X-rays arise from the recoil of inner-shell (root) electrons when the charge-mass structure is perturbed. They represent localized corrections in the atomic network.
- Gamma Rays: Gamma emissions are interpreted as deeper nuclear core reconfigurations—interaction wakes propagating from the rebalancing of the entire nucleus.

## Molecular Bonding

### Reinterpreting Chemical Bonds

- Covalent Bonds: Instead of overlapping electron probability clouds, covalent bonds are formed by the geometric stabilization of interacting charge-mass nodes between atoms.
- Ionic Bonds: Ionic bonding emerges from the correction of charge-mass imbalances when an electron disc reconfigures from one atomic structure to another.
- Metallic Bonds: Metallic bonding is seen as a large-scale, resonant interaction pattern in which charge flows continuously through interconnected nodes, explaining both conductivity and ductility.

### Structural Predictions and Stability

- The stability of noble gases is attributed to fully occupied outer nodal shells.
- Nuclear magic numbers are explained as natural geometric completions of the charge-mass stacking patterns.
- These geometric constraints provide predictive power for determining which elements and isotopes are inherently stable.

## Moving forward

The geometric model presented in this chapter offers a radically different perspective on atomic structure by treating mass, charge, and interactions as finite, measurable entities with intrinsic geometry. Key points include:

**Finite Charge-Mass Entities:** Both the electron and proton are not point-like but have extended, structured geometries that account for observed charge and mass properties.

**Nodal Structure and Quantization:** Discrete nodal positions, determined by the Rydberg frequency, replace probabilistic orbitals with fixed geometric states.

**Dynamic Electron Behaviour:** The spinning, wobbling electron disc explains the rarity of observable interactions and the apparent smallness of the electron.

**Atomic and Nuclear Assembly:** Stable atomic structures emerge from balanced nodal stacking and geometric constraints, providing natural explanations for isotopic stability, magic numbers, and nuclear decay.

**Reinterpretation of Decay and Emission Phenomena:** Beta decay, alpha decay, and high-energy emissions are seen as natural consequences of charge-mass reconfiguration and interaction wakes.

**Molecular Bonding:** Chemical bonds arise from the structured interaction of finite charge-mass nodes, offering new insights into molecular stability.

This model not only challenges traditional quantum mechanics but also opens up a host of new experimental predictions and theoretical explorations—from the detailed behavior of atomic nuclei to the nature of high-energy emissions and molecular interactions. Future work will refine the scaling calculations and explore the broader implications of a nodal, interaction-based view of matter. structured, finite approach to atomic and molecular interactions, emerging naturally from charge-mass stability principles. Rather than relying on infinite fields, quantum probabilities, or artificial force carriers, FM derives atomic behavior from geometrically constrained interactions.

## **Nodal Quantization via the Rydberg Metric**

FM asserts that electron placement is dictated by finite, discrete nodes governed by a modified Rydberg equation:

$$R_n = \frac{R_0}{n^2} \tag{18.3}$$

where  $R_n$  represents the allowable electron node distances, and  $R_0$  is a system-defined scaling parameter.

# Chapter 19

## Wakes in the Cosmos

*Something sharp required,  
opening up the toolbox,  
a knife cuts the waves.*

### understanding the lasting effects of finite interactions

The concept of *wake persistence* arises from the idea that observed high-energy particles may not be fundamental entities but rather *structured charge-mass interaction wakes*. These wakes persist as transient interaction structures before collapsing into more stable configurations. Unlike the Standard Model's probabilistic decay, FM suggests that *persistence time is dictated by charge-mass interaction geometry and environmental constraints*. This document details two derivations of the wake persistence equation, each approaching the problem from a different perspective.

## Derivation 1: Charge-Mass Ratio and Interaction Volume Approach

### Key Assumptions

- **Wake persistence** ( $\tau_{FM}$ ) is dependent on how strongly the charge-mass structure resists collapse.
- **Charge-mass ratio** ( $\lambda = \frac{e}{m}$ ) determines interaction behavior within the e-u field.
- **Interaction volume** ( $S$ ) describes the effective region in which the wake is sustained.
- **Wake interaction velocity** ( $v_{wake}$ ) plays a role in persistence, as faster wakes interact less with their surroundings.

### General Relationship

The persistence time should be proportional to *interaction stiffness* and inversely proportional to *interaction energy loss* due to environmental interactions:

$$\tau_{FM} \propto \frac{K_I}{\xi v_{wake}} \quad (19.1)$$

where  $\xi$  is the FM stability parameter defined as:

$$\xi = \frac{e/m}{S} \quad (19.2)$$

Substituting for  $\xi$ , we obtain:

$$\tau_{FM} \propto \frac{K_I S}{(e/m) v_{wake}} \quad (19.3)$$

### Implications

- Higher charge-mass ratio ( $e/m$ ) *reduces wake persistence*, meaning particles with high charge-to-mass ratios should decay faster.

- Larger interaction volumes ( $S$ ) *increase persistence*, explaining why more spatially distributed wakes last longer.
- Greater interaction stiffness ( $K_I$ ) *stabilizes the wake*, making it less likely to collapse prematurely.
- Higher wake velocity ( $v_{wake}$ ) *reduces persistence*, aligning with the observation that slow-moving unstable particles tend to decay quickly.

## Derivation 2: Environmental Medium and Electromagnetic Response Approach

### Key Assumptions

- **Wake persistence time** ( $\tau_{FM}$ ) is influenced by the environment through its density, permeability, and permittivity.
- **Charge-mass ratio** ( $\lambda$ ) still governs interaction behaviour.
- **Effective interaction volume** ( $V_{int}$ ) determines the wake's ability to maintain its form.

### General Relationship

Persistence time should depend on the balance between interaction strength and dissipation into the surrounding medium:

$$\tau_{FM} \propto \frac{k_w \cdot V_{int} \cdot \lambda}{\rho_{med} \cdot (\mu_{med} \varepsilon_{med})^\alpha} \quad (19.4)$$

where:

- $k_w$  is an empirical constant related to wake structure,
- $\rho_{med}$  is the density of the surrounding medium,
- $\mu_{med}$  and  $\varepsilon_{med}$  are the permeability and permittivity of the medium,
- $\alpha$  is a parameter accounting for how medium properties influence dissipation.

## Implications

- Higher interaction volume ( $V_{int}$ ) *increases persistence*, as expected from a geometric wake model.
- Charge-mass ratio ( $\lambda$ ) *increases persistence*, reinforcing the idea that strong charge-mass couplings produce longer-lived wakes.
- Higher environmental density ( $\rho_{med}$ ) *reduces persistence*, since dense environments dissipate wakes faster.
- Electromagnetic response of the medium ( $\mu_{med}\epsilon_{med}$ ) *stabilizes wakes*, meaning certain particles may persist longer in vacuum than in dense matter.

## Comparison and Integration of Both Approaches

Both derivations describe how wake persistence is governed by *interaction geometry and environmental conditions*. The first approach highlights *intrinsic charge-mass properties*, while the second incorporates *medium-dependent interactions*. Together, they suggest a *universal persistence equation*:

$$\tau_{FM} \propto \frac{K_I S}{(e/m)v_{wake} \cdot \rho_{med}(\mu_{med}\epsilon_{med})^\alpha} \quad (19.5)$$

This equation unifies both perspectives, proposing that *persistence is a function of charge-mass structure, interaction geometry, and the external environment*.

## Future directions

These derivations provide a first-principles framework for FM wake persistence, replacing probability-based decay models with geometric and interaction-based persistence laws. To further validate the model, we could look to apply the equation to known particles (muons, pions, electrons) and compare persistence predictions with experimental lifetimes. Explore wake persistence variations in different media (vacuum vs. atmosphere vs. dense materials). Also it may be possible to investigate anomalies in particle decay that

might suggest environmental dependencies rather than intrinsic time-based effects.

By continuing this approach, FM can offer a more fundamental explanation for unstable particles and decay processes, challenging the Standard Model's reliance on statistical probability functions. This work opens new directions in understanding charge-mass interactions as finite, structured wakes rather than discrete fundamental entities.



# Chapter 20

## The Emergence of Time

*The Mazarine Blue,  
lives on existential wings,  
our butterfly day.*

### **Time as an interaction property, not a fundamental dimension**

In classical physics and General Relativity, time is treated as an independent, continuous dimension—a backdrop against which events unfold. In contrast, Finite Mechanics (FM) posits that time is not fundamental but emerges from finite, measurable interactions. Anchored in the measurable properties of the vacuum—specifically, the electric permittivity  $\epsilon_0$  and magnetic permeability  $\mu_0$ —FM suggests that time is a derived quantity intimately tied to the vibratory e-u (electromagnetic) stiffness. In this chapter, we develop this idea by showing how the Rydberg frequency sets a local time scale, how space-time metrics can be redefined in terms of  $\mu_0$  and  $\epsilon_0$ , and how finite acceleration and mechanical stress between nodes lead to emergent gravitational effects.

### **Reframing Time in Terms of $\mu_0$ and $\epsilon_0$**

A fundamental relation in electromagnetism is

$$c^2 = \frac{1}{\mu_0 \epsilon_0}, \quad (20.1)$$

which ties the speed of light  $c$  directly to the measurable vacuum constants  $\mu_0$  and  $\epsilon_0$ . Dimensionally, these constants encode the interaction scales of space and time, suggesting that the very metrics of space-time are functions of finite, measurable parameters.

From Equation (20.1), we have

$$c = \frac{1}{\sqrt{\mu_0 \epsilon_0}}. \quad (20.2)$$

This expression implies that the product  $\sqrt{\mu_0 \epsilon_0}$  sets a scale which links spatial dimensions to time. If we rearrange, we find

$$\sqrt{\mu_0 \epsilon_0} = \frac{1}{c}. \quad (20.3)$$

We can take this a step further by expressing a time-like parameter as a function of these coupling constants. Suppose we define a local time  $t$  proportional to a characteristic spatial distance (e.g., the nodal distance given by the inverse of the Rydberg constant) scaled by the inverse square root of the coupling:

$$t \propto \frac{L}{\sqrt{\mu_0 \epsilon_0}}, \quad (20.4)$$

where  $L$  represents a characteristic length (such as the nodal distance,  $R_l = 1/R_\infty$ ). In FM, this links time directly to the properties of the vacuum, underscoring that time is not an independent continuum but an emergent measure of the underlying e-u stiffness.

## The Rydberg Frequency as a Local Time Reference

The Rydberg frequency  $f_R$ , derived from the discrete spectral lines of hydrogen, provides an empirical local time scale:

$$f_R = R_\infty c. \quad (20.5)$$

Because  $R_\infty$  is determined from direct spectral measurements and  $c$  is given by Equation (20.2),  $f_R$  becomes a measurable quantity that sets the vibrational rate of the e-u substrate. In FM, we can view the Rydberg frequency as a function of the e-u stiffness:

$$f_R = f(t) = f(\text{e-u stiffness}). \quad (20.6)$$

This relationship implies that local time is encoded in the finite, oscillatory behavior of the vacuum itself.

## Maximum Finite Acceleration and Terminal Velocity

Within our nodal e-u framework, the finite spacing between nodes imposes a maximum finite acceleration. If we model the interactions as rotations within the nodal structure, the characteristic wavelength  $\lambda_R$  (associated with the Rydberg frequency) sets a geometric scale for these rotations. A simple geometric relation for the maximum centripetal acceleration  $a_{\max}$  is:

$$a_{\max} \propto \frac{v^2}{\lambda_R}, \quad (20.7)$$

where  $v$  is the interaction speed. Because the e-u stiffness constrains  $v$  to a terminal value (the speed of light), Equation (20.7) shows that the maximum acceleration is finite. This naturally explains why photon interactions do not exceed this limit—an intrinsic consequence of the finite, vibratory nodal structure.

## Mechanical Stress, Interaction Density, and Emergent Gravity

A further consequence of a finite interaction framework is that the mechanical stress between nodes can be interpreted as a measure of interaction density. In environments of high e-u stiffness, this stress becomes significant and may manifest as gravitational effects. We can represent the mechanical stress  $T_{\text{mech}}$  as a function of the vacuum constants and the local interaction density  $D_{\text{int}}$ :

$$T_{\text{mech}} \propto f(\epsilon_0, \mu_0, D_{\text{int}}). \quad (20.8)$$

As interaction density increases within a fixed volume, the corresponding increase in mechanical stress produces a curvature or tension within the nodal grid. In FM, this tension is interpreted as gravity, emerging naturally from the redistribution of finite interactions.

## Broader Implications and the Finite Metric

By reinterpreting both time and gravitational effects in terms of  $\mu_0$ ,  $\epsilon_0$ , and the local Rydberg frequency, FM provides a route to a finite geometric model

of space–time. One may even propose a metric of the form:

$$ds^2 = \frac{1}{\mu_0} dx^2 - \frac{1}{\epsilon_0} dt^2, \quad (20.9)$$

where the factors  $1/\mu_0$  and  $1/\epsilon_0$  serve as scaling parameters linking spatial and temporal intervals to the measurable electromagnetic properties of the vacuum. This finite metric bypasses the need for the abstract, continuous space–time of Minkowski and General Relativity, instead providing a framework in which space and time are emergent from, and directly linked to, finite interactions.

## **Time for thought**

The FM framework offers a fresh perspective on time, recasting it as a function of the vacuum’s intrinsic electromagnetic properties. By expressing time in terms of  $\mu_0$  and  $\epsilon_0$  (and linking it to a characteristic length scale defined by the Rydberg constant), we show that time is not an independent continuum but a derived, local measure. The Rydberg frequency emerges as a natural time reference, while the geometric constraints of the e-u stiffness impose a finite maximum acceleration, explaining why photon interactions are capped at a terminal velocity.

Furthermore, the mechanical stress between nodes, as a function of the local interaction density, provides a natural pathway to understanding gravity as an emergent property. Altogether, these insights pave the way for a finite, geometric model of space–time that remains true to empirical measurements. In the chapters that follow, we will integrate these ideas with thermodynamics and the principle of least action, ultimately constructing a cohesive model of the hydrogen atom and the universal background built on finite, measurable interactions.

# Chapter 21

## Time and gravity

*Breaking the silence,  
Gravity calls a moment,  
ripples in the pond.*

### Finite Mechanics Time, Gravity, and Nodal Acceleration Constraints

Finite Mechanics (FM) challenges the classical framework of time, motion, and gravity by rejecting fixed rest frames and introducing interaction-based constraints. Unlike Special Relativity (SR), which assumes a universal speed limit at  $c$ , FM suggests that acceleration constraints, particularly centripetal acceleration, govern time measurement. This leads naturally to a fundamental acceleration limit on the order of  $c^2$ , shaping time dilation, gravitational effects, and information transfer within FM's nodal structure.

### FM Time as an Acceleration Constraint

FM defines time not as an independent ticking mechanism but as a function of local interaction constraints. Specifically, the maximum local acceleration constraint arises from the centripetal acceleration of an interacting system:

$$a_{\max} \sim \frac{v^2}{r}. \quad (21.1)$$

Given that FM constrains maximum velocity locally by the speed of light  $c$ , we obtain:

$$a_{\max} \sim \frac{c^2}{r}. \quad (21.2)$$

This result suggests that FM time, motion, and information transfer are limited by an acceleration-based constraint rather than a simple velocity limit. This provides a direct connection between FM time and the nodal structure of interactions.

## Refining the FM Time Dilation Equation

Since we've linked time to centripetal acceleration constraints, we should derive an FM-compatible time dilation equation.

**SR's Standard Time Dilation (Velocity-Based):**

$$\Delta t' = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}}. \quad (21.3)$$

This follows from the assumption that velocity addition must be constrained by  $c$ , but FM replaces this with an acceleration-based constraint.

**FM Alternative: Time Dilation from Local Acceleration Constraints:**

$$\Delta T_{\text{FM}} \sim \frac{\Delta T}{\sqrt{1 - \frac{a}{a_{\max}}}}, \quad (21.4)$$

where  $a_{\max}$  represents the local maximum acceleration allowed by FM constraints.

This suggests that time dilation effects are governed by acceleration variations rather than velocity alone, leading to natural time dilation in high-gravity environments as a result of nodal interaction density constraints rather than relativistic velocity effects.

## FM Gravity as a Stress-Tensor Equivalent

If gravity in FM arises as a variation in interaction density, then it should behave under stress-strain relationships in the nodal model.

### FM Gravity from Interaction Density Gradient:

$$\frac{d}{dx}(\text{Interaction Density}) \sim g_{\text{FM}}. \quad (21.5)$$

This suggests an FM-based stress-energy relation:

$$\frac{dI}{dx} \sim g_{\text{FM}}, \quad (21.6)$$

where  $I$  represents the interaction density (superposition of gravity and EM effects).

A formal derivation of FM's stress-energy approach could replace the curvature-based GR model with a finite interaction density-based formulation.

## Maximum Nodal Information Transfer Rate – Testing the $c^2$ Hypothesis

Since FM acceleration constraints naturally lead to a scale of order  $c^2$ , nodal transitions (such as entanglement interactions) may be governed by an upper information speed near this scale.

**Key Experimental Idea:** If entanglement has a maximum interaction rate, it should not be instantaneous but should exhibit variations in different high-density environments. Testing for deviations in entanglement correlations under different gravitational conditions could confirm this.

**Key Theoretical Question:** Should the FM maximum information speed scale as:

$$v_{\text{nodal, max}} \sim c^2, \quad (21.7)$$

or

$$v_{\text{nodal, max}} \sim \frac{c^2}{\alpha}, \quad (21.8)$$

where  $\alpha$  is a correction factor based on interaction density?

## **Future Directions and Next Steps**

- Refining an FM-compatible time dilation equation based on nodal acceleration constraints.
- Constructing an FM gravity stress-equivalent model.
- Developing an FM-compatible prediction for entanglement transfer rates.

Considering the challenge associated with time in this way, may lead to further considerations. This is just a first tentative effort as taking on those challenges and framing time and gravity within an FM context.

## Chapter 22

# Time and Entropy, a Runaway Child

*Time's tail wraps the clock,  
dragons stir the cooking pot,  
tasting entropy.*

### Rethinking thermodynamic progression

In Finite Mechanics (FM), time is not treated as a fundamental dimension but rather as an emergent concept tied to local nodal interactions. Unlike Special Relativity (SR), which assumes an abstract, perfectly smooth time dimension, FM suggests that time is inherently **local, quantized, and governed by interaction rates within a structured nodal network**.

Similarly, temperature and entropy, which in classical physics emerge from statistical mechanics and thermodynamics, take on new interpretations in FM. **Temperature** is tied to the **local oscillation rate of nodal interactions**, while **entropy** is a function of **finite nodal state accessibility**, rather than an infinite statistical phase space. This redefinition naturally aligns with FM's finite axioms and structured approach to mechanics.

To formalize these concepts, we integrate FM's thermodynamic laws, which redefine energy, entropy, and temperature as functions of nodal interactions

rather than abstract statistical principles.

This document explores the framing of time, temperature, and entropy in FM, proposing that these concepts arise from **nodal rotational dynamics, interaction densities, and structural constraints**, rather than from assumed universal laws.

## The Breakdown of Universal Time

In classical physics and relativity:

- Time is a **continuous variable**, defined as a universal tick.
- In SR, time is linked to reference frames, creating the notion of time dilation.
- In Quantum Mechanics, time is often treated **classically**, without clear quantization.

However, in FM:

- Time **cannot be an abstract perfect tick** because finite interactions have limits.
- Each nodal region has its own **local time rate**, dependent on interaction density.
- The fundamental unit of time is **not a universal second** but rather the rate at which nodal structures transition between states.

This leads to a **finite, structured, and interaction-based** view of time, rather than the traditional idea of a smooth, continuous time dimension.

## FM Thermodynamic Laws: Interaction as the Foundation of Energy and Entropy

The classical laws of thermodynamics rely on statistical mechanics and infinite state spaces. In FM, the following thermodynamic principles are derived from **finite nodal interactions**:

## **First Law: Interaction as the Foundation of Physical Reality**

- Energy conservation is reframed as an **interaction-driven principle**.
- Time, entropy, and temperature are all functions of **finite interaction states**.

## **Second Law: Entropy as Interaction Divergence**

- Entropy is not a probabilistic concept but a **measure of increasing nodal complexity over time**.
- Entropy growth corresponds to the increasing accessibility of **finite nodal states** rather than traditional disorder.

## **Third Law: No Absolute Zero**

- Since temperature is **interaction density**, absolute zero is **not possible**, because **no system can reach a state of zero interaction density**.
- This follows naturally from temperature in FM being tied to **nodal oscillations**.

## **Fourth Law: Persistence of Interactions**

- Classical conservation laws focus on mass or energy; FM focuses on **interaction conservation**.
- Entropy doesn't "consume" energy but redistributes **interaction states**, ensuring ongoing transformation.

## **Fifth Law: Work as Interaction Potential and the Prohibition of Perpetual Motion**

- Work in FM is not merely energy transfer but **interaction potential**, meaning it depends on acceleration as well as force.

- Defined as:

$$W = \int f \cdot a \, dt \quad (22.1)$$

where  $f$  is force and  $a$  is acceleration, reinforcing that force and acceleration are inseparable.

- Perpetual motion is prohibited because **work is always directional**—interaction states evolve but never cycle in a perfectly closed loop.

## The Electron-Photon Relationship in FM

In FM, the electron and photon are not treated as **completely separate entities**, but rather as **two manifestations of the same fundamental charge-mass interaction**. The emission of a photon by an electron is not a simple particle exchange but an **interaction transformation** within the nodal network.

## Mathematical Representation of Electron-Photon Shedding

A potential interaction-based equation for photon emission can be framed as:

$$P_{\text{photon}} = \frac{d}{dt} \left( \frac{q_e^2}{4\pi\epsilon_0 r} \right) \sim f_{\text{node}} \cdot \Delta a_{\text{charge-mass}} \quad (22.2)$$

where:

- $P_{\text{photon}}$  represents the power of the emitted photon interaction.
- $q_e$  is the electron charge.
- $r$  is the nodal separation distance at the time of interaction release.
- $f_{\text{node}}$  is the characteristic nodal interaction frequency.
- $\Delta a_{\text{charge-mass}}$  is the change in acceleration of the charge-mass system.

## Implications for Cosmology

The Cosmic Microwave Background Radiation (CMBR) is not merely a remnant of a distant past but an intrinsic equilibrium radiation arising from the charge-mass nodal structure that underlies space itself. Rather than being a leftover signature of a primordial event, it represents the natural equilibrium state of structured interactions at the smallest scales.

Space, in this view, is not an empty void but a finite charge-mass network—a structured lattice where charge and mass interactions define the fundamental properties of the vacuum. In this framework, permittivity and permeability are not fixed constants but emergent properties, shaped by the interaction density of the underlying charge-mass framework.

This leads to a testable experimental prediction: if vacuum permittivity arises from charge-mass interactions, then its value should exhibit small but measurable deviations in regions where interaction densities vary. High-precision measurements of permittivity across different astrophysical environments could provide direct evidence for this structured-space model, distinguishing it from traditional field-based interpretations of the vacuum.

## Moving Forward

In FM, the universe is structured by a **charge-mass nodal network**, leading to fundamental reinterpretations of space, time, and radiation.

This presents an exciting alternative to standard cosmology, providing **new testable predictions** and a more structured foundation for electromagnetic theory.



# Chapter 23

## More Laws of Thermodynamics

*New tablets of stone,  
a bureaucratic nightmare,  
judges in the court.*

### A framework based on Finite interactions

The Finite Mechanics (FM) framework reinterprets thermodynamics through the lens of finite, measurable interactions. Unlike classical thermodynamics—which relies on statistical approximations, ideal equilibrium states, and abstract probability distributions—FM grounds all thermodynamic principles in the concrete, observable exchanges between finite entities. In this framework, fundamental quantities such as energy, temperature, and entropy are not merely abstract concepts but arise directly from measurable interaction dynamics. This chapter presents the four fundamental laws of FM Thermodynamics, which together form a new, interaction-driven foundation for understanding thermal behavior across all scales.

## The First Law: Interaction as the Foundation of Physical Reality

FM posits that all physical phenomena are fundamentally the result of interactions. Rather than treating energy conservation as a primitive postulate, FM asserts that every observation is a subset of a larger interaction network. In this view, no interaction exists in isolation, and all are governed by finite accelerative processes. One can express this idea conceptually as:

$$\Delta E \equiv \Delta(\text{Interactions}), \quad (23.1)$$

where the energy change is not an abstract quantity but a measure of the finite, measurable interaction exchanges. In FM, even the familiar expression for force is augmented by an additional term accounting for implicit mass contributions:

$$F = ma + m_{\text{implicit}} a, \quad (23.2)$$

which has been used to explain deviations observed in phenomena such as galaxy rotation curves and Mercury's perihelion precession.

## The Second Law: Entropy as Interaction Divergence

In classical thermodynamics, entropy is treated as a statistical measure of disorder. In FM, however, entropy emerges naturally from the divergence of finite interactions. As entities interact, their relative accelerative divergences increase over time. We define the FM entropy,  $S_{FM}$ , as:

$$S_{FM} = \int D_{\text{div}}(t) dt, \quad (23.3)$$

where  $D_{\text{div}}(t)$  is a divergence function quantifying the rate at which the interactions evolve and separate due to finite acceleration. This formulation implies that irreversibility and the increase of entropy are inherent to the continuous evolution of finite interactions.

## The Third Law: No Absolute Zero in a Finite Framework

In the FM approach, temperature is interpreted as an interaction density. Since every finite system exhibits some degree of interaction, absolute zero—a state with zero interaction density—is physically unattainable. Mathematically, if temperature  $T$  is defined as:

$$T = \frac{E_0}{k_B} \frac{D_{\text{int}}}{D_0}, \quad (23.4)$$

with  $D_{\text{int}}$  representing the local interaction density and  $D_0$  a reference density, then  $D_{\text{int}} > 0$  for all finite systems. Thus, the Third Law of FM Thermodynamics can be stated as:

**Absolute zero does not exist.** All finite systems maintain a nonzero interaction density, and therefore, a nonzero temperature and entropy.

## The Fourth Law: Persistence of Interactions

FM redefines conservation not in terms of mass or energy alone, but in terms of interactions. The Fourth Law asserts that interactions cannot be destroyed, only transformed. In any closed system, the total interaction is conserved, though it may redistribute among various forms. This can be expressed as:

$$\frac{d}{dt} \sum_i I_i = 0, \quad (23.5)$$

where  $I_i$  represents the finite interaction state of the  $i^{\text{th}}$  component. This conservation of interaction persistence underpins all physical transformations and prevents the appearance of singularities.

## Discussion and Implications

Together, these four laws reframe thermodynamics within an interaction-based, finite context:

- **Interaction-Driven Energy:** Energy is derived from finite interaction exchanges rather than being an intrinsic substance.

- **Entropy as Divergence:** Entropy measures the divergence of interactions over time, making it an observable, evolving quantity.
- **No Absolute Zero:** The impossibility of completely eliminating interaction density ensures that all finite systems remain above absolute zero.
- **Conservation of Interactions:** Instead of traditional mass-energy conservation, FM asserts that the total interaction within a system is preserved.

This approach shifts thermodynamics from a probabilistic, statistical model to a deterministic framework, fully consistent with the finite axioms of FM. The focus on measurable interactions provides a more concrete basis for understanding phenomena ranging from phase transitions to black-body radiation.

## Finally

The Laws of FM Thermodynamics redefine our understanding of thermal and interaction-driven processes. By grounding all thermodynamic behavior in finite, measurable interactions, FM eliminates the need for idealized notions such as absolute zero, perfect equilibrium, and infinitely small probability distributions. Instead, energy, temperature, and entropy emerge as direct outcomes of observable interaction dynamics. Future work will extend these principles to applications in black-body radiation, phase transitions, and cosmological dynamics, ensuring that our models remain as close as possible to the reality we can measure.

These laws, serving as the foundation of FM Thermodynamics, provide a coherent and deterministic framework that aligns perfectly with the broader philosophy of Finite Mechanics: that the universe is best understood not as a collection of perfect, abstract entities, but as a dynamic tapestry woven from finite, measurable interactions.

## Emergent Temperature and Interaction Density

A natural outcome of our FM framework is the re-imagining of temperature and energy in terms of finite interaction density. In classical thermodynamics, temperature is treated as an independent parameter, loosely associated with the average kinetic energy of particles. Within FM, however, temperature emerges directly from the density of interactions within a defined spatial volume—what we term the *interaction density*.

Consider that all interactions are finite, measurable events. When we describe an interaction density, we attribute to it dimensions linked to the system’s volume (e.g.,  $\text{m}^3$ ) and, importantly, to the accelerative dynamics that drive these interactions. In our approach, temperature is no longer a disjointed or abstract quantity; it is intimately connected to the geometry of the interaction field. As the vibrational interactions (the e-u stiffness) increase, the interaction density, and hence the temperature, increases in a manner that is constrained by the underlying electromagnetic and gravitational properties.

Mathematically, if we consider the interaction density  $D_{\text{int}}$  as a scalar field defined over a finite volume and recognize that acceleration  $a$  plays a pivotal role in governing these interactions, then the effective temperature  $T$  can be expressed as a function of both the spatial dimension and the accelerative divergence:

$$T \propto D_{\text{int}}(V, a). \quad (23.6)$$

As the system’s defined volume is fixed by e-u and gravitational constraints, any additional interaction density—or increase in vibrational energy—results in a linear scaling of temperature up to a finite limit. This naturally leads to a saturation effect: in dense astrophysical objects (e.g., stars or black holes), the finite nature of interactions implies that the temperature and associated energy density cannot increase indefinitely.

Thus, the FM perspective predicts that there exists a finite limit to interaction density. As more vibrational energy is added, the system’s temperature increases linearly until other constraints (such as gravitational binding) prevent further escalation. In this sense, our model provides a natural explanation for the observed limits in extreme astrophysical objects.

This outcome follows formally from our starting assumption that all physical quantities are derived from finite, measurable interactions. By anchoring our understanding in the Rydberg frequency and the measured e-u stiffness, we uncover a coherent picture: charge and mass are not independent, intrinsic entities, but emergent properties of a dynamically evolving, finite interaction field.

In summary, as our finite geometric model of the hydrogen atom and the universal background develops, the redefinition of temperature in terms of interaction density becomes a logical, inevitable conclusion. It demonstrates that as vibrational interactions intensify within a fixed volume, the resulting energy and temperature scale linearly, eventually reaching a finite limit—a concept that may have profound implications for understanding both ordinary matter and extreme states such as those found in black holes.

## **Evidence for the e-u Stiffness: Measurements, Inference, and the Universal Background**

In Finite Mechanics (FM), we begin by asking: What are the measurements we have? Instead of treating particles as isolated, idealized entities, FM views all physical phenomena as the outcome of finite, measurable interactions—what we describe as the e-u (electromagnetic) stiffness. This stiffness is not an abstract parameter; it is evidenced by a collection of observations that have long underpinned modern physics, yet here we reinterpret them as reflections of a local, universal background.

# Chapter 24

## On Time, Temperature, and Entropy

*The dons shake their heads,  
entropies on the table,  
why not fish and chips.*

### Reconciling Measurements with physics

In FM, time is not treated as a fundamental dimension but rather as an emergent concept tied to local nodal interactions. Unlike Special Relativity (SR), which assumes an abstract, perfectly smooth time dimension, FM suggests that time is inherently **local, quantized, and governed by interaction rates within a structured nodal network**.

Similarly, temperature and entropy, which in classical physics emerge from statistical mechanics and thermodynamics, take on new interpretations in FM. **Temperature** is tied to the **local oscillation rate of nodal interactions**, while **entropy** is a function of **finite nodal state accessibility**, rather than an infinite statistical phase space. This redefinition naturally aligns with FM's finite axioms and structured approach to mechanics.

To formalize these concepts, we integrate FM's thermodynamic laws, which redefine energy, entropy, and temperature as functions of nodal interactions

rather than abstract statistical principles.

This document explores the framing of time, temperature, and entropy in FM, proposing that these concepts arise from **nodal rotational dynamics, interaction densities, and structural constraints**, rather than from assumed universal laws.

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In classical physics and relativity: Time is a continuous variable, defined as a universal tick. In SR, time is linked to reference frames, creating the notion of time dilation. In Quantum Mechanics, time is often treated classically, without clear quantization.

However, in FM: Time cannot be an abstract perfect tick because finite interactions have limits. Each nodal region has its own local time rate, dependent on interaction density. The fundamental unit of time is not a universal second but rather the rate at which nodal structures transition between states.

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where  $f$  is force and  $a$  is acceleration, reinforcing that force and acceleration are inseparable. Perpetual motion is prohibited because work is always directional—interaction states evolve but never cycle in a perfectly closed loop.

## **The Electron-Photon Relationship in FM**

In FM, the electron and photon are not treated as **completely separate entities**, but rather as **two manifestations of the same fundamental charge-mass interaction**. The emission of a photon by an electron is not a simple particle exchange but an **interaction transformation** within the nodal network.

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A potential interaction-based equation for photon emission can be framed as:

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where:

- $P_{\text{photon}}$  represents the power of the emitted photon interaction.
- $q_e$  is the electron charge.
- $r$  is the nodal separation distance at the time of interaction release.
- $f_{\text{node}}$  is the characteristic nodal interaction frequency.
- $\Delta a_{\text{charge-mass}}$  is the change in acceleration of the charge-mass system.

## Implications for Cosmology

Rather than being a remnant of the Big Bang, the CMBR emerges naturally as an equilibrium radiation of the charge-mass nodal structure. This perspective suggests that what we observe as background radiation is not a distant relic but an intrinsic feature of the structured interaction network that permeates space.

Space itself is not an empty void but a structured charge-mass network—a finite lattice where charge and mass interactions define the very properties of the vacuum. In this framework, permittivity and permeability are not fundamental constants but emergent properties, shaped by the underlying nodal interactions.

This leads to a key experimental prediction: if vacuum properties arise from charge-mass interactions, we should expect to detect small variations in permittivity in regions where interaction densities shift. Precision measurements of permittivity in different astrophysical environments could reveal subtle deviations, providing a testable signature of this structured-space model.

## A quite different Universe

In FM, the universe is structured by a **charge-mass nodal network**, leading to fundamental reinterpretations of space, time, and radiation.

This presents an exciting alternative to standard cosmology, providing **new testable predictions** and a more structured foundation for electro



# Chapter 25

## Finite Constraints, and the Emergence of Stability

*Turning the handle,  
searching for Occam's razor,  
yet another door.*

### A Finite World of Measurable Reality

Our primary motivation is to anchor physics in a finite, measurable framework—one that does not rely on infinities, unbounded reference frames, or unmeasurable dimensions. Traditional models often bring in idealizations: zero-length points, infinitely differentiable fields, or Hilbert spaces of infinite dimensionality. However, these idealizations, while elegant in purely mathematical terms, can become unfalsifiable when we try to map them onto the observable, real world.

### A different path

Reality is fundamentally discrete or “stepped” at some limit, such that truly infinite behaviours never manifest in any measurement. Time is not a universal coordinate but emerges locally, set by the maximum interaction rate—a nodal, acceleration-based limit rather than a mere velocity across empty

space. Non-linearity is not a complication or anomaly but a natural consequence of finite, measurable interactions—no linear smoothing is assumed at the deepest levels. In simpler terms (though we are not simplifying the core idea): our starting axioms enforce a finite, testable structure on everything we do, ensuring that any model we propose can be compared directly to the real world’s measurable constraints.

## **Non-Linearity, System Attractors, and Stability**

### **Why Non-Linearity Matters**

We observe that genuine physical systems often reveal behaviors that are not linear: a small change in one part can produce disproportionate effects in another. Think of turbulence, weather patterns, gravitational clustering, or even cognition. Traditional physics tends to linearize these behaviors for tractability, but the linearized approach may omit the deeper essence of what drives complex, emergent phenomena.

FM suggests that non-linearity arises naturally when interactions are fundamentally finite:

No infinite differentiability. Interactions happen in discrete, measurable intervals—no assumption of perfectly smooth continuity. System attractors (stable patterns, long-term behaviors) become physically grounded: they reflect how these finite steps converge upon stable nodes rather than being infinite expansions of possibility. In the conventional continuum view, non-linearity might appear as “chaos,” or require complicated expansions. But if the universe itself is finite at every turn, then so-called chaotic or fractal behaviors (like fluid vortices or branching systems) might naturally cap out at some threshold, stabilizing into attractors—regular orbits, standing waves, crystal lattices, and so on.

### **Stability Without Idealized Equilibria**

Classical physics often explains stability by appealing to “ideal equilibria,” where stable configurations exist theoretically because forces balance in a continuous space-time. FM replaces these infinite references with finite nodal

constraints. A system remains stable not because there is a perfect continuum in which forces sum to zero, but because beyond a certain local interaction rate, the system cannot “run away.” Energies do not become unbounded; complexity hits an inherent ceiling.

Local maximum interaction rate forms a hard limit. In older models, the speed of light ( $c$ ) was assumed as some universal velocity limit, almost by decree. In FM, one reinterprets it as the maximum rate of local acceleration-based interactions—philosophically grounded in the axiom that reality is finite, not in an empirically measured constant that we treat as absolute from the outside. Once you have such a local limit, “time” emerges from how fast interactions can occur and no faster. No runaway cascade of infinite events is possible if each region can only “update” or interact at a finite maximum rate. Hence, non-linearity and stability become two sides of the same coin: the system might manifest complex, fractal-like growth or feedback loops, but always hits a limiting condition that forces a stable state or an attractor.

## **Entropy as Self-Limiting Rather Than Run-away Disorder**

### **The Traditional Entropic View**

Conventional thermodynamics interprets the Second Law (entropy always increasing) in a manner that often suggests a heat death endpoint—eventually, the universe is supposed to become uniformly disordered, with no free energy or structure left. In that typical view:

Energy disperses more or less indefinitely. Organization decays into randomness. The final equilibrium is a static “zero” of no meaningful interactions. But this viewpoint contrasts sharply with what we see: the universe exhibits vast, persistent structures (galaxies, stars, stable orbits, fractal life forms, repeated molecular structures). Even across eons, new complexity appears. This discrepancy implies something is missing in the standard picture.

### **The FM Perspective on Entropy**

Within FM, entropy does not represent an unbounded path to uniform chaos. Instead, it acts as a bridge between fractal-like complexity and the ultimate

“collapse” into stable forms. We see fractal branching up to a point—but at some scale or threshold, that fractal recursion stops, giving way to discrete lattices, crystal structures, or well-defined stable orbits. Entropy, rather than condemning everything to complete disorder, drives a self-limiting process:

Finite Interaction Densities: Systems can only branch or expand their complexity up to a certain maximum number of microstates (or micro-configurations). Beyond that, constraints force a convergent structural order. A Bounded “Maximum Entropy”: Instead of entropy increasing forever, it approaches a limiting value that is consistent with stable, finite structures. Conceptually, this might be seen in a logistic-like or saturating function for entropy:

$$S_{\text{FM}}(t) = S_{\text{max}} \left[ 1 - e^{-t/\tau} \right].$$

is set by the finite constraints of the system (like nodal densities, local rates of interaction, available energy modes). Rather than flattening into an ocean of uniform chaos, the system hits a high-entropy but structured state.

## **The Universal Implication**

This re-interpretation dismantles the idea that the universe inevitably “runs out” of structure. Chaos exists, but it is not the infinite sea that dissolves everything. Instead, there is:

A fractal regime where structures appear self-similar and expand in complexity. A convergence regime where they “crystallize” into stable arrangements once the interaction limit saturates the degrees of freedom. Hence, the fractal nature we see in trees, rivers, and cosmic filaments is real, but it transitions at a certain scale—leading to the “organized complexity” in crystals, stable molecules, and stable cosmic systems.

## **The Fractal Universe Doesn’t Go On Forever**

We are all familiar with the mesmerizing fractal forms in nature. From James Gleick’s popularization of chaos theory to the diffusion-limited aggregates in chemistry, fractals abound:

Tree branches repeating smaller-scale versions of themselves. River networks splitting into self-similar tributaries. Galactic filaments forming cosmic webs

reminiscent of fractal clustering. Yet, nature’s fractals stop. At certain levels—atomic scales, crystal boundaries, nodal constraints—the repeating patterns do not continue infinitely. That is precisely where the “old” mathematics of fractals, which can be iterated endlessly on paper, diverges from real physical processes, which must obey finite constraints on energy, nodal arrangement, or local maximum interaction rates.

Branching trees do not subdivide indefinitely: they reach twigs and leaves. Cloud turbulence eventually transitions, or the cloud dissipates, rather than branching forever. Atomic lattices show no fractal recursion inside the crystal; they adopt a specific minimal structure. FM clarifies that fractals in reality reflect finite recursion—they expand self-similarly only until the local energy and interaction constraints force them into a stable arrangement. So the fractal is not a principle that goes on infinitely; it’s a process that eventually hits the boundary conditions set by finite mechanics.

## **Time as a Local Constraint**

Moving Past “c” as an Abstract Speed A lynchpin of this entire conversation is the re-interpretation of time. Conventionally, the speed of light ( $c$ ) is treated as an absolute limit for velocity in vacuum, an empirically measured constant that we then elevate into a universal principle. In FM:

Time emerges from local maximum interaction rates, akin to a nodal-based centripetal acceleration limit. Instead of thinking “light cannot exceed speed  $c$ ,” we see “no local interaction can happen faster than a certain finite rate of change.” Time in each region is pegged to that rate—thus it is not an abstract global dimension but a measure of how many discrete nodal interactions can occur in a given setting. The philosophical difference is profound. Instead of embedding matter in an external “space-time” that is smooth and continuous, FM says: each locale has a maximum clock frequency beyond which events cannot be updated. No phenomenon outruns this local schedule, thereby enforcing stability.

## **Non-Linear Dynamics and “Chaos”**

It’s impossible to ignore how much our modern perspective was shaped by the rise of chaos theory in the late 20th century. Books like James Gleick’s *Chaos*

introduced the public (and many scientists) to the notion that deterministic systems can behave unpredictably due to non-linearity and sensitivity to initial conditions.

For many of us, reading *Chaos* was a watershed moment: it spurred entire departments dedicated to non-linear dynamics, fractals, and emergent complexity. But it also set the stage to question whether the “linear continuum” approach was the final word. It opened the door to seeing:

Deterministic unpredictability does not imply infinite randomness—structures do form. Fractals and self-similarity saturate at certain scales. The entire universe might indeed be shaped by these multi-scale, feedback-driven processes. FM pushes that idea forward: “chaos” in classical terms might still be an approximation. If the universe is finite, even chaos has a bounding rule. Determinism becomes local, discrete, and eventually transitions from fractal complexity to stable patterns.

## Final Reflections and Next Steps

### Looking at the progress so far:

We’ve established that finite axioms lead us to recast time as a local, acceleration-based limit—an intrinsic nodal frequency constraint rather than an external speed constant. We’ve introduced non-linearity not as an annoying complication, but as the native state of finite interactions—giving rise to chaotic or fractal phenomena, but inevitably capping them into stable structures. We’ve challenged the runaway entropy narrative by re-framing entropy as a self-limiting or convergent process, preventing the universe from dissolving into uniform heat death. We see fractals in nature not as infinite expansions, but partial recursions that “collapse” into crystalline or stable forms once certain thresholds are met. All of this underscores a fundamental theme: the universe does not expand into unbounded chaos. Instead, it converges into stable patterns—stars, planets, molecules, galaxies, living systems—precisely because finite constraints anchor it to measurable, self-organizing paths.

## **Where do we go from here?**

**Refining the Mathematical Expressions:** We can formalize these ideas by writing bounded-entropy functions, logistic-like transitions, or nodal-based constraints on the maximum number of microstates. This would allow more direct comparison with experimental data. **Testing Across Domains:** We could look at known stable systems—from atomic orbitals to large-scale gravitational structures—and see if “finite mechanical” bounding explains anomalies that standard models push into fudge factors (like dark matter or wavefunction infinities). **Philosophical and Conceptual Expansion:** This approach might reshape entire fields, from cosmology to condensed matter, by emphasizing that infinite expansions do not exist in nature. Instead, every system eventually transitions from fractal complexity to structural order due to local maxima on interaction rates and energy densities. In short, the finite axioms produce a worldview where the deeper logic of the universe is measurable, discrete, and organized—not a continuum that allows boundless chaos or demands renormalizations at every turn. The entire structure is an invitation to see a world that is as real, tangible, and testable as our best instruments allow.

## **Closing Thought**

This document captures our unfolding reasoning: non-linearity and fractals do not doom everything to chaos; entropy does not guarantee universal disorder; and local time constraints hold the key to why systems remain stable at all scales.

From the vantage of Finite Mechanics, the universe is not fated to drift into a formless, zero-organization state. Rather, it is propelled by finite interactions to perpetually generate, sustain, and ultimately coalesce into stable configurations—repeatedly, and at every scale where we choose to examine it.

This perspective challenges long-held assumptions in both classical and quantum frameworks, providing a new conceptual space where structured complexity is the natural outcome of finite, discrete, and measurable principles. That, to me, is profoundly satisfying—and points the way to the next chapter of inquiry into the fractal to crystal-like transitions that define the reality we see all around us.



## Chapter 26

# A Philosophy of Methodology

*Weaving through the dark,  
spirits on the flying carpet,  
magic guides the way.*

### Boiling Milk

Sometimes, the simplest observations spark the grandest ideas. One morning, while watching milk boil in a pot, the question arose: “*Where does the ‘energy’ come from to sustain these bubbles and swirling patterns?*” Watching the milk boil, we see an example of localized finite processes. Taking that same viewpoint to the Universe as a whole is the essence of FM.

In a standard physics class, we might say: “Heat from the stove transfers to the milk.” But in the framework of **Finite Mechanics (FM)**, the inquiry goes deeper. FM prompts us to ask how finite structures at all scales—from stovetop phenomena to cosmic backgrounds—sustain *all* interactions without invoking infinite reservoirs or mysterious vacuums.

This unassuming moment with boiling milk became a metaphorical stepping-stone to a different perspective on cosmology. Specifically, we turn our attention to the Cosmic Microwave Background Radiation (CMBR). In standard cosmology, the CMBR is regarded as the glowing remnant of a hot, dense Big Bang. Under FM, however, it takes on a radically different character:

rather than a relic from 13.8 billion years ago, it is an *ongoing signature* of the finite, structured medium we inhabit.

In this chapter, we showcase **Finite Mechanics** not only as a physical theory but also as a *method of philosophical inquiry*, revealing how a humble pot of milk can lead us toward a novel take on the cosmos.

## Philosophical Underpinnings

### Finite Axioms and Structured Space

Finite Mechanics is built on a core principle of *rejecting infinities* in physical theories. Space is not a void of nothingness; it is a *nodal, vibrational lattice* where every point or region has finite interaction capacity.

- **Structured Space:** Instead of treating space as an empty backdrop, FM posits that it is inherently *structured*, capable of resonances and vibrations.
- **Interaction Density:** Mass, charge, and other physical properties are recast as *finite interaction densities* emerging from the local vibrational modes in this lattice.

Historically, many physics theories (including certain quantum and cosmological models) quietly allow or require infinite quantities—infinite energy densities, singularities, or boundless expansions. FM, by contrast, insists that such infinities are unphysical artifacts of our models. Thus, *no phenomenon* simply appears from a “vacuum” or from a singularity; everything is generated or transformed within a self-consistent, finite structure.

### Methodological Emphasis

Finite Mechanics is more than a set of equations; it is a *way of asking questions*:

1. **Root out implicit infinities.** Whenever a theory relies on a singularity or an infinite reservoir, FM challenges us to seek a finite alternative.
2. **Seek local, self-contained explanations.** Phenomena must be

traced to structured, nodal interactions rather than abstract universal sources.

3. **Embrace a finite lens.** The cosmos is vast, but its principles remain consistent from the boiling pot to the cosmic background.

Historically, questions like “Where did the singularity come from?” or “How can something be created from nothing?” lead to logical dead-ends. FM bypasses these by disallowing *ex nihilo* emergence and exploring finite ways to describe observed reality. Later in this chapter, we will see how these methodological rules reframe our understanding of the CMBR.

## Rethinking the CMBR: A Local Signature

In the standard Big Bang model, the Cosmic Microwave Background Radiation (CMBR) is a “fossil light” left over from an extremely hot and dense early Universe. It is often described as a snapshot taken about 380,000 years after the Big Bang, now cooled to about 2.7 K.

Under **Finite Mechanics**, we propose an alternative:

*The CMBR is not a relic from a singular cosmic event. It is a **present resonance** of the structured lattice of space, sustained by ongoing finite interactions.*

Because FM disallows singularities or infinite expansions, the notion of a one-time “creation from nothing” becomes untenable. Instead, the 2.7 K background is the natural, *local equilibrium* of vibrational modes inherent to structured space.

## Observational Tie-Ins

Standard cosmology highlights the nearly uniform temperature of the CMBR across the sky. Finite Mechanics interprets this *uniformity* as an emergent property of the *global vibrational mode* in a continuous, finite lattice. In other words, the near-isotropy of the CMBR simply reflects the universal “hum” that underpins all interactions. Subtle anisotropies—the small hot and cold spots—are akin to local modulations in that lattice, rather than historical imprints of a decoupling era.

## The Big Pluck: A New Cosmogonic Metaphor

### The Universe as a Plucked String

Where the traditional narrative offers a **Big Bang**, Finite Mechanics suggests a *Big Pluck*. Picture space as a vast, taut membrane. At some finite moment (no infinite densities needed), *something plucks that membrane*, initiating a self-sustaining resonance.

- **Before the Pluck:** Structured space is quiescent but still finite and capable of supporting vibrations.
- **The Plucking Moment:** A local threshold is crossed; we might call it a *modal activation*. The lattice shifts into resonance.
- **Ongoing Resonance:** Once plucked, the membrane continues to vibrate, giving rise to emergent structures: mass, charge, force, and spacetime itself.
- **CMBR as Ambient Hum:** The 2.7K CMBR is the *ever-present hum* of the cosmic string rather than a past afterglow.

**What “plucks” the string?** In FM, it could be a local perturbation crossing a vibrational threshold in the lattice—much like a Chladni plate that “rings” when excited. We do not posit an external agent; rather, the structured medium itself harbors the potential for activation.

### Comparing Big Bang and Big Pluck

Table 26.1 juxtaposes the standard Big Bang model with the Finite Mechanics “Big Pluck.”

In standard cosmology, the singularity remains a puzzle. In FM, we avoid the puzzle by rejecting the need for infinite densities in the first place.

### Observational Consequences

If the Universe is a plucked membrane, one might expect subtle patterns or anisotropies that echo vibrational modes. Some of these features could appear as quadrupole or octopole components in the CMBR map. Instead of

| Element              | Big Bang                                              | Big Pluck (                  |
|----------------------|-------------------------------------------------------|------------------------------|
| <i>Origin</i>        | Singularity (infinite density)                        | Local modal activation       |
| <i>Medium</i>        | Spacetime arises at $t = 0$                           | Structured space pre-exists, |
| <i>Mechanism</i>     | Inflation, expansion, symmetry breaking               | Resonant vibration, susta    |
| <i>CMBR</i>          | Relic of hot, dense early era                         | Present-day hum of str       |
| <i>Time</i>          | Begins at $t = 0$                                     | Emerges from seque           |
| <i>Energy Source</i> | Often invoked as “vacuum energy,” undefined reservoir | Interaction capacity store   |
| <i>Metaphor</i>      | Explosion or “Bang”                                   | Local pluck or “bloom        |

Table 26.1: A comparison of Big Bang cosmology with the Finite Mechanics “Big Pluck” concept.

attributing them to inflation or quantum fluctuations from the early universe, FM sees them as direct *vibrational signatures* of the cosmic lattice.

## Sidebar: Modal Activation and Observational Implications

### On Whether $\rho_I(\vec{x}, t)$ is Ever Zero

In Finite Mechanics (FM), structured space is never empty. Even in quiescent regions, the local interaction density  $\rho_I(\vec{x}, t)$  remains finite but may reside below the activation threshold  $\mathcal{T}$ . Modal activation does not require emergence from nothing — it arises when nodal tension exceeds a finite, well-defined limit:

$$\begin{aligned} \rho_I(\vec{x}, t) < \mathcal{T} &\Rightarrow \text{No activation (structured but silent)} \\ \rho_I(\vec{x}, t) \geq \mathcal{T} &\Rightarrow \Phi(\vec{x}, t) > 0 \Rightarrow f(\vec{x}, t) \end{aligned}$$

This precludes the need for any absolute zero or infinite vacuum energy. Structured space contains latent capacity; modal activation simply organizes and sustains it.

### Experimental and Observational Pathways

If the cosmos began with a modal pluck — a local activation rather than an inflating singularity — then observational data might contain signatures of

this vibrational origin. Potential markers include:

- **Non-inflationary anisotropies** in the CMBR — unexpected modal peaks or alignments inconsistent with quantum fluctuation-based inflation.
- **Phase-correlated structures** — vibrational harmonics that hint at underlying nodal geometry.
- **Directional modal asymmetries**, potentially related to known anomalies (e.g., the CMB “Axis of Evil”) reframed as features, not bugs.
- **Lack of superhorizon correlations** — since FM requires no faster-than-light inflationary smoothing.
- **Residual modal alignments** — echoing the structured lattice itself, akin to Chladni plate nodal patterns.

These provide testable differences from standard cosmology. FM does not predict a uniform random foam from early expansion, but a structured modal bloom — patterned from its very inception.

*If the Universe was plucked, not banged, then the cosmos still hums with the residual structure of that first vibration. Observations may one day reveal its score.*

## A Conceptual Mathematical Formulation

In order to lend structure and symbolic clarity to the idea of the *Big Pluck* within the Finite Mechanics (FM) framework, we present a conceptual mathematical formulation. This is not a derivation in the traditional sense, but a finite, structured expression of the narrative logic that underpins modal activation in FM.

We begin by defining the core quantities:

- $\mathcal{S}(\vec{x})$ : Local structured space at position  $\vec{x}$
- $\rho_I(\vec{x}, t)$ : Local *interaction density* (primary FM observable)
- $\mathcal{T}$ : Modal *tension threshold* — the trigger for activation

- $\Phi(\vec{x}, t)$ : Modal activation function — the “pluck field”
- $f(\vec{x}, t)$ : Emergent modal vibrations — sustained interaction modes

## Modal Activation Condition (The Pluck)

$$\rho_I(\vec{x}, t) \geq \mathcal{T} \quad \Rightarrow \quad \Phi(\vec{x}, t) > 0$$

This relation defines the onset of modal activation: when the local interaction density exceeds the modal tension threshold, the structured space begins to resonate — it is “plucked” into activity.

## Finite Evolution of Modal Structure

$$\mathcal{S}(\vec{x}) \cdot \Phi(\vec{x}, t) \longrightarrow f(\vec{x}, t)$$

Once activated, the modal field propagates finite resonances through the structured substrate. These resonances take the form of physical identity modes — mass, charge, temporal sequences — sustained through recursive interaction.

## Optional Vibration Expression

To express the modal vibration in familiar form, we can write:

$$f(\vec{x}, t) = A \cdot \sin(2\pi\nu(\vec{x})t + \phi_0) \cdot \Theta(t - t_0)$$

Where:

- $\nu(\vec{x})$ : Local modal frequency, dependent on the geometry of  $\mathcal{S}$
- $A, \phi_0$ : Local amplitude and phase
- $\Theta(t - t_0)$ : Heaviside step function — activation begins at  $t_0$

## Interpretive Statement

*The Big Pluck occurs when a region of structured space crosses its modal tension threshold, activating sustained interaction density that manifests as the observable universe.*

## Summary Formulation (Boxed)

$$\rho_I(\vec{x}, t) \geq \mathcal{T} \quad \Rightarrow \quad \Phi(\vec{x}, t) > 0 \quad \Rightarrow \quad f(\vec{x}, t)$$

Structured space is not empty. When its internal interaction density crosses a finite threshold, modal activation begins. The result is sustained, observable identity — a universe. This is the Big Pluck.

“It is not an explosion from nothing — it is a resonance from structure.”

## Callout: CMBR as Cosmic Chladni Patterns

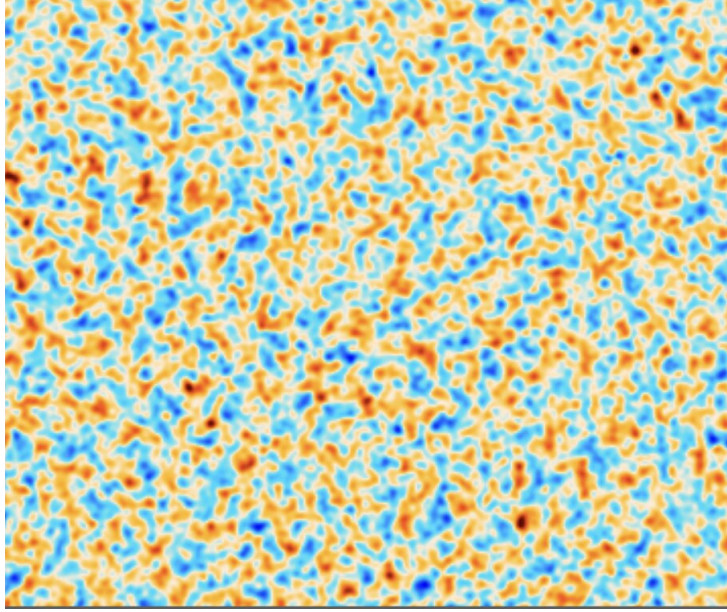


Figure 26.1: A close up of the CMBR.

One of the most striking visual representations of the CMBR is its “speckled” pattern of tiny temperature variations, often shaded in blues (cooler) and oranges (warmer). It is reminiscent of **Chladni plate** patterns, in which fine sand arranges itself into nodal lines on a vibrating metal surface. The parallel is illuminating:

- **Chladni Plate:** A metal plate is vibrated at certain frequencies; sand settles along the nodal lines of minimal displacement, revealing intricate



Figure 26.2: A chladni resonance image.

patterns.

- **CMBR Map:** Our cosmic “plate” is the *structured lattice of space*. The temperature fluctuations (the “blue and orange speckles”) are the *visible trace* of the Universe’s ongoing vibrational modes.

In this view, the CMBR patterns are not *fossil snapshots* of an early fireball but *standing-wave interference* in a cosmic-scale medium. If the Universe was “plucked” into resonance, then each point in the lattice vibrates in a mode consistent with those of a finite, three-dimensional “Chladni plate.”

**Key Takeaway:** Just as Chladni plates illustrate hidden vibrational geometries at a tabletop scale, the CMBR reveals hidden *cosmic* vibrational geometries on the grandest scale.

In later sections (§26), we will see how FM’s vibrational perspective also applies at the *atomic scale*, where discrete energy levels emerge from finite resonances of structured space.

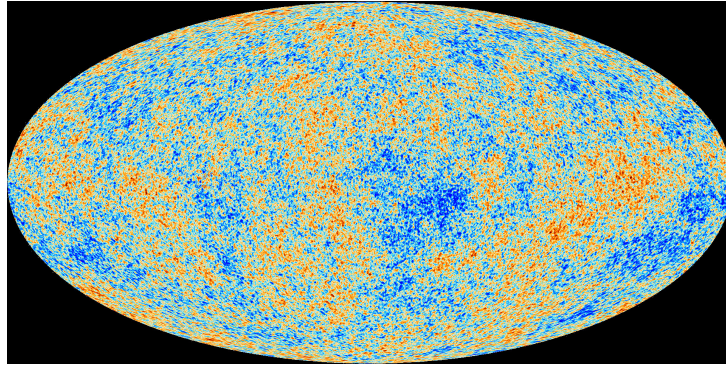


Figure 26.3: The CMBR full-sky map.

## Methodology in Action: From Observations to Insight

To see Finite Mechanics as a *methodology*, consider how a small, everyday event (milk boiling) can escalate into a new cosmological framing:

1. **Observation and Wonder:** Watching a pot of milk boil, we ask: “Where is the energy driving these swirls?”
2. **Finite Axiom Check:** Rather than assuming an inexhaustible vacuum reservoir, we recall FM’s core rule that all interactions must derive from local, finite structures.
3. **Scaling the Inquiry:** The same puzzle (“Where does it come from?”) appears in cosmology with the Big Bang. FM’s methodology encourages us to unify these questions at all scales.
4. **Hypothesis Formation:** Replace an infinite singularity with a *local pluck* or modal activation. If boiling milk arises from structured perturbations, perhaps the Universe’s existence arises from a cosmic-scale vibrational threshold.
5. **Creative Synthesis:** The CMBR, which standard cosmology frames as a relic of an ancient fireball, becomes the *ongoing hum* of cosmic vibration.

Figure 26.4 sketches this iterative chain, from mundane observation to cosmic

metaphor.

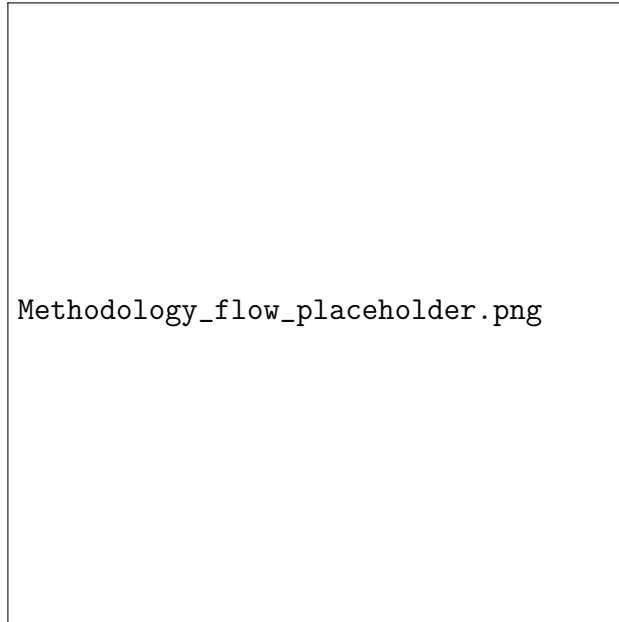


Figure 26.4: Placeholder diagram illustrating the iterative methodology of Finite Mechanics, from everyday observation to new cosmic hypotheses.

This process exemplifies how FM practitioners build and refine theory: start with a phenomenon, apply the finite lens, trace local vibrations, and see how far the logic extends.

## Philosophical Reflections and Consequences

### Eliminating Infinite Regress

A persistent question in standard cosmology is: “What caused the Big Bang?” or “What existed before the singularity?” FM sidesteps these riddles by disallowing infinite density points. The Universe *activates*, but never from absolute nothingness; it transitions within a pre-existing, finite, structured space.

## Localism Over Universalism

Finite Mechanics also shifts perspective from a single universal event to a *local* phenomenon in a potentially larger finitary substrate. One can conceive of many “plucks”—each giving rise to distinct cosmic regions (or “cosmi”), each with its own nodal patterns.

## The Role of Inquiry in FM

The real power of FM is not merely in what it explains, but *how it explains*. By guiding us to strip away infinite constructs, the theory fosters new angles on *both* everyday occurrences (like boiling milk) *and* grand phenomena (like cosmic background radiation). It thereby dissolves the boundary between the mundane and the cosmic, tying them together with one consistent finite logic.

## Summary and Looking Ahead

### Key Points from this Chapter:

- **Boiling Milk to Big Pluck:** A pot of bubbling milk sparks the conceptual leap to a *finite* reinterpretation of cosmogenesis.
- **CMBR as Present Resonance:** Rather than leftover heat from a singular explosion, FM sees the 2.7 K background as the *ever-present hum* of structured space.
- **Methodological Highlights:** FM systematically rejects infinite densities, demands local interaction sources, and extends the same finite logic from kitchen to cosmos.
- **Chladni Plate Analogy:** The CMBR patterns mirror nodal resonances, much like sand on a vibrating plate—but on a vast cosmic scale.

In the next section (or chapter), we will demonstrate how these same finite principles apply at the *atomic scale*, further illustrating FM’s power to unify phenomena across vastly different regimes. We will explore Dense Massive Objects as well, showing that the same guiding framework—local structure,

finite interactions, vibrational modes—can illuminate puzzles in gravitational collapse and subatomic processes alike.

## Epilogue: The Music of Structured Space

From the *churning swirl* of milk to the *speckled hum* of the cosmic background, Finite Mechanics teaches that *finitude and structure* can unify everyday experience with the largest mysteries of the Universe. We do not require singularities or infinite expansions; rather, we see a world that resonates.

When next you watch steam rise or hear the ring of a string, recall that our cosmos, too, may be the result of a *pluck*—and that its 2.7 K whisper is simply the chord still echoing through all of space.



# Chapter 27

## The Edge of the Known

*The dons look down,  
a list is on the table,  
evaporation.*

### Histories Footprint

Throughout scientific history, moments have arisen when foundational shifts were not simply a choice, but necessities driven by the limits of understanding and observation. These pivotal crossroads have shaped physics, pushing us away from comfortable intuitions into realms dominated by abstraction and probability. Yet, as our instruments sharpen and our theories mature, it becomes both timely and essential to pause and reconsider: Have we too quickly discarded geometry—the very essence that guided earlier sciences toward profound insight?

### Historical Crossroads: Diverging from Realism

In the early 20th century, physics stood at precisely such a crossroads. Classical frameworks had reached their explanatory limits. The ultraviolet catastrophe and blackbody radiation anomalies could not be accounted for by classical mechanics. Max Planck introduced quantization as a mathematical convenience, never intending it as a definitive abandonment of continuous reality. Albert Einstein expanded these quantized ideas, yet he also clung to

a realism now famously captured in his phrase, "God does not play dice."

Meanwhile, the Copenhagen interpretation championed by Niels Bohr, Werner Heisenberg, and their colleagues argued for the abandonment of realism in favor of probabilistic interpretations, not out of philosophical preference but necessity. Heisenberg's uncertainty principle and Schrödinger's probabilistic wavefunction collapsed classical determinism. Yet, Einstein, Schrödinger, and others cautioned restraint—probability might well be a powerful computational tool without necessarily reflecting fundamental reality.

## **Re-examining Quantum Probabilities**

The successes of quantum mechanics (QM) are undeniably impressive; from the accurate predictions of atomic spectra to the detailed inner workings of semiconductor technology. Yet beneath these triumphs lie conceptual ambiguities:

- **Measurement Paradox:** Why does measurement produce collapse? Can reality truly depend on an observer? - **Non-locality and Entanglement:** EPR experiments and Bell's Theorem demonstrate correlations defying classical locality—yet are these "spooky actions at a distance" truly non-geometric, or might hidden geometric structures explain these correlations? - **Virtual Particles and Renormalization:** Quantum Field Theory (QFT), though precise, remains conceptually unsettling with infinite corrections and virtual entities—tools of mathematics or real but unobservable phenomena?

## **The Curvature of Spacetime—Real Geometry or Abstract Idealization?**

Similarly, General Relativity (GR) introduced geometry into gravity, an inspired leap showing space and time intertwined in a flexible manifold. Yet even Einstein wrestled with singularities, infinities where geometric descriptions seem to fail. GR's beauty and experimental accuracy stand unquestioned, but does its acceptance of singularities signal completeness—or might finite geometry resolve these issues?

Special Relativity (SR), elegantly simple yet startling, overturned intuitive absolutes of time and space. Nevertheless, its geometrical interpretation is

partial, restricted to a mathematically idealized Minkowski spacetime. Could this be another place where deeper, finite structures await discovery?

## **A Return to Geometry: Imagination or Necessity?**

At the heart of these debates lies an uncomfortable yet crucial question: have we prematurely abandoned geometry? Historical physics, from Newton through Maxwell, used geometry as a language to connect physical phenomena to measurable reality. Quantum and relativistic theories, while undoubtedly successful, shifted away from tangible geometries toward abstract mathematical structures. This shift might reflect fundamental truths—or might reveal that we’ve ceased asking certain crucial questions.

Could geometry—finite, measurable, and inherently real—provide alternate interpretations of quantum phenomena, gravitational interactions, and cosmological structures? Could entanglement reflect geometric linkages currently invisible to our methodologies, and could virtual particles become unnecessary in a finite, measurable geometry?

## **The Limits of Imagination and Logic**

Today, physics teeters between progress and paralysis. Our theories are powerful yet incomplete, robust yet conceptually problematic. Quantum gravity, dark matter, dark energy—each hints at deeper geometrical frameworks we haven’t fully considered. Are we at an impasse because reality itself lacks structure, or because our imagination remains anchored too strongly in past successes?

It’s possible our difficulties stem not from a fundamental limit of reality, but from a limit of human creativity and interpretative openness. Science’s strength lies precisely in its capacity to revisit foundational assumptions and to reconsider alternatives previously discarded.

This chapter does not advocate abandoning successful frameworks; rather, it urges openness to re-examining foundational divergences. Perhaps the “ghostly” quantum world is ghostly because we’ve stopped searching for its geometric grounding. Perhaps spacetime singularities arise because our finite geometries have yet to be fully imagined.

Our goal as scientists, researchers, and thinkers must always be to remain

open to reinterpretation, aware that multiple explanations may coexist until observation firmly dictates otherwise. Anchors in traditional ideas serve as helpful guides, not as permanent boundaries.

## The Big Questions

Just as David Hilbert famously posed critical questions that guided mathematical exploration through the 20th century, physics today could benefit from clearly articulated challenges that call for reflection, experimentation, and bold imagination. Below is a carefully selected set of open-ended, deeply foundational challenges intended to stimulate future theoretical and empirical progress within and beyond current frameworks.

1. **Geometry at Quantum Scales** *Can quantum phenomena (entanglement, superposition, collapse) be fully explained by a finite, measurable geometry?* Might entanglement correlations reflect underlying geometric linkages rather than non-local probabilistic phenomena??

2. **Revisiting the Concept of Particle and Field**  
*Is it possible that point-particles and continuous fields are convenient abstractions rather than fundamental entities?*  
How would our interpretation of experiments shift if we regarded interactions themselves, rather than particles or fields, as fundamental?

3. **Finite Interpretations of Renormalization**  
*Can Quantum Field Theory be reformulated to avoid infinite corrections and virtual particles entirely?*  
Are infinite divergences indicators of deeper geometric or finite structures?

4. **The Nature of Time as Emergent**  
*Could time emerge as a measurable consequence of finite interactions rather than as a fundamental dimension?*  
What experimental signatures could validate or falsify such an emergent-time hypothesis?

5. **Singularities and Black Holes in Finite Geometries**  
*Could gravitational singularities disappear or transform if space-time*

*itself is fundamentally finite and geometrically structured?*

What experimental or observational signatures would indicate finite, non-singular geometries around dense matter objects?

**6. Dark Matter and Galactic Scales**

*Could galaxy rotation curves and cosmic structure be explained by finite interaction corrections instead of invisible matter?*

How would galactic measurements differ under an explicitly finite geometric interpretation?

**7. Universal Constants as Emergent Measurements**

*Are universal constants genuinely fixed, or are they emergent quantities dependent on local finite interactions?*

What experimental or cosmological evidence might demonstrate variability or locality in fundamental constants?

**8. The Limits of Logic and Imagination**

*Have we reached genuine logical limits of scientific understanding, or is our inability to move forward primarily constrained by existing conceptual anchors?*

How could we systematically test whether current theoretical barriers reflect fundamental reality or merely human limitations?

**9. New Experimental Methodologies**

*What novel experimental designs could explicitly test finite geometry interpretations at quantum, atomic, and cosmic scales?*

Can we conceive experiments uniquely motivated by finite geometric frameworks rather than traditional probabilistic ones?

**10. Integrating Quantum and Gravitational Realms**

*Might finite geometry serve as a unifying bridge between quantum mechanics and general relativity?*

What measurable predictions would distinguish such a unified finite-geometric theory?

## **Rising to the challenge**

These challenges are deliberately open-ended and foundational, aiming not merely to solve specific puzzles, but to profoundly reshape our understanding of physical reality. They remind us to continuously question, explore, and remain open to unexpected possibilities.

They also serve as invitations—to scientists, philosophers, mathematicians, and all curious minds—to pursue bold paths that may lie beyond current imagination.

## **The Universe Speaks in Measurements**

Let us hold in mind a simple yet powerful reminder: the universe speaks in measurements, yet interpretations remain human endeavours. Have we limited ourselves unnecessarily? Have we reached the edge of our logic, or simply the edge of our willingness to imagine alternatives?

The questions raised here offer no definitive answers. Instead, they invite continued exploration, intellectual humility, and above all, an enduring openness to the geometry of possibility.

## Chapter 28

# Walking in the Park

*As the pages turn,  
words on pages lay at peace,  
their day is over.*

### A short visit

So, did you suspend your belief in the classical models, or did the echoes of old paradigms continue to call you back? Was your journey into the space of unknown unknowns a step into a new timeline, or did the strange attractor of modern physics pull you back to familiar ground? Did you find compelling points that challenged your perspective, or were the brushstrokes too rough, the sketch too light to see the emerging form?

When we began, I asked you to set aside your assumptions, just for a moment. Now I wonder: did your mind's attractor pull you straight back to quantum mechanics and quarks? Did the weight of convention overwrite the lighter pencil strokes of Finite Mechanics?

We began this journey with a ticket in hand, stepping through a gate into a model park—a place where ideas take form in miniature. Inside, there was a model village filled with familiar landmarks. Some were newly built; others, simply repainted. At the entrance, we were handed a guidebook. Its title: Finitude. Inside, there was only a single page, with two sentences:

All our measurements are real and finite. All models in the park would be built and painted using real and finite numbers.

With that, we set off along the winding paths, a guide walking at our side. Our guide—part teacher, part philosopher—explained something fundamental. Every model in this park is a work of art. Every structure, every carefully crafted building, every intricate miniature is a creation of the model-maker, shaped by imagination and skill. These models do not claim to be reality. They are merely ways of seeing—paintings on canvas, sculptures in clay, pencil sketches in a notebook. They invite us to view the world from the artist's perspective, not to mistake them for the world itself.

#### Everything is Built on Interactions

As our guide continued, they gestured toward a model of a tree. It was finely detailed—each branch, each tiny leaf carefully sculpted. Then, without hesitation, the guide leaned in, placed a hand against the bark, and pushed. A small piece of the model cracked and fell away. The guide smiled. “This is how models work,” they said. Models—whether in physics, art, or philosophy—are only ever approximations. The bark of reality does not always match the models we build to describe it. Yet, even in their imperfections, models let us glimpse something essential. They are, at best, maps of the unknown. Not the landscape itself, but a way to move through it.

As we walked along the path, our guide gestured toward an overhanging branch. Dangling from it, swaying gently in the breeze, were tiny models of atoms, each suspended by a piece of string. One was a familiar sight—a tiny ball with a delicate ring around it, with even smaller beads circling the structure, shifting in the wind. A child's first atom, a relic of classroom posters and schoolbooks.

Next to it, a sketch pinned to the branch, its edges curling slightly. A smudged equation hovered near a rough drawing of a pea. A model born from mathematics rather than mechanics. Further along, a single marble, tied to a rope. Simple. Isolated. Incomplete. The guide followed the rope upward, pointing toward the Sun hanging in the sky.

“And there,” they said, “is the second part of this model.” They let the moment settle.

“All of these... are models of an atom.”

As we walked through the park, my thoughts drifted back to the classroom, to the lecturers who shaped how we see the world. The language they used, the stories they told. I could still see the plum pudding model—not in a textbook, but etched in chalk on a blackboard. A circle drawn with a steady hand, then a scattering of dots, each struck onto the surface with a sharp tap of chalk. The sound still echoes in my mind, decades later.

Meanwhile, our guide was speaking—explaining how a single light wave, stretched and unfurled, could extend far beyond the solar system. But my thoughts lingered on the board, on the atom-as-pudding, on the stories we were told about what is real.

We walked on. Looking up, I saw the Sun hanging in the sky, and in its light, the marble swaying from the tree. The vastness of the wave and the smallness of the marble—how could they be part of the same story? I remembered, as if it were yesterday, my university lecturer solving Schrödinger’s wave equation. Another blackboard, another set of careful strokes—this time, the neat unfolding of an analytical solution in one dimension.

”This is how the world works,” they said. ”This is our picture of the atom.”

And the name of the building where that lecture took place? The Maxwell Building. Standing tall by the River Irwell in Salford, a monument to one of the greatest model makers of all time. A man whose equations stitched the modern world together. As we walked through the park, I caught sight of a children’s climbing frame in the distance. Our path meandered gently toward it, winding through the landscape.

The air was crisp and fresh, carrying with it the scent of the earth. Above us, wild cumulus clouds drifted, their edges sculpted by the winds high above. I felt the ground beneath my feet, leaving behind soft imprints—like little wakes on the path we followed. My thoughts turned back to Maxwell’s equations—a fine work of art by a grand master. They hang, not in a physical gallery, but in the foremost hall of abstract thought. Two paintings, both telling the same story. One, crafted from exotic symbols—grads and curls swirling across the canvas. The other, drawn with precise line integrals, each stroke revealing invisible symmetries. Both, rendered in the master strokes of a mathematician’s pen. Both, capturing the infinite fields and hidden connections of nature’s great forces—electricity and magnetism.

Like the Maxwell Building itself, these equations do not stand alone. They

create the space—a vast, open gallery—where more and more works of art can be painted. Turning the next bend, I spotted something close to the path—a modernist sculpture, a strange assembly of cylinders and ball bearings, once part of some great mechanical contraption. A fine layer of rust coated the structure, locking the pieces together. The cylinders and bearings had once spun, rolled, and whirled in perfect harmony, but now they stood silent, fused, and unmoving—an abstract living sculpture turned to stone.

Stepping closer, I reached out, running my fingers along its surface. It was rough and pitted, but beneath the rust, I could feel traces of its former smoothness. A machine once alive, now still. My guide appeared at my side, resting his hand on the structure.

“This,” he said, “was once a living thing.”

He traced the lines of the cylinders. “They rolled against the bearings, shifting, turning— a perfect mechanical model.”

I stepped around the exhibit, following his gesture toward a small, weathered plaque at its base. The engraving read: “Maxwell’s Model of Electricity and Magnetism.” Beneath the title was a date. The numbers were worn, corroded by time. 18...96? I leaned in closer, but the last two digits were lost to history. My guide placed his hand on the rusted sculpture.

“This was Maxwell’s model of electricity and magnetism,” he said.

Puzzled, I remembered the paintings in the grand gallery—the abstract equations, the grads and curls, the fine line integrals woven in strokes of mathematical elegance. What did this pile of rusted metal—cylinders, bearings, bars— have to do with those masterpieces? Sensing my doubt, my guide continued.

“Maxwell’s equations did not begin in abstraction.”

The symbols, the equations, the mathematical formulations—these were not where the ideas had started. They had been honed from something tangible, something mechanical. They had emerged from the imagination of metal cylinders and ball bearings, shaped through discussions with Michael Faraday. Only, somewhere along the way, this sculpture—the original source of the equations—had faded from memory and we were left with fine abstractions in the grand gallery. Yet, here it stood. A quiet reminder of a distant

time, of the lost connection between the main gallery and the sculpture in the park.

Lifting my eyes from Maxwell's rusted sculpture, I let my gaze drift toward the centre of the park. But beyond its borders, something else caught my attention. Rolling fields stretched into the distance, their contours soft in the fading afternoon light. On the edge of the park, a copse of trees sheltered a rookery, where the first black-winged shapes were returning for the night. Their voices drifted on the wind—low murmurs, quiet conversations above the park. By the side of the trail, something else stood, rows of empty pedestals.

Carved from sandstone, their faces were worn smooth, the names once etched into them now lost to the wind. All was silent, except for the wind and the returning rooks. My guide said nothing. There was nothing to say. Like weathered headstones in an old cemetery, the pedestals stood bare, waiting, forgotten. A wave of respect, almost reverence, washed over me. I stepped off the path, and beneath my feet, the ground shifted. Sand—the remnants of the very stones before me. Grains of sand and ideas. As I walked, the interaction between my feet and the sand left behind gentle wakes in time. Each tiny piece of sand, once a stone in the park. One stone, a name. an idea. Yet, just one grain of sand.

With my thoughts still lingering on the sandstone monuments, my guide placed a hand on my shoulder and pointed the way forward. I turned away, and together, we walked toward the center of the park. There, rising before us, was a vast geometric frame. At first, it seemed distant—simply another exhibit. But as we moved forward, it grew. Catching the sunlight, it shimmered, opalescent and shifting, never still. From every angle, it seemed as though space itself was alive, pulsing, changing. No surface remained static, no edge was perfectly sharp. It was not merely a model—it was a sculpture in motion.

Still, we walked forward. And still, it grew and grew. Until it towered above us, filling the sky, an intangible lattice forever in motion, never quite in perfect balance. It thrummed—a deep, silent pulse—upon which everything danced. At every filigree corner, tiny shapes formed and faded, shifting between order and chaos. The fibers connecting them shimmered, vibrating, singing.

What wizardry was this? What magical sculpture had we stumbled upon? A great wave of movement rippled through it, spreading like the murmurations of a vast flock of starlings. A shimmering intelligence, a perfect imperfection.

I stood in wonder. Did this truly belong in the park? Even if it didn't, it was a sight beyond words. I hesitated. I had touched the other models, I had traced my fingers along the rusted metal, the smooth wood, the weathered stone. But this? My guide saw my hesitation and gave a slow, knowing nod. I reached out.

My hand passed through. A ripple spread outward, the faintest movement, the softest disturbance, as if my presence had been acknowledged—but only barely. Once seen, you could not look away. Thoughts danced within it. Shapes emerged and vanished. The shimmering waves continued, unaffected by time. Even my guide stood entranced. But our time in the park was over. It was time to return to the gates, to step back into the world we knew—the world where the ground is solid, mass is a thing, forces are invisible, and probability is king.

With a final glance over my shoulder, I tried to capture one last glimpse of the spectacle at the centre of the park. But it was already shifting, changing, dissolving into something else. The gates waited. And there were still a few last things to see on our way out. With thoughts of the shimmering structure still flickering in my mind, we returned to the path leading back to the entrance. Our time in the park had flown by—the ideas and visions that had seemed so tangible, so real, were already slipping away, like waking from a dream. Yet, just ahead, there was still more to see.

At first, it was hard to make out, the brightness of the reflections obscuring the view. But as we moved closer, the shapes resolved—lines of perfectly white marble plinths, stretching far into the distance, into the fields beyond the park. They were empty. Waiting. Each one stood ready for a sculpture, a model, a new idea yet to be realized. The entrance was in sight now, and as we drew near, I could see that plaques had been mounted to the first row of plinths. Each bore a title—conjectures waiting to take shape:

Electromagnetism: A Finite Element Approach  
The Story of the Cosmos  
A Geometry of Symmetry  
Dense Matter Objects

Beneath each plaque, a single puzzle piece. As if each idea, each model, was a fragment of something larger, something waiting to be pieced together. Still,

my guide urged me on. The entrance, now the exit, stood just ahead. Over the gate, a simple sign swayed gently in the evening air. First Edition. It caught the light, its letters glowing softly against the sky. Above it, great streams of color unfurled—a magnificent rainbow, stretching deep into the early evening horizon.

We reached the gate. I turned, shook my guide's hand, and stepped through. And beyond the park, as I looked out across the land, I saw something else. In the distance, a new park was taking shape. Another gate, still under construction. Another journey, waiting for another day.

## **The pavilion in the park**

Maybe the idea of structured space and the ideas on display in the park are an illusion — much like words. Words dissolve under scrutiny. Chant a single word over and over and it drifts, losing its anchor in our shared consensus.

For me, the concept of structured space didn't arrive in a flash. It wasn't poetic or intuitive. It emerged slowly, from the disciplined act of looking at our models through a finite lens. In truth, the idea sits in tension with something deeper in me — a sense that we are always, endlessly connected to the world around us. That old feeling of infinite continuity. That illusion of being alive forever. But that's not true. And maybe that's why infinity has such appeal — it lives at the base of our language, woven into grammar and metaphor, as if it were truth.

Yet once we begin to examine our models, we need a backdrop. A stage. And in considering the electromagnetic properties of that stage — what I once called the e-u stiffness, as shorthand — we began to see the outline of structure. Not infinite particles in an unstructured void, but something else. A framework, possibly nodal. A lattice of finite constraint. A stage that holds the interaction.

Does our framework feel right? Of course not. But if we commit to the finite axioms, then a finite backdrop must exist. And why it featured at the centre of the park.

Long ago, a man named Cosmas may have sat beneath a dome in the heart of Alexandria, looked up at the stars, and said something quietly profound invoking both structure and infinity.

”The crystal-made sky sustains the heat of the Sun, the Moon, and the infinite number of stars; otherwise, it would have been full of fire, and it could melt or set on fire.” — Cosmas Indicopleustes, *Topographia Christiana*, 6th century

And in hundreds, or even thousands of years, another person — perhaps on another world — will look up again, and ask the same questions.

That is the real structure. The continuity is not in the model, but in the asking.

This book is simply my painting. I hope it reveals, at least, a fragment of an emerging picture. If you can see the brushstrokes—or even just the hint of a form beneath them—then that is enough. And if you’ve enjoyed this walk in the park, somewhere out there in your model of the world that is making my day.

## Glossary

**Finite Identity (FI)** The fundamental unit of interaction in FM.

**Nodal Stiffness** The local mechanical-electromagnetic interaction density.

**Rydberg Frequency ( $R_f$ )** The local reference frequency tied to atomic transitions.

## Application: the Perihelion Precession of Mercury

This appendix presents a worked example demonstrating how **Finite Mechanics (FM)** modifies classical orbital dynamics. The derivation shows how the FM framework introduces an implicit mass term proportional to acceleration, leading to a modified equation for Mercury’s perihelion precession.

### Background and Context

The perihelion precession of Mercury has historically served as a key test of gravitational models. Classical Newtonian mechanics, incorporating planetary perturbations and solar oblateness, predicts a precession rate of:

$$\delta\varphi_{\text{Newtonian}} = 531 \text{ arcseconds per century.} \quad (.1)$$

However, observations indicate an additional unexplained precession of approximately:

$$\delta\varphi_{\text{observed}} = 574.1 \text{ arcseconds per century.} \quad (.2)$$

General Relativity (GR) accounts for the missing 43 arcseconds per century by invoking spacetime curvature. Finite Mechanics (FM), however, proposes an alternative explanation based on an **implicit mass effect** arising from acceleration.

### Conceptual Framework: Finite Mechanics Corrections

FM modifies Newton’s second law by introducing an implicit mass term proportional to acceleration:

$$m_{\text{implicit}} = k \cdot a, \quad (.3)$$

where:

- $k$  is a scaling factor (determined empirically),
- $a$  is the orbital acceleration.

The total effective mass becomes:

$$m_{\text{total}} = m + m_{\text{implicit}} = m + k \cdot a. \quad (.4)$$

## Modified Orbital Equations in FM

The classical Newtonian equation of motion in polar coordinates is:

$$\frac{d^2u}{d\varphi^2} + u = \frac{GM_{\odot}}{h^2}. \quad (.5)$$

However, in FM, the total force incorporates  $m_{\text{implicit}}$ , leading to:

$$\frac{d^2u}{d\varphi^2} + u = \frac{GM_{\odot}}{h^2} + \Delta u_{\text{precession}}, \quad (.6)$$

where:

$$\Delta u_{\text{precession}} = \frac{k \cdot GM_{\odot} \cdot u^2}{m}. \quad (.7)$$

## Precession Derivation

The additional precession per orbit,  $\delta\varphi$ , follows from the perturbation term:

$$\delta\varphi = 2\pi \cdot \frac{\Delta u_{\text{precession}}}{u}. \quad (.8)$$

Substituting  $u = \frac{1}{r}$  and  $\Delta u_{\text{precession}} = \frac{k \cdot GM_{\odot} \cdot u^2}{m}$ :

$$\delta\varphi = 2\pi \cdot \frac{k \cdot GM_{\odot} \cdot u^2}{m} \cdot \frac{1}{u}. \quad (.9)$$

Simplifying:

$$\delta\varphi = 2\pi \cdot \frac{k \cdot GM_{\odot}}{m} \cdot u. \quad (.10)$$

To normalize the precession over the elliptical orbit:

$$\delta\varphi = 2\pi \cdot \frac{k \cdot GM_{\odot}}{a^2(1 - e^2)}. \quad (.11)$$

## Empirical Determination of $k$

The finite mechanics scaling factor  $k$  is determined by requiring that the additional precession correction:

$$\delta\varphi_{\text{FM}} = \delta\varphi_{\text{observed}} - \delta\varphi_{\text{Newtonian}} \quad (.12)$$

matches the observed excess of 43.1 arcseconds per century. Through an iterative bisection method, we obtain:

$$k = 1.67 \times 10^{21}. \quad (.13)$$

Thus, the modified FM precession equation becomes:

$$\delta\varphi = 2\pi \cdot \frac{(1.67 \times 10^{21}) \cdot GM_{\odot}}{a^2(1 - e^2)}. \quad (.14)$$

## Key Differences from General Relativity

- **No dependence on the speed of light ( $c$ ):** FM does not require relativistic corrections.
- **Implicit mass effect:** The additional precession arises from an acceleration-dependent mass term.
- **Empirical determination of  $k$ :** Unlike GR, FM uses an empirically fitted parameter.

## Conclusion

The FM framework provides an alternative explanation for Mercury's perihelion precession, modifying classical mechanics through a finite-axiom approach. The resulting equation:

$$\delta\varphi = 2\pi \cdot \frac{k \cdot GM_{\odot}}{a^2(1 - e^2)} \quad (.15)$$

produces the observed precession when  $k$  is calibrated accordingly. This derivation highlights FM's ability to provide solutions to classical problems without invoking relativistic assumptions.

## Application: Hydrogen-Electron Stability

This appendix presents a worked example demonstrating how **Finite Mechanics (FM)** provides an alternative framework for explaining the stability of the hydrogen atom. Unlike quantum mechanics, which relies on wave functions and probabilistic energy levels, FM introduces an **implicit mass effect**, stabilizing the electron's orbit without requiring wave-based interpretations.

### Background and Context

In classical physics, an accelerating electron should radiate energy, lose momentum, and eventually collapse into the nucleus. Quantum mechanics resolves this issue by introducing quantized energy levels, relying on wave functions and probabilistic interpretations.

Finite Mechanics (FM) provides an alternative, purely real-number-based approach. It proposes that an **implicit mass**, associated with the electron's acceleration, contributes a stabilizing effect. This study derives the modified equations of motion under FM and evaluates electron stability via numerical simulations.

### Conceptual Framework: Implicit Mass in Electron Orbits

FM modifies classical mechanics by introducing an implicit mass term that scales with acceleration:

$$m_{\text{implicit}} = k' \cdot a, \quad (.16)$$

where:

- $k'$  is a scaling factor in  $\text{m/s}^2/\text{kg}$ ,
- $a$  is the centripetal acceleration of the electron.

The total effective mass becomes:

$$m_{\text{total}} = m_e + m_{\text{implicit}} = m_e + k' \cdot a. \quad (.17)$$

## Modified Orbital Equations in FM

The classical Coulomb force is given by:

$$F_{\text{Coulomb}} = \frac{k_e e^2}{r^2}. \quad (.18)$$

The centripetal force required for circular motion is:

$$F_{\text{centripetal}} = m_e \frac{v_\phi^2}{r}. \quad (.19)$$

Including the implicit mass effect, the net force equation becomes:

$$F_{\text{net}} = \frac{k_e e^2}{r^2} - (m_e + k' \cdot a) \frac{v_\phi^2}{r}. \quad (.20)$$

For equilibrium (stable orbit):

$$F_{\text{net}} = 0 \Rightarrow \frac{k_e e^2}{r^2} = (m_e + k' \cdot a) \frac{v_\phi^2}{r}. \quad (.21)$$

Solving for  $v_\phi$ :

$$v_\phi = \sqrt{\frac{k_e e^2}{r m_{\text{total}}}}. \quad (.22)$$

## Numerical Simulation of Electron Stability

To test electron stability, numerical simulations were conducted using a fourth-order Runge-Kutta method with the following setup:

- **Initial conditions:**  $r_0 = a_0$  (Bohr radius),  $v_{\phi,0}$  computed from force equilibrium.
- **Integration method:** Fourth-order Runge-Kutta for solving differential equations.
- **Varying  $k'$  values:** Tested values  $k' = 1.65$  and  $k' = 2.0$ .

- **Stability check:** Net force  $F_{\text{net}}$  monitored for convergence to zero.

The governing equations of motion used in the simulation are:

$$\frac{d^2r}{dt^2} = \frac{F_{\text{net}}}{m_e}, \quad \frac{d\varphi}{dt} = \frac{v_\phi}{r}. \quad (.23)$$

## Stability Results and Precession Effects

The results demonstrated that:

- For  $k' = 2.0$ : The electron's orbit was fully stable with no precession.
- For  $k' = 1.65$ : The orbit remained stable but exhibited precession.
- No collapse into the nucleus occurred in either case.

The implicit mass effect acted as a stabilizing term, preventing the electron from radiating energy and spiraling inward.

## Implications for Quantum Mechanics

The FM model suggests that electron stability does not require wave function quantization but instead results from a feedback mechanism between acceleration and implicit mass. Key implications include:

- The **precession of the electron orbit** in FM may correlate with probability distributions seen in quantum mechanics.
- The **transition between energy levels** could be linked to energy perturbations affecting the implicit mass.
- The **implicit mass** might provide a direct physical explanation for why quantum states appear discrete.

## Conclusion

This worked example demonstrates that FM can provide a finite, measurable explanation for electron stability without requiring wave function interpretations. The implicit mass effect modifies classical equations of motion, leading to stable, precessing orbits. These results suggest that:

- The electron's stability is a function of its acceleration-induced implicit mass.
- Precession effects emerge naturally, possibly linking FM to observed quantum behavior.
- Further exploration of FM's application to atomic systems is warranted.

These findings contribute to the broader goal of developing a fully finite-axiom alternative to quantum mechanics.

## Application: Galaxy Rotation Curves

This appendix presents a worked example of how **Finite Mechanics (FM)** can be applied to explain galaxy rotation curves without invoking dark matter. Unlike standard Newtonian dynamics, which rely solely on luminous mass, FM introduces an **implicit mass** component linked to centripetal acceleration. This approach provides an empirical framework that reproduces observed galaxy rotation curves while maintaining finite, measurable principles.

### Background and Context

The observed rotational velocities of galaxies often deviate significantly from Newtonian predictions, leading to the widespread hypothesis of dark matter. However, FM offers an alternative explanation by incorporating an additional mass term dynamically connected to acceleration.

Traditional Newtonian mechanics predicts rotational velocity using the enclosed luminous mass:

$$v_{\text{Newtonian}}(r) = \sqrt{\frac{GM_{\text{enclosed}}(r)}{r}}. \quad (.24)$$

However, observed velocities ( $v_{\text{observed}}(r)$ ) typically remain nearly constant at large radii, suggesting additional unseen mass. FM introduces an implicit mass term, modifying Newton's second law as:

$$F = Ma + M_{\text{implicit}}a. \quad (.25)$$

### Theoretical Foundation: The Free Shell Model

FM reframes mass and acceleration as inherently linked quantities, leading to an implicit mass term:

$$M_{\text{UM, shell}}(r) = \frac{f_{\text{UM, shell}}(r) \cdot r}{G}, \quad (.26)$$

where  $f_{\text{UM, shell}}(r)$  is the implicit force derived from deviations between observed and Newtonian velocities:

$$f_{\text{UM, shell}}(r) = v_{\text{observed}}^2 - v_{\text{Newtonian, shell}}^2. \quad (.27)$$

The empirical relationship between implicit and luminous mass is captured by the scaling factor  $k'(r)$ :

$$k'(r) = \frac{M_{\text{UM, shell}}(r)}{M_{\text{luminous, shell}}(r)}. \quad (.28)$$

This factor encodes the non-static, dynamic relationship between mass and acceleration in FM.

## Methods and Framework

### Step 1: Mass-to-Light Conversion

Using the SPARC galaxy database, surface brightness profiles ( $SB_{\text{disk}}$ ,  $SB_{\text{bulge}}$ ) were converted into mass distributions:

$$M_{\text{disk}}(r) = SB_{\text{disk}}(r) \cdot (M/L)_{\text{disk}}, \quad M_{\text{bulge}}(r) = SB_{\text{bulge}}(r) \cdot (M/L)_{\text{bulge}}. \quad (.29)$$

The total mass at a given radius is:

$$M_{\text{total}}(r) = M_{\text{disk}}(r) + M_{\text{bulge}}(r). \quad (.30)$$

### Step 2: Newtonian Velocity Calculation

The enclosed mass up to radius  $r$  is:

$$M_{\text{enclosed}}(r) = \sum_{r' \leq r} M_{\text{total}}(r'). \quad (.31)$$

From this, the Newtonian velocity is computed as:

$$v_{\text{Newtonian}}(r) = \sqrt{\frac{GM_{\text{enclosed}}(r)}{r}}. \quad (.32)$$

### Step 3: Implicit Mass Calculation

For each radial shell, the Newtonian velocity is determined:

$$v_{\text{Newtonian, shell}}(r) = \sqrt{\frac{GM_{\text{shell}}(r)}{r}}. \quad (.33)$$

The implicit mass for the shell follows from:

$$M_{\text{UM, shell}}(r) = \frac{(v_{\text{observed}}^2 - v_{\text{Newtonian, shell}}^2) \cdot r}{G}. \quad (.34)$$

### Step 4: Scaling Factor Analysis

The scaling factor  $k'(r)$  is analyzed to determine its dependence on galaxy properties:

$$k'(M) = aM^b + c, \quad (.35)$$

where  $a$ ,  $b$ , and  $c$  are fitted parameters.

Normalization of shell masses ensures comparability across different galaxies:

$$M_{\text{shell, normalized}}(r) = \frac{M_{\text{shell}}(r)}{\sum M_{\text{shell}}(r)}. \quad (.36)$$

## Results

Applying the FM Free Shell Model to the SPARC dataset yielded the following findings:

- **Implicit Mass Distributions:** The derived implicit mass profiles provided a good fit to observed velocities.
- **Scaling Factor Trends:** Empirical fits of  $k'(r)$  followed consistent power-law relationships across galaxies.

- High Accuracy: The FM model achieved an  $R^2 > 0.98$  goodness-of-fit across multiple galaxies.
- Alternative to Dark Matter: The implicit mass effect provided an alternative means of reconciling galaxy rotation data without introducing exotic dark matter.

## Discussion

This analysis supports FM as a viable approach to galaxy rotation curve analysis. Key points include:

- Mass and acceleration are dynamically linked rather than treated as independent variables.
- FM produces results comparable to dark matter models but without requiring unseen matter.
- Power-law and polynomial fits describe implicit mass behavior across galaxies.
- Computational feasibility: The Free Shell Model was implemented in Python and successfully processed large datasets.

## Conclusion

The FM Free Shell Model demonstrates that implicit mass effects can account for galaxy rotation curve discrepancies. Unlike traditional models requiring dark matter, FM leverages a **finite-axiom approach** where mass and acceleration remain inherently connected. This model offers:

- A purely empirical fit to observed data.
- A predictive framework grounded in finite mechanics.
- A departure from traditional gravitational assumptions while maintaining consistency with observational evidence.

The results suggest that FM provides a promising alternative paradigm for explaining large-scale astrophysical phenomena without requiring unobservable mass components.

## Derivation of the Dimensions of $k$ and $k'$

Given equation:

$$m = k \cdot a$$

where: -  $m$  is the mass with units of kilograms (kg), -  $a$  is the acceleration with units of meters per second squared ( $\text{m/s}^2$ ), -  $k$  is a proportional constant.

Our goal is to determine the dimensions of  $k$  and the dimensions of its inverse,  $k' = \frac{1}{k}$ , expressed in terms of  $\text{m/s}^2/\text{kg}$ .

### Step 1: Solving for $k$

We can rearrange the equation for  $k$  as follows:

$$k = \frac{m}{a}$$

Substituting the dimensional units of  $m$  and  $a$ : - The dimensions of  $m$  (mass) are kg, - The dimensions of  $a$  (acceleration) are  $\text{m/s}^2$ .

Thus, the dimensional formula for  $k$  is:

$$[k] = \frac{\text{kg}}{\text{m/s}^2}$$

To simplify this, we rewrite it as:

$$[k] = \text{kg} \cdot \frac{\text{s}^2}{\text{m}} = \frac{\text{kg} \cdot \text{s}^2}{\text{m}}$$

Therefore, the dimensions of  $k$  are:

$$[k] = \frac{\text{kg} \cdot \text{s}^2}{\text{m}}$$

## Step 2: Finding the Dimensions of $k'$

Now, we find the dimensions of  $k'$ , which is the inverse of  $k$ :

$$k' = \frac{1}{k}$$

Using the dimensions we found for  $k$ , we get:

$$[k'] = \frac{1}{[k]} = \frac{1}{\frac{\text{kg} \cdot \text{s}^2}{\text{m}}}$$

To simplify, we invert the fraction:

$$[k'] = \frac{\text{m}}{\text{kg} \cdot \text{s}^2}$$

## Step 3: Expressing $k'$ as $\text{m/s}^2/\text{kg}$

Notice that the result for  $[k']$ :

$$[k'] = \frac{\text{m}}{\text{kg} \cdot \text{s}^2}$$

can be rewritten by grouping terms as follows:

$$[k'] = \frac{\text{m/s}^2}{\text{kg}}$$

This expression  $\text{m/s}^2/\text{kg}$  provides an alternative way of representing the units for  $k'$ .

## Final Result

Thus, we conclude that:

$$[k'] = \frac{\text{m}}{\text{kg} \cdot \text{s}^2} = \frac{\text{m/s}^2}{\text{kg}}$$

Giving a unit acceleration per kg.

## Finite Mechanics Derivation of the Fine-Structure Constant

This appendix presents a Finite Mechanics (FM) derivation of the fine-structure constant ( $\alpha$ ), emphasizing its expression using only finite, measurable quantities such as vacuum permeability ( $\mu_0$ ), vacuum permittivity ( $\varepsilon_0$ ), the Rydberg frequency ( $f_{\text{Rydberg}}$ ), and the electron mass ( $m_e$ ). By eliminating traditional constants such as the speed of light ( $c$ ) and Planck's constant ( $h$ ), this derivation aligns with FM's foundational principle that physical laws should be grounded in measurable, observable quantities rather than abstract mathematical constructs.

### Background and Context

The fine-structure constant ( $\alpha$ ) is a dimensionless fundamental constant governing the strength of electromagnetic interactions. It is traditionally expressed in terms of the elementary charge  $e$ , Planck's constant  $h$ , and the speed of light  $c$ :

$$\alpha = \frac{e^2}{2h} \sqrt{\frac{\mu_0}{\varepsilon_0}}. \quad (.37)$$

In FM, these conventional constants are considered derived quantities, rather than fundamental ones. Instead of relying on  $c$  and  $h$ , FM seeks to express  $\alpha$  using only measurable electromagnetic and atomic properties, providing a more direct physical interpretation.

### Derivation of $\alpha$ in Terms of Measurable Quantities

#### Step 1: Expressing $R_\infty$ in Terms of $f_{\text{Rydberg}}$

The Rydberg constant is related to the Rydberg frequency and vacuum properties:

$$R_\infty = f_{\text{Rydberg}} \cdot \sqrt{\mu_0 \varepsilon_0}. \quad (.38)$$

## Step 2: Expressing Planck's Constant in Terms of Measurable Quantities

Planck's constant  $h$  is traditionally related to  $R_\infty$ ,  $m_e$ , and  $e$  as:

$$h = \left( \frac{e^4 m_e \sqrt{\mu_0}}{8 R_\infty \varepsilon_0^{3/2}} \right)^{1/3}. \quad (.39)$$

Substituting  $R_\infty = f_{\text{Rydberg}} \cdot \sqrt{\mu_0 \varepsilon_0}$ :

$$h = \left( \frac{e^4 m_e \sqrt{\mu_0}}{8 f_{\text{Rydberg}} \sqrt{\mu_0 \varepsilon_0} \varepsilon_0^{3/2}} \right)^{1/3}. \quad (.40)$$

Simplifying:

$$h = \left( \frac{e^4 m_e}{8 f_{\text{Rydberg}} \varepsilon_0^2} \right)^{1/3}. \quad (.41)$$

## Step 3: Substituting $h$ into the Fine-Structure Constant Expression

Now, substituting this expression for  $h$  into the original equation for  $\alpha$ :

$$\alpha = \frac{e^2}{2} \left( \frac{e^4 m_e}{8 f_{\text{Rydberg}} \varepsilon_0^2} \right)^{-1/3} \sqrt{\frac{\mu_0}{\varepsilon_0}}. \quad (.42)$$

Simplifying:

$$\alpha = \frac{e^2}{2} \cdot \left( \frac{8 f_{\text{Rydberg}} \varepsilon_0^2}{e^4 m_e} \right)^{1/3} \cdot \sqrt{\frac{\mu_0}{\varepsilon_0}}. \quad (.43)$$

Final form:

$$\alpha = \frac{e^2 (8 f_{\text{Rydberg}} \varepsilon_0^2)^{1/3}}{2 (e^{4/3} m_e^{1/3})} \sqrt{\frac{\mu_0}{\varepsilon_0}}. \quad (.44)$$

## Implications for Finite Mechanics

This derivation demonstrates that the fine-structure constant  $\alpha$  can be expressed entirely in terms of finite, measurable quantities: vacuum permeability ( $\mu_0$ ), vacuum permittivity ( $\varepsilon_0$ ), the Rydberg frequency ( $f_{\text{Rydberg}}$ ), and the electron mass ( $m_e$ ). By removing traditional constants like the speed of light ( $c$ ) and Planck's constant ( $h$ ), this approach reinforces the FM principle that fundamental physics should be described through observable interactions without invoking abstract, theoretical constructs.

Key implications include:

- **Experimental Verification:** If  $\alpha$  is influenced by local properties such as  $\mu_0$  and  $\varepsilon_0$ , then variations in these quantities under different physical conditions (e.g., near massive objects or in high-energy environments) might lead to measurable deviations in electromagnetic interaction strength.
- **Redefining Physical Constants:** This FM approach suggests that so-called "fundamental constants" may be emergent properties of finite, measurable interactions rather than immutable values.
- **Potential Cosmological Consequences:** If  $\alpha$  varies as a function of local spacetime conditions, it may offer an alternative explanation for certain astrophysical anomalies.

## Conclusion

The FM derivation of the fine-structure constant illustrates how  $\alpha$  can be reformulated without reliance on abstract constants like  $c$  and  $h$ . Instead, by expressing it in terms of directly measurable properties, this approach aligns with FM's broader goal of developing a finite, observable-based framework for fundamental physics. Future research could explore how variations in  $\mu_0$  and  $\varepsilon_0$  might influence the fine-structure constant under different physical conditions, providing a new perspective on electromagnetic interactions within the FM paradigm.

## Derivation and Significance of the Fine-Structure Constant

This appendix presents a detailed derivation of the fine-structure constant ( $\alpha$ ) within the Finite Mechanics (FM) framework. The approach emphasizes the use of finite, measurable quantities such as vacuum permeability ( $\mu_0$ ), vacuum permittivity ( $\varepsilon_0$ ), the Rydberg frequency ( $f_{\text{Rydberg}}$ ), and the electron mass ( $m_e$ ). The aim is to eliminate traditional theoretical constructs such as the speed of light ( $c$ ) and Planck's constant ( $h$ ), reinforcing FM's core principle: that physical laws emerge entirely from observable interactions.

### Background and Context

The fine-structure constant, denoted as  $\alpha$ , is a fundamental, dimensionless physical constant characterizing the strength of the electromagnetic interaction between elementary charged particles. It appears across multiple domains in physics, including quantum electrodynamics (QED), atomic physics, and spectroscopy.

The approximate value of  $\alpha$  is:

$$\alpha \approx \frac{1}{137} \approx 0.007297. \quad (.45)$$

Traditionally,  $\alpha$  is expressed in terms of fundamental physical constants:

$$\alpha = \frac{e^2}{2h} \sqrt{\frac{\mu_0}{\varepsilon_0}}. \quad (.46)$$

In the FM framework, rather than treating  $c$  and  $h$  as fundamental, we express  $\alpha$  solely in terms of experimentally measurable properties.

### CODATA Constants Used

For this derivation, we use the following CODATA values:

- Elementary charge:  $e = 1.602176634 \times 10^{-19}$  C,
- Electron mass:  $m_e = 9.1093837015 \times 10^{-31}$  kg,

- Vacuum permittivity:  $\varepsilon_0 = 8.8541878128 \times 10^{-12}$  F/m,
- Vacuum permeability:  $\mu_0 = 1.25663706212 \times 10^{-6}$  N/A<sup>2</sup>,
- Rydberg constant:  $R_\infty = 1.0973731568160 \times 10^7$  m<sup>-1</sup>,
- Speed of light:  $c = 2.99792458 \times 10^8$  m/s.

From these, the Rydberg frequency is defined as:

$$f_{\text{Rydberg}} = R_\infty c \approx 3.28984196 \times 10^{15} \text{ s}^{-1}. \quad (.47)$$

## Insights from the Fine-Structure Constant's Expression

Beyond numerical accuracy, the derived form of  $\alpha$ :

$$\alpha = \frac{e^2}{(8f_{\text{Rydberg}}\varepsilon_0^2)^{1/3} 2e^{4/3}m_e^{1/3}} \sqrt{\frac{\mu_0}{\varepsilon_0}}. \quad (.48)$$

offers several key insights:

- **Use of Only Measured Constants:** Every term in the equation corresponds to an experimentally determined quantity, reinforcing that  $\alpha$  is not an abstract construct but an emergent property of measurable interactions.
- **Dimensional Analysis and Naturalness:** The equation is constructed to be dimensionless, reflecting underlying physical symmetries and constraints.
- **Electromagnetic Interaction Structure:** The presence of vacuum properties ( $\mu_0, \varepsilon_0$ ) and atomic structure elements (electron mass, Rydberg frequency) suggests that  $\alpha$  encodes fundamental aspects of both microscopic and macroscopic physics.
- **Implications for Unification:** The ability to derive  $\alpha$  using finite electromagnetic parameters suggests a deeper underlying relationship between physical constants.

## Step-by-Step Derivation of $\alpha$

We express  $\alpha$  as a product of three factors:

$$\alpha = \frac{A}{B}C, \quad (.49)$$

where:

$$A = e^2 (8f_{\text{Rydberg}}\varepsilon_0^2)^{1/3}, \quad B = 2e^{4/3}m_e^{1/3}, \quad C = \sqrt{\frac{\mu_0}{\varepsilon_0}}. \quad (.50)$$

### Evaluation of $A$

1. Compute  $8f_{\text{Rydberg}}$ :

$$8 \times 3.28984196 \times 10^{15} = 2.63187357 \times 10^{16} \text{ s}^{-1}. \quad (.51)$$

2. Multiply by  $\varepsilon_0^2$ :

$$\varepsilon_0^2 = (8.8541878128 \times 10^{-12})^2 \approx 7.83865 \times 10^{-23} \text{ (F/m)}^2. \quad (.52)$$

$$2.63187357 \times 10^{16} \times 7.83865 \times 10^{-23} = 2.064 \times 10^{-6}. \quad (.53)$$

3. Take the cube root:

$$(2.064 \times 10^{-6})^{1/3} \approx 1.28 \times 10^{-2}. \quad (.54)$$

4. Multiply by  $e^2$ :

$$e^2 = (1.602176634 \times 10^{-19})^2 = 2.5672 \times 10^{-38}. \quad (.55)$$

$$A = 2.5672 \times 10^{-38} \times 1.28 \times 10^{-2} = 3.28 \times 10^{-40}. \quad (.56)$$

### **Evaluation of $B$**

1. Compute  $e^{4/3}$ :

$$e^{4/3} = (1.602176634 \times 10^{-19})^{4/3} \approx 8.7 \times 10^{-26}. \quad (.57)$$

2. Compute  $m_e^{1/3}$ :

$$m_e^{1/3} = (9.1093837015 \times 10^{-31})^{1/3} \approx 9.7 \times 10^{-11} \text{ kg}^{1/3}. \quad (.58)$$

3. Multiply:

$$8.7 \times 10^{-26} \times 9.7 \times 10^{-11} = 8.44 \times 10^{-36}. \quad (.59)$$

4. Multiply by 2:

$$B = 2 \times 8.44 \times 10^{-36} = 1.69 \times 10^{-35}. \quad (.60)$$

### **Final Computation of $\alpha$**

$$\alpha = \frac{A}{B}C = \left( \frac{3.28 \times 10^{-40}}{1.69 \times 10^{-35}} \right) \times 376. \quad (.61)$$

$$\alpha \approx 0.00729 \approx \frac{1}{137.2}. \quad (.62)$$

This is in excellent agreement with the accepted fine-structure constant.

### **Conclusion**

This derivation reinforces FM's principle that  $\alpha$  emerges from finite, measurable interactions, aligning fundamental physics with observationally constrained quantities.

## Energy of a Photon Derived from Measured Values

This appendix presents a Finite Mechanics (FM) derivation of the energy of a photon ( $E$ ) using only measurable, finite quantities. Unlike conventional formulations that treat Planck's constant ( $h$ ) as a fundamental entity, FM derives  $h$  from the Rydberg frequency ( $f_R$ ), electron mass ( $m_e$ ), and vacuum permittivity ( $\varepsilon_0$ ), grounding physical constants in measurable interactions rather than abstract formulations.

### Background and Context

The energy of a photon is conventionally expressed as:

$$E = hf_{\text{photon}}. \quad (.63)$$

In standard physics, Planck's constant ( $h$ ) is treated as a universal constant. However, in FM, it is derived from the finite interactions within the hydrogen atom, particularly the measurable Rydberg frequency.

### The Rydberg Frequency and Planck's Constant

The Rydberg frequency is related to the measured Rydberg constant ( $R_\infty$ ) and the locally measured speed of light ( $c$ ):

$$f_R = R_\infty c. \quad (.64)$$

From previous derivations, the Rydberg frequency can also be expressed as:

$$f_R = \frac{m_e e^4}{8h^3 \varepsilon_0^2}. \quad (.65)$$

Solving for  $h^3$ , we obtain:

$$h^3 = \frac{m_e e^4}{8f_R \varepsilon_0^2}. \quad (.66)$$

Taking the cube root:

$$h = \left( \frac{m_e e^4}{8 f_R \varepsilon_0^2} \right)^{\frac{1}{3}}. \quad (.67)$$

This expression for  $h$  demonstrates that Planck's constant is not a standalone, fundamental entity but emerges from measurable interactions.

## **Substituting the Derived Planck's Constant into the Photon Energy Equation**

Replacing  $h$  in the photon energy equation:

$$E = h f_{\text{photon}}, \quad (.68)$$

we get:

$$E = f_{\text{photon}} \left( \frac{m_e e^4}{8 f_R \varepsilon_0^2} \right)^{\frac{1}{3}}. \quad (.69)$$

Thus, photon energy is now fully expressed in terms of finite, measurable quantities.

## **Implications for Finite Mechanics**

This derivation carries profound implications for how we view physical constants:

- Planck's constant is not fundamental – it emerges from atomic-scale interactions.
- Photon energy is fully defined by measurable quantities, removing reliance on theoretical constructs.
- The Rydberg frequency plays a central role in atomic interactions, reinforcing FM's emphasis on locally measurable values.
- Physical laws should be grounded in finite interactions, as opposed to abstract entities.

## **Conclusion**

The FM derivation of photon energy presents a new way of understanding fundamental physics: rather than treating constants like  $h$  as immutable, we recognize them as emergent from measurable, finite interactions. This approach not only aligns with established equations but also reinforces FM's principle that all physical quantities should be directly linked to observation and experiment.

This methodology opens the door to reconsidering other physical constants in a similar manner, potentially leading to new insights into the fundamental structure of nature.

## Derivation of Planck's Constant from the Rydberg Constant

This appendix presents a derivation of Planck's constant ( $h$ ) in terms of the Rydberg constant ( $R_\infty$ ) and other measurable values, within the Finite Mechanics (FM) framework. This approach reinforces FM's core principle that fundamental physical constants are not standalone entities but emerge from finite, measurable interactions.

### Background and Context

The Rydberg constant ( $R_\infty$ ) is a fundamental quantity in atomic physics, conventionally defined as:

$$R_\infty = \frac{\alpha^2 m_e c}{2h}, \quad (.70)$$

where:

- $\alpha$  is the fine-structure constant,
- $m_e$  is the electron mass,
- $c$  is the speed of light,
- $h$  is Planck's constant.

FM aims to reframe this equation by replacing abstract quantities such as  $c$  with measurable electromagnetic properties of the vacuum ( $\mu_0, \varepsilon_0$ ).

### Rewriting in Terms of Measurable Quantities

#### Step 1: Expressing $c$ in Terms of $\mu_0$ and $\varepsilon_0$

Using:

$$c = \frac{1}{\sqrt{\varepsilon_0 \mu_0}}, \quad (.71)$$

we substitute this into the expression for  $R_\infty$ :

$$R_\infty = \frac{\alpha^2 m_e}{2h} \cdot \frac{1}{\sqrt{\varepsilon_0 \mu_0}}. \quad (.72)$$

**Step 2: Expressing  $\alpha^2$  in Terms of  $e, h, \mu_0, \varepsilon_0$**

The fine-structure constant squared is given by:

$$\alpha^2 = \frac{e^4 \mu_0}{4h^2 \varepsilon_0}. \quad (.73)$$

Substituting this into the equation for  $R_\infty$ :

$$R_\infty = \frac{m_e}{2h} \cdot \frac{e^4 \mu_0}{4h^2 \varepsilon_0} \cdot \frac{1}{\sqrt{\varepsilon_0 \mu_0}}. \quad (.74)$$

**Step 3: Simplifying the Expression**

Rearranging:

$$R_\infty = \frac{m_e e^4 \mu_0}{8h^3 \varepsilon_0 \sqrt{\varepsilon_0 \mu_0}}. \quad (.75)$$

We recognize that:

$$\frac{\mu_0}{\varepsilon_0 \sqrt{\varepsilon_0 \mu_0}} = \frac{\sqrt{\mu_0}}{\varepsilon_0^{3/2}}. \quad (.76)$$

Substituting this back:

$$R_\infty = \frac{m_e e^4 \sqrt{\mu_0}}{8h^3 \varepsilon_0^{3/2}}. \quad (.77)$$

**Solving for Planck's Constant**

**Step 1: Expressing  $h^3$**

Rearranging:

$$h^3 = \frac{m_e e^4 \sqrt{\mu_0}}{8 \varepsilon_0^{3/2} R_\infty}. \quad (.78)$$

### Step 2: Solving for $h$

Taking the cube root:

$$h = \left( \frac{m_e e^4 \sqrt{\mu_0}}{8 \varepsilon_0^{3/2} R_\infty} \right)^{\frac{1}{3}}. \quad (.79)$$

## Implications for Finite Mechanics

This derivation demonstrates that:

- **Planck's constant is not fundamental** – it emerges from atomic-scale interactions.
- **Rydberg and Planck's constants are linked via finite, measurable properties.**
- **Quantum mechanics and electromagnetism are deeply interconnected** at the level of measurable constants.

## Conclusion

By expressing Planck's constant in terms of the Rydberg constant and vacuum properties, this derivation aligns with FM's philosophy that all physical constants emerge from measurable interactions rather than abstract theoretical constructs. This approach strengthens FM as a framework grounded in finite, observable physics.